

# New opportunities and insights on magnetic reconnection in turbulent plasmas

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# **Fundamentals of the Magnetic Flux Transport (MFT) method**

# Fundamentals of the Magnetic Flux Transport (MFT) method

Express the magnetic field in terms of a background and fluctuating components parallel and perpendicular to the background:

$$\mathbf{B} = B_0 \hat{\mathbf{z}} + \delta \mathbf{B}_\perp + \delta B_\parallel \hat{\mathbf{z}}$$

Assume  $k_\parallel \ll k_\perp$ , wavenumber of length scale of variation parallel and perpendicular to the background field. Consider Gauss Law:

$$\begin{aligned} \nabla \cdot \mathbf{B} &= \nabla_\perp \cdot \delta \mathbf{B}_\perp + \partial_z \delta B_\parallel = 0 \\ &\quad \sim k_\perp \quad \quad \sim k_\parallel \end{aligned}$$

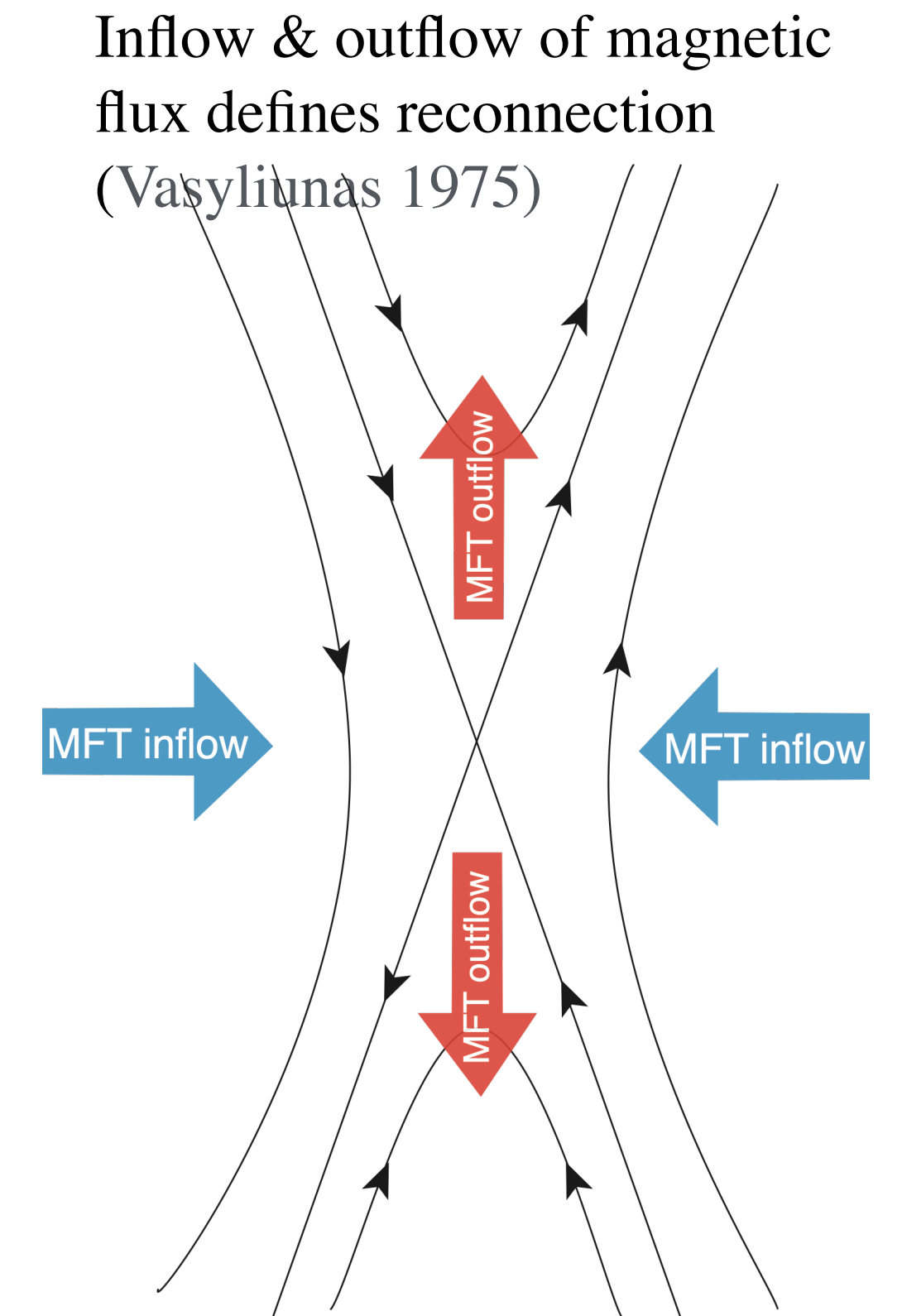
To the leading order,  $\nabla_\perp \cdot \delta \mathbf{B}_\perp = 0 \rightarrow$  3D magnetic field is 2D solenoidal

Magnetic flux velocity is:

Then  $\delta \mathbf{B}_\perp = \hat{\mathbf{z}} \times \nabla \psi \rightarrow \mathbf{U}_\psi = (\delta E_z / \delta B_\perp) (\hat{\mathbf{z}} \times \delta \hat{\mathbf{b}}_\perp)$

$$\delta \hat{\mathbf{b}}_\perp \equiv \delta \mathbf{B}_\perp / \delta B_\perp$$

Li+ 2025 ApJ, 2021 ApJL, 2023 PRL, Liu+ 2018 POP, Liu & Hesse 2016 POP



Fluid quantity

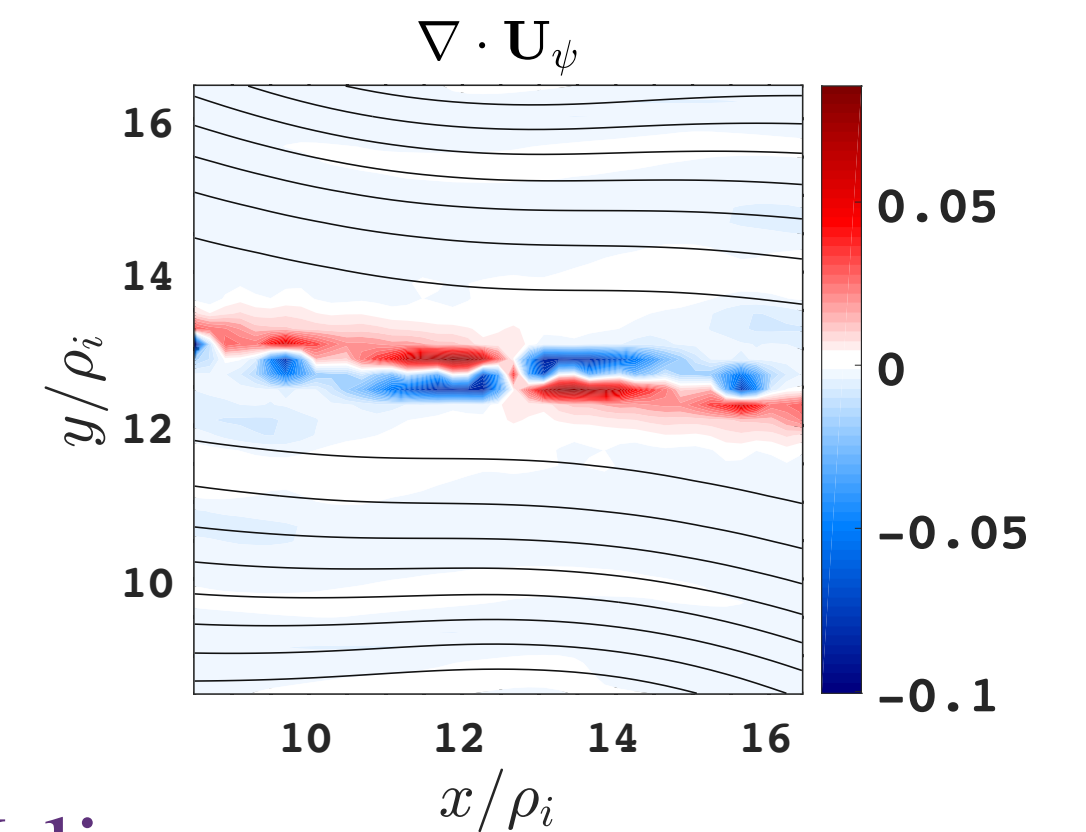
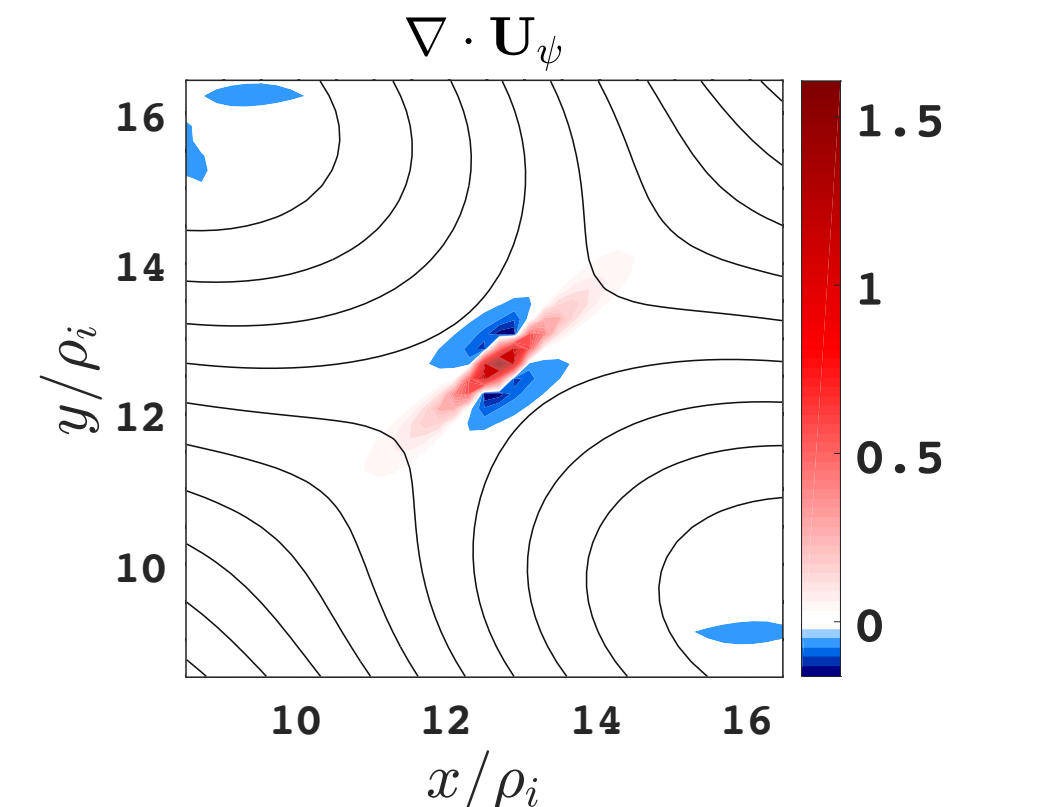
# Signature for active reconnection in the divergence of MFT

$$\mathbf{U}_\psi = (\delta E_z / \delta B_\perp)(\hat{\mathbf{z}} \times \delta \hat{\mathbf{b}}_\perp)$$

$$\nabla \cdot \mathbf{U}_\psi \begin{cases} < 0 \text{ (converging inflows)} \\ > 0 \text{ (diverging outflows)} \end{cases}$$

- Scalar defined on the perpendicular plane
- Bipolarity at an X-line as signature for active reconnection

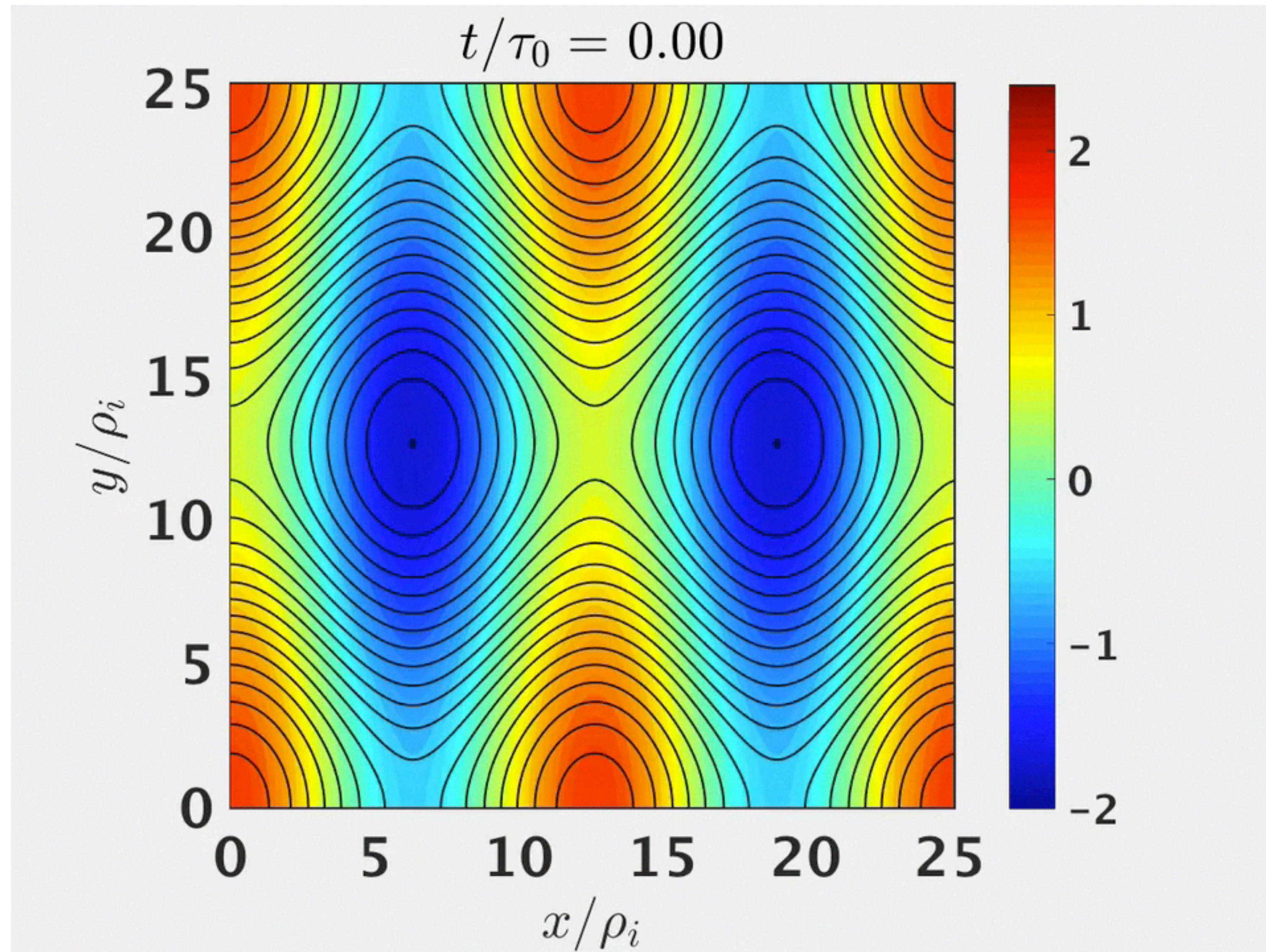
Examples of  $\nabla \cdot \mathbf{U}_\psi$  at reconnection X-lines



Positive and negative polarity in the divergence is present at reconnection X-lines.  
Signatures in both the velocity and divergence of MFT coexist. Either one can identify reconnection.



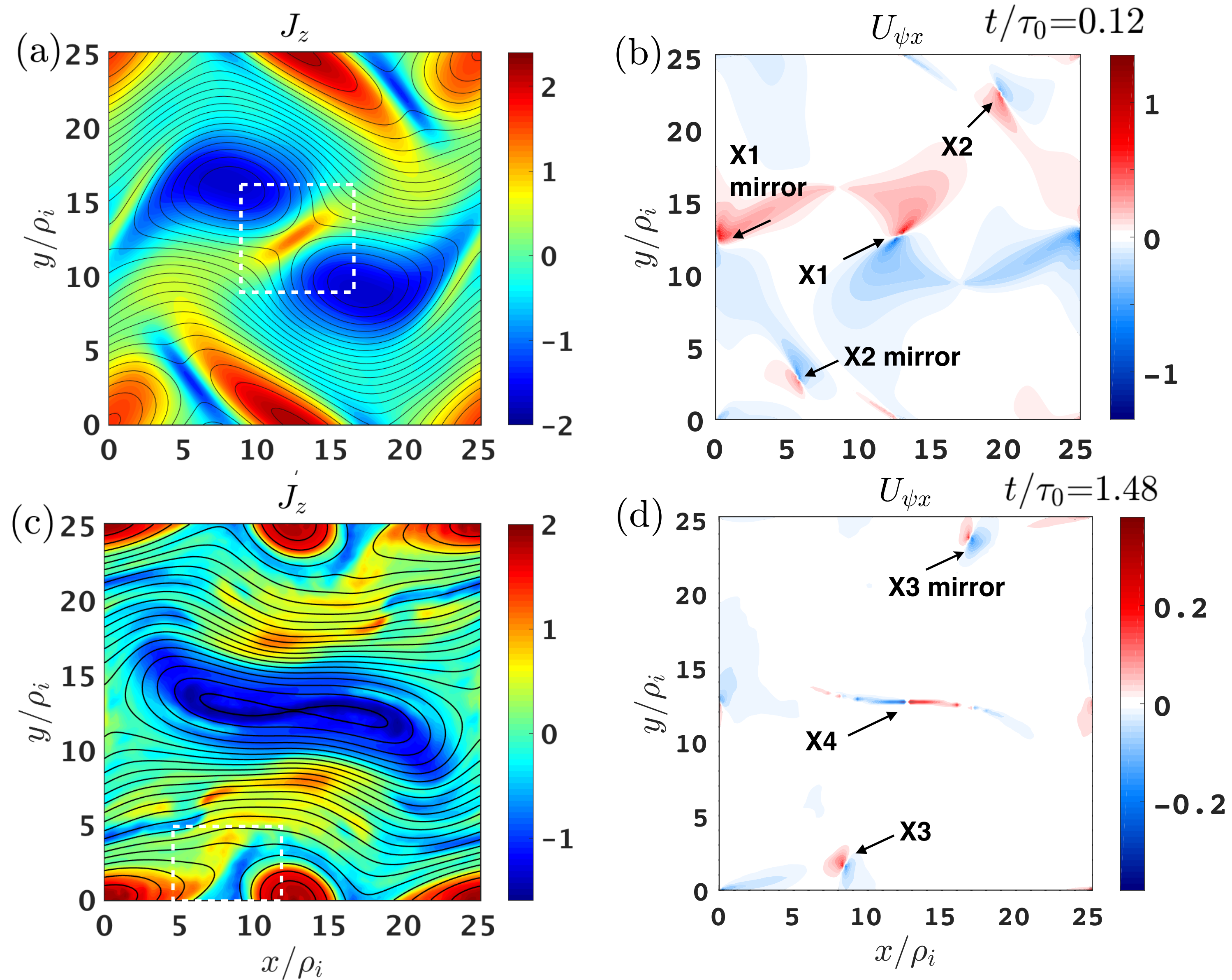
# Reconnection in 2D kinetic turbulence



Orszag-Tang Vortex  
Plasma beta = 0.01  
 $\delta B \ll B_0$



# Reconnection in 2D kinetic turbulence

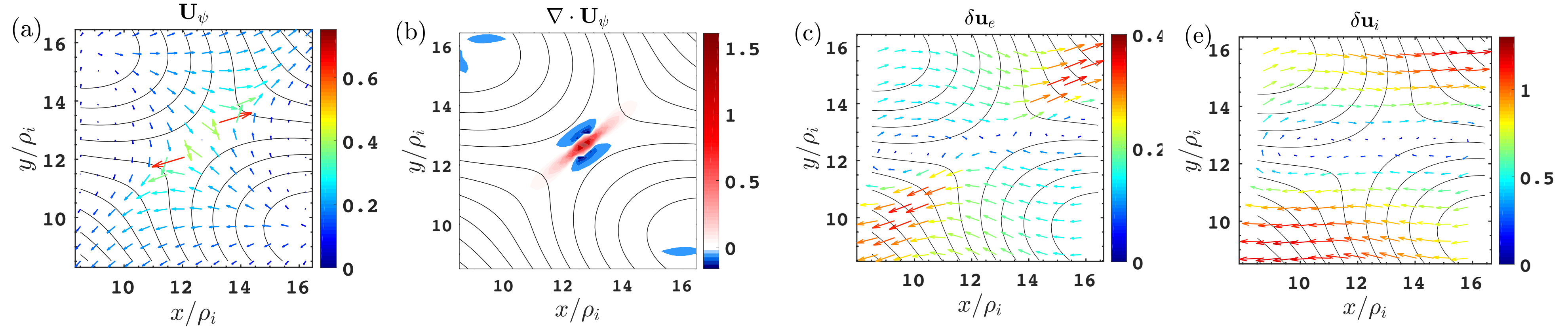


Early time

Late time

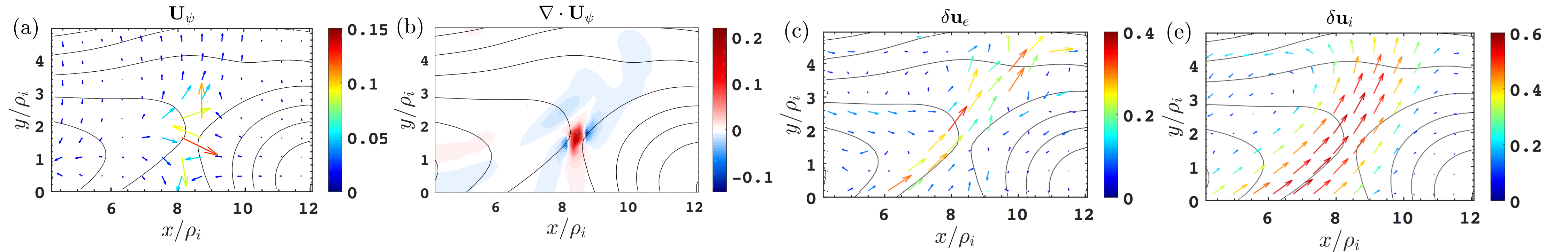
# Examples of MFT signatures for active reconnection in 2D simulation

X1: Symmetric reconnection



Clear MFT signatures for reconnection. Electron jets present. Ion jets are obscured by shear flows.

X3: Asymmetric reconnection with only unidirectional ion and electron outflow jet

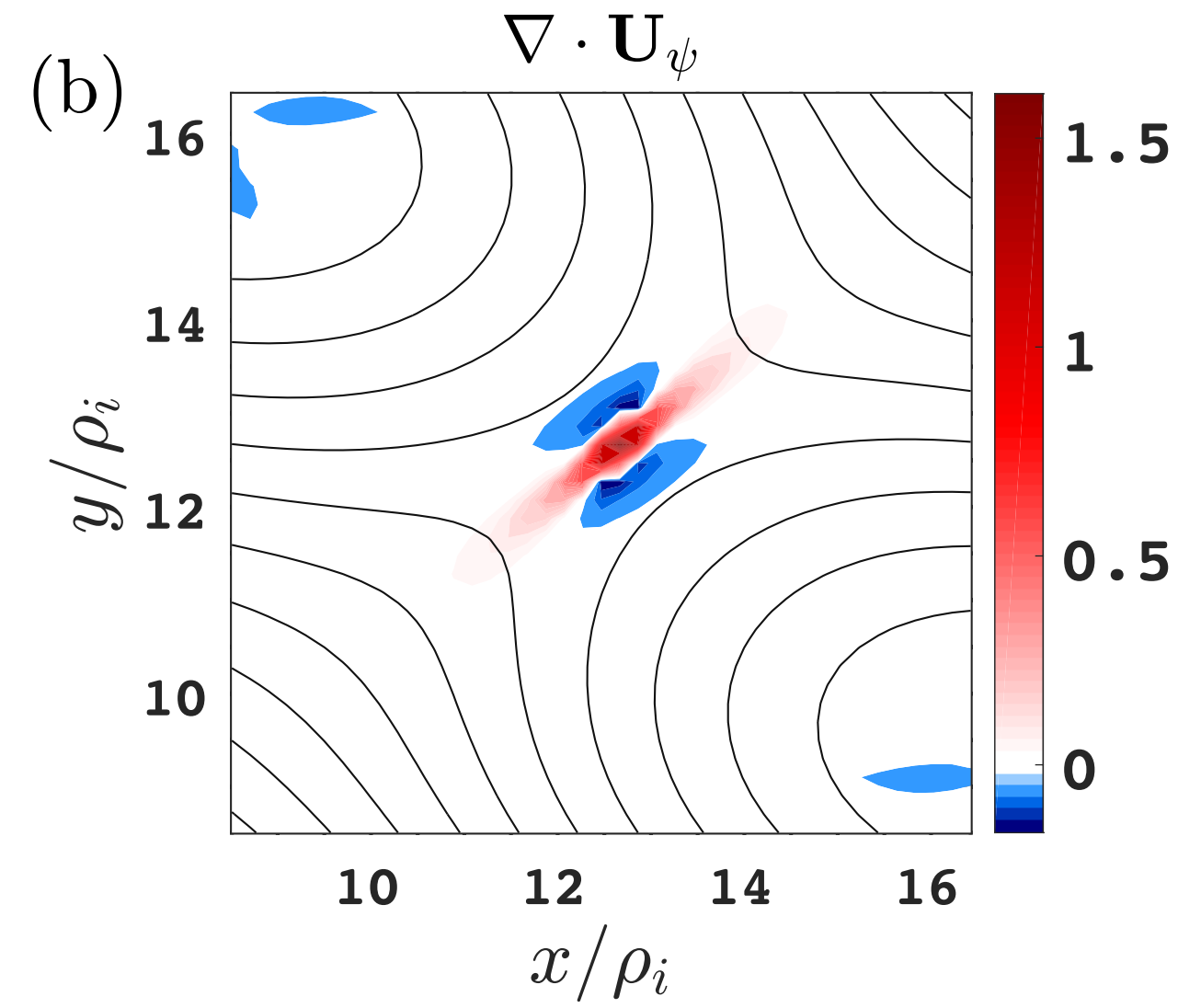
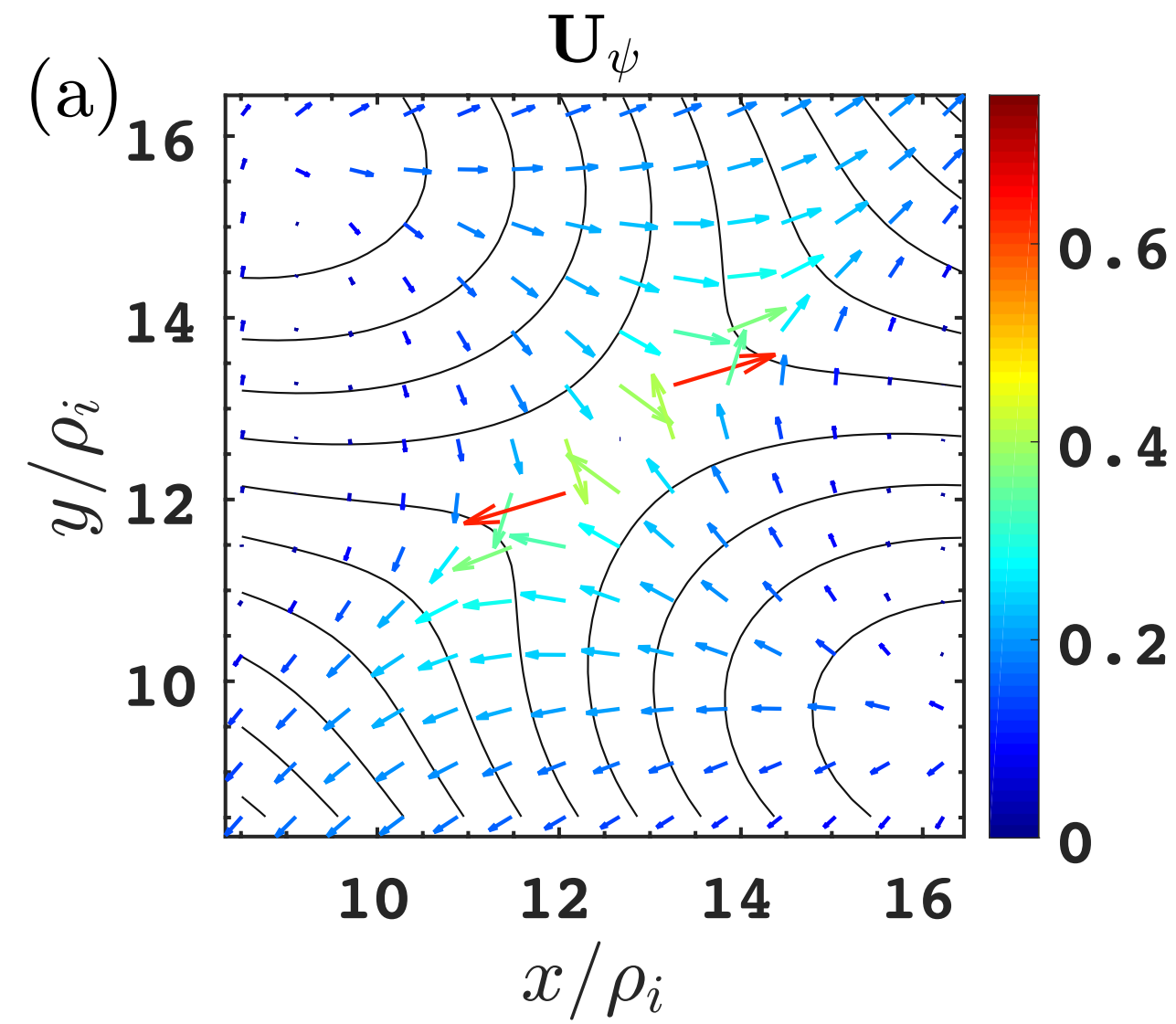


Clear MFT signatures for reconnection. Bidirectional ion or electron outflow jets are suppressed.



# MFT signatures in 2D and 3D turbulence

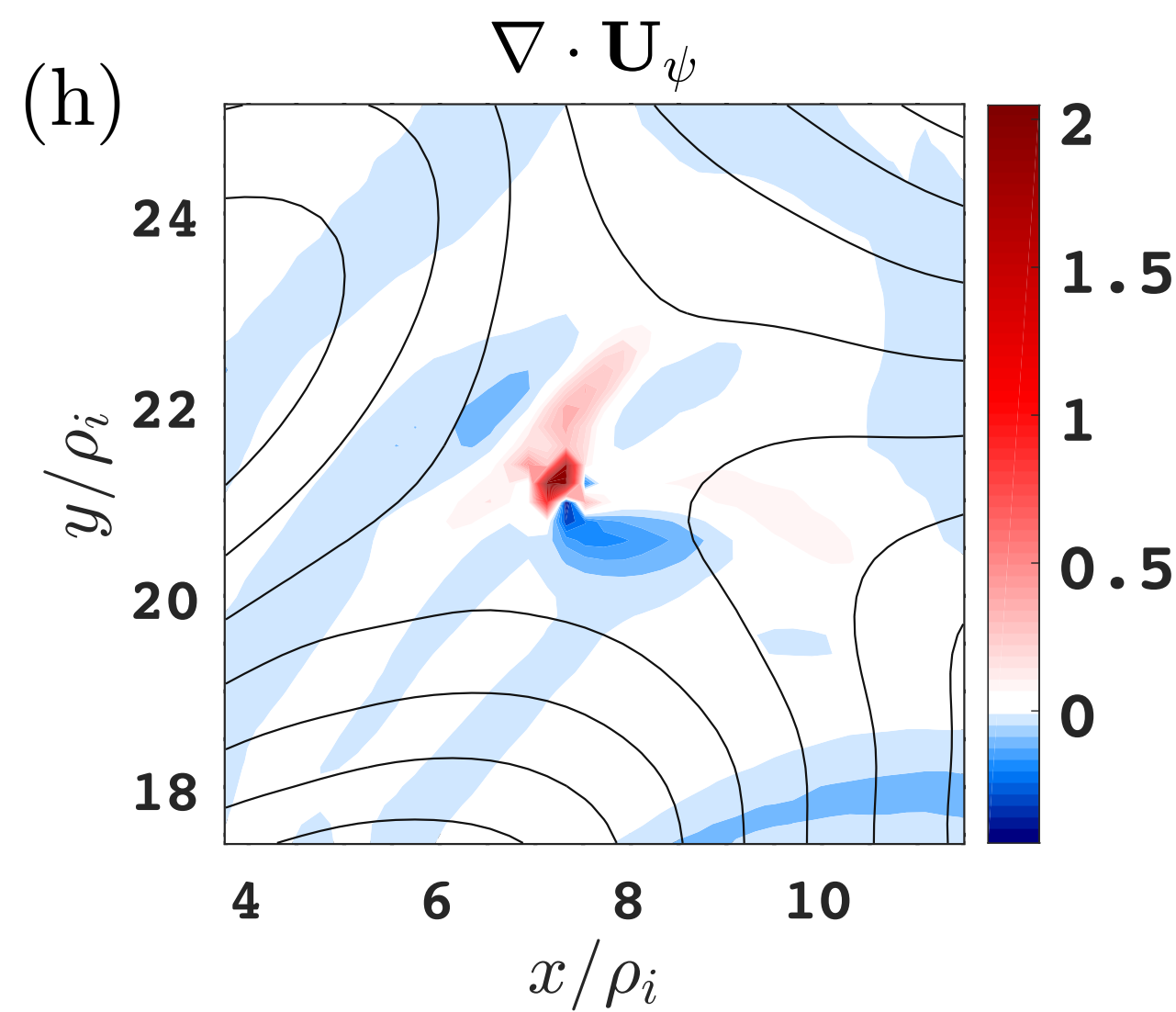
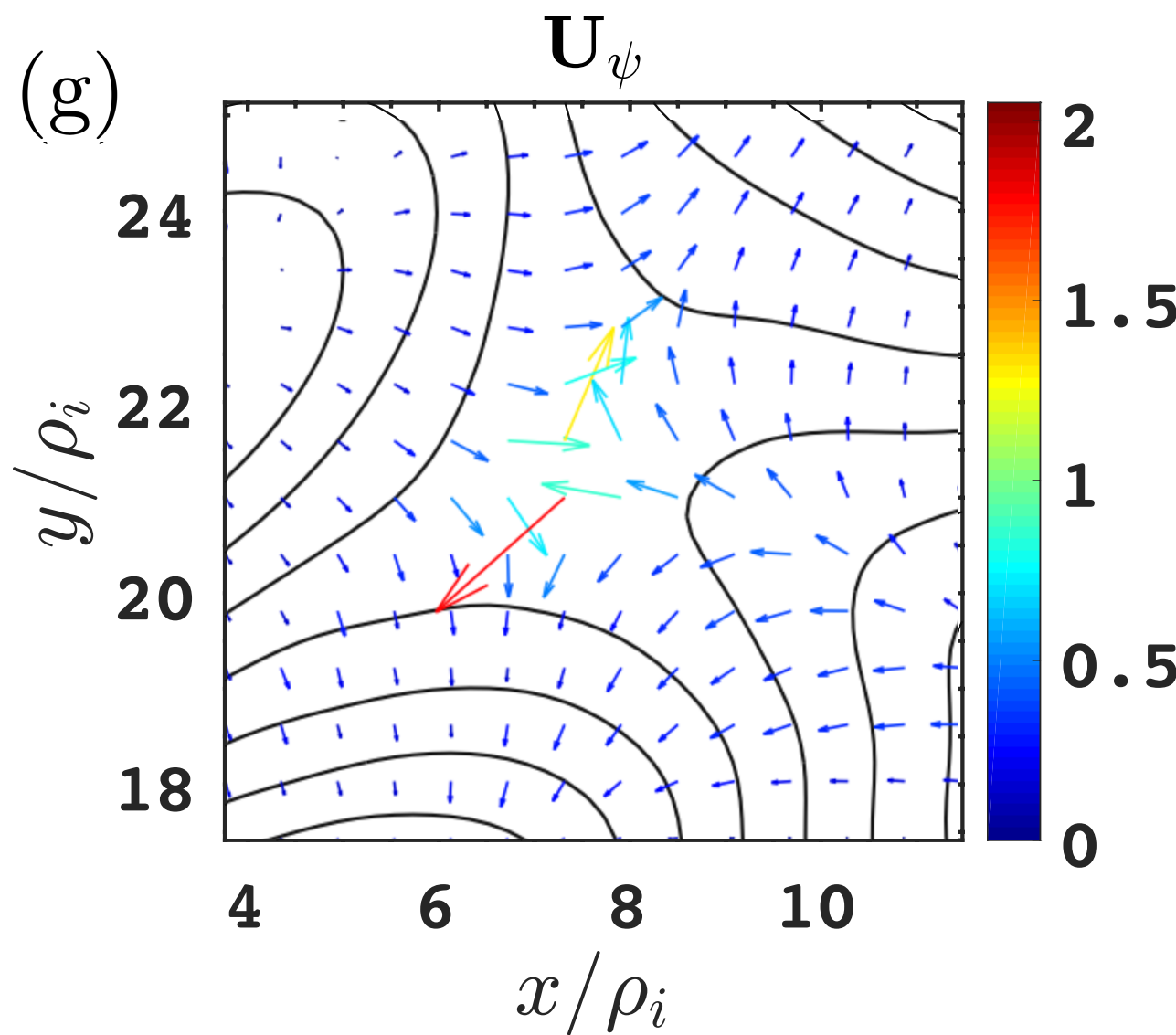
**2D**



Similar MFT signatures for reconnection in both quantities in 2D and 3D

More irregular in 3D as expected

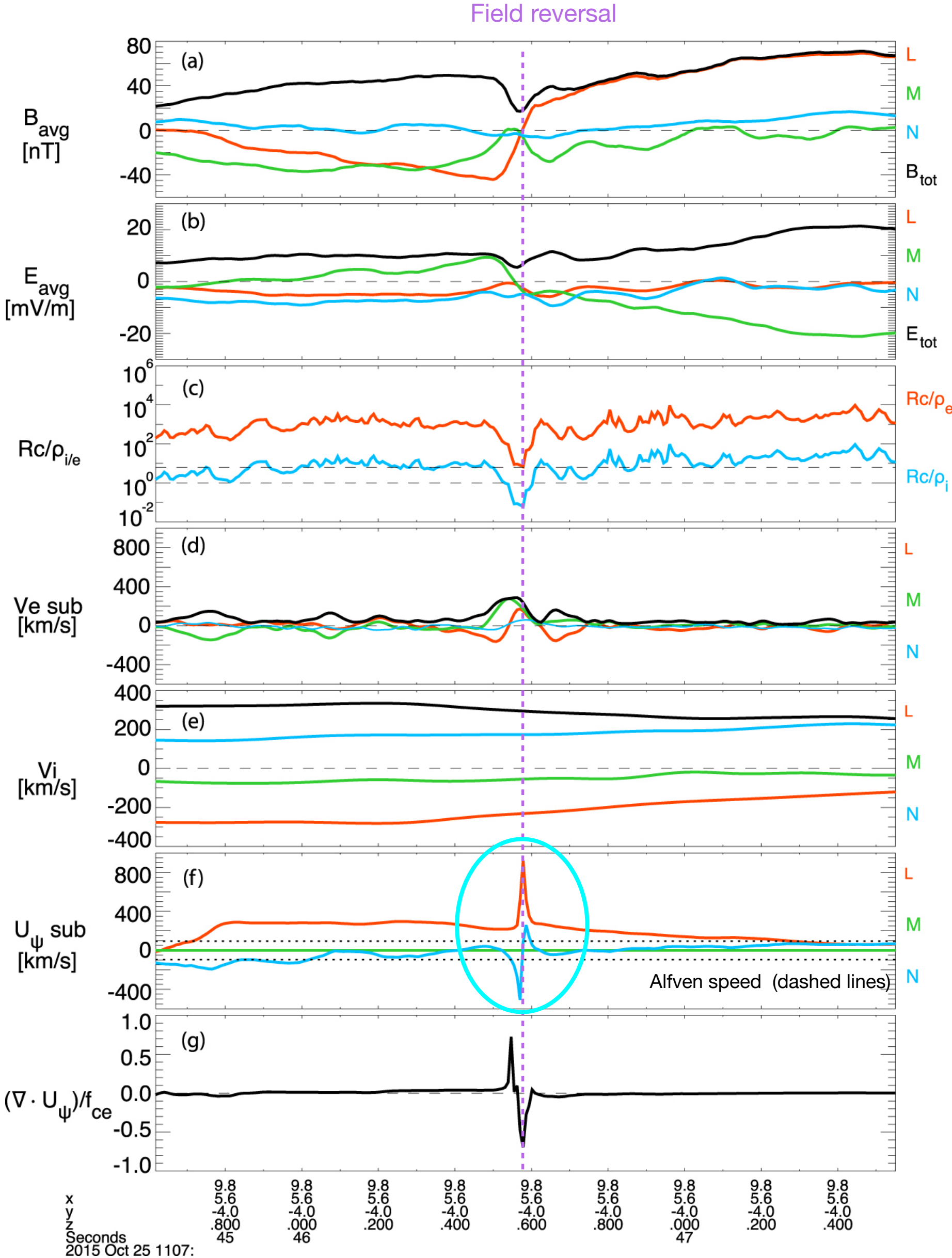
**3D**



Consistent magnitude of the divergence of MFT in 2D and 3D

Divergence normalized to  
 $v_{te}/\rho_e = \Omega_{ce}$

# Verifying MFT signatures in space observations

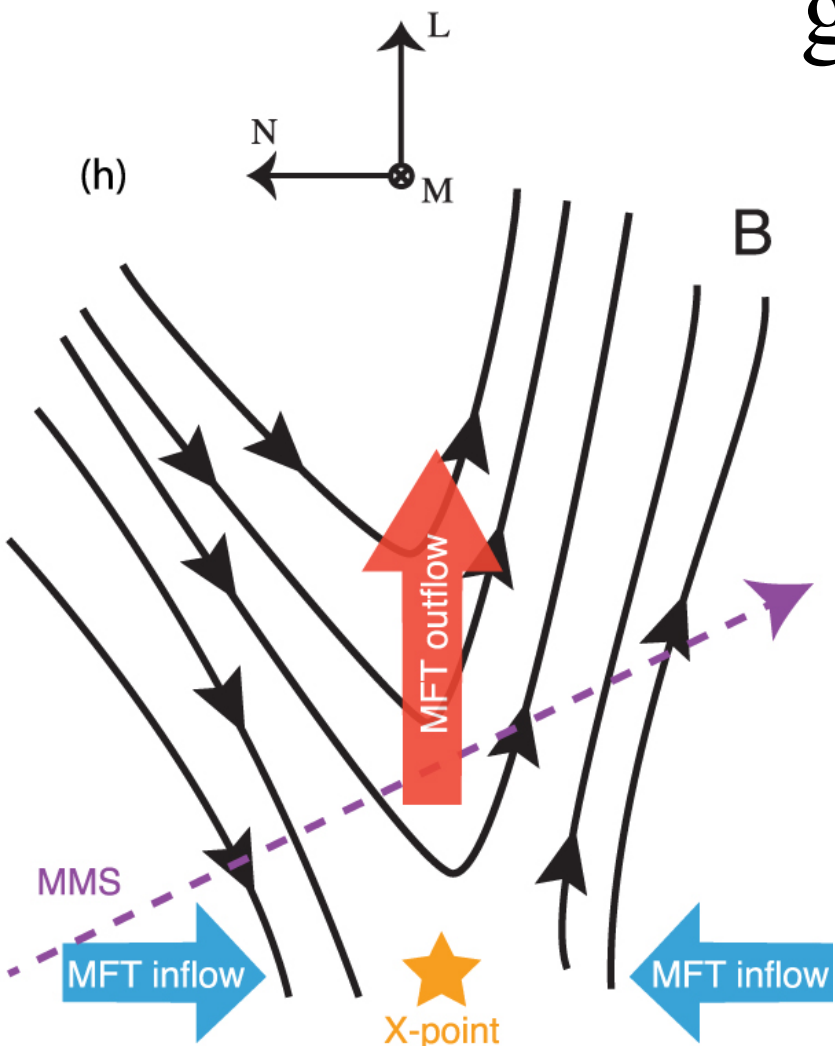


## MMS observation in magnetosheath turbulence

MFT signatures measured in a reconnection event in the turbulent magnetosheath (Eriksson+ 2018)

(f) Bi-directional MFT inflow jets and uni-directional outflow jet

(g) Divergence of MFT ~ order electron gyro frequency





# Measurements of 37 reconnection events in the magnetosphere under varied conditions

**Table 1**  
Event List of EDR/Reconnection-line Crossings

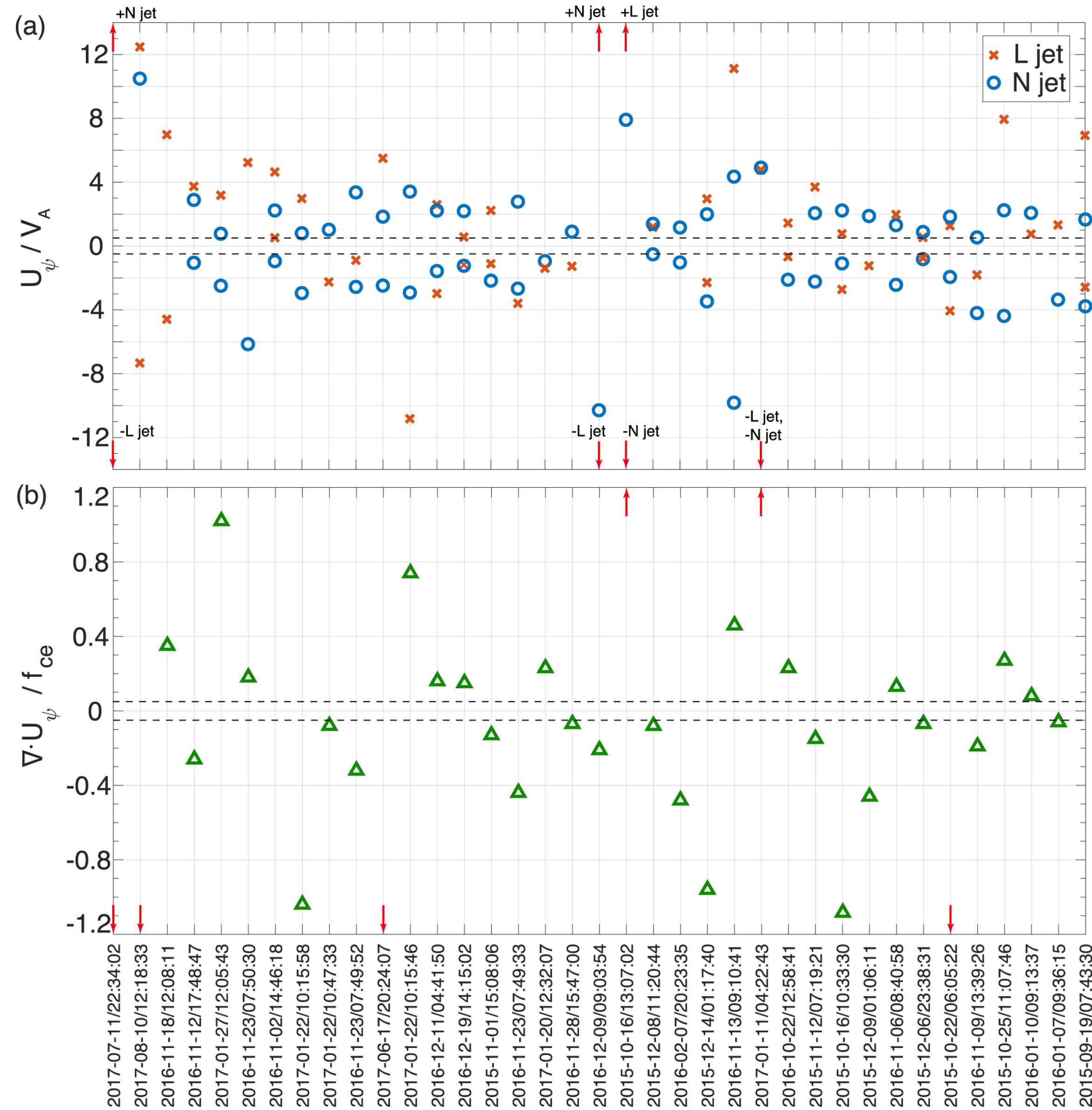
Date and time	Location	Guide Field	Type	Spacecraft Separation [de]	Reference
2015-10-16 13:07:02	Day side	$\sim 0$	Classic	$\sim 6$	Burch et al. (2016)
2015-12-08 11:20:43	Day side	$\sim 1$	Classic	$\sim 6$	Burch & Phan (2016)
2015-12-06 23:38:31	Day side	$\sim 0.2$	Classic	$\sim 10$	Khotyaintsev et al. (2016)
2015-10-25 11:07:46	Sheath	$\sim 0.5$	Classic	$\sim 20$	Eriksson et al. (2018)
2016-12-09 09:03:54	Sheath	$> 5$	Electron-only	$\sim 5$	Phan et al. (2018)
2016-11-09 13:39:26	Shock transition region	$\sim 0$	Classic	$\sim 16$	Wang et al. (2019)
2017-07-11 22:34:02	Tail	$\sim 0$	Classic	$\sim 1$	Torbert et al. (2018)
2017-06-17 20:24:07	Tail	$\sim 0$	Electron-only	$\sim 4$	Lu et al. (2020)
2017-08-10 12:18:33	Tail	$\sim 0.1$	Classic	$\sim 2$	Zhou et al. (2019)
31 EDRs	Day side	varying	Classic	2-70	Webster et al. (2018)

Qi+ 2022 ApJ

Sample includes weak-to-strong guide fields, varied locations, and electron-only reconnection events.



# Magnitude of MFT velocity and divergence



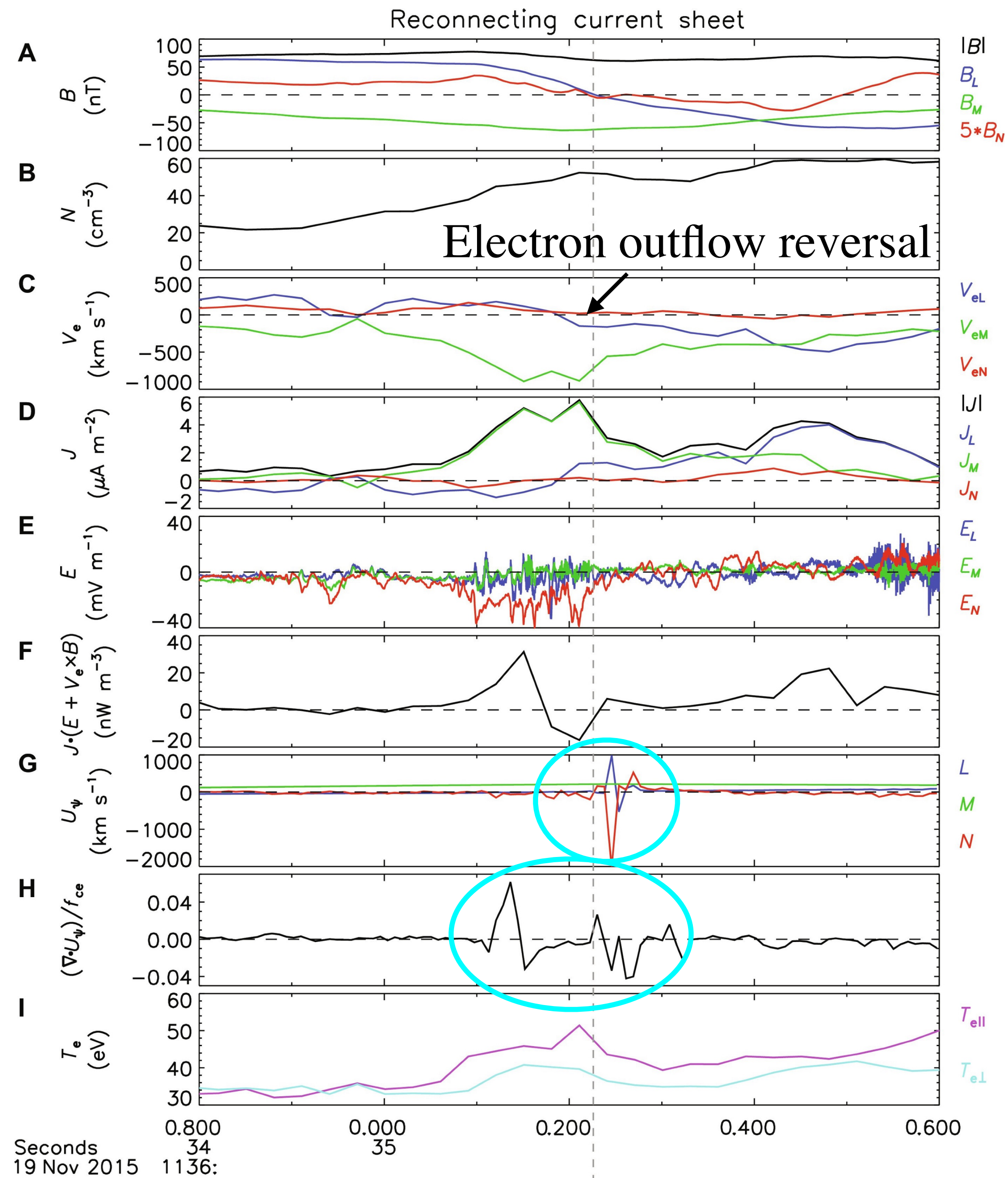
Median of **+L** jets is  $+3.1/-2.3 V_A$ ,  
Median of **+N** jets is  $+2.0/-2.5 V_A$ ,  
Typical MFT jets are **super-Alfvenic**.

Median of the **divergence** is  $0.3 f_{ce}$ .  
Typical divergence  $\sim O(0.1) f_{ce}$  or higher.

The observations are in agreement with  
2D and 3D simulations (Li+ 2021, 2023).

**New opportunities to decipher reconnection in turbulent plasmas**

# Direct application to in-situ observations



MMS observation in magnetosheath turbulence

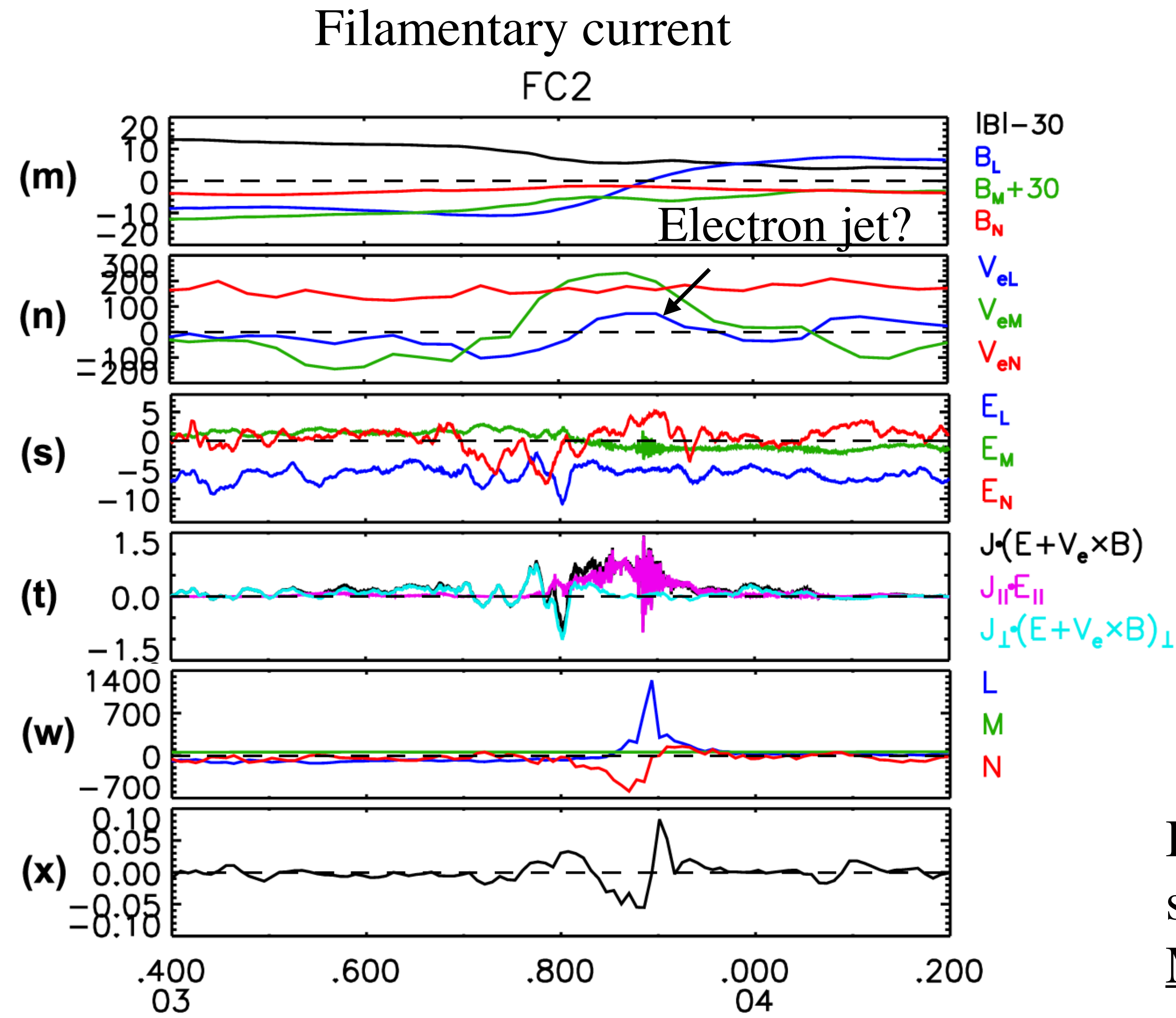
G. Super-Alfvenic MFT **inflow** and **outflow** jets

H. Bipolar divergence of MFT  $\sim 0.05 f_{ce}$

In recent observations that links the formation of downstream current sheets to upstream waves across the bow shock, MFT provided secondary evidence for active reconnection.



# Direct application to in-situ observations



## MMS observations in magnetic flux ropes

(n) Inconclusive electron jet due to shear flow

(w) Super-Alfvenic MFT **inflow** and **outflow** jets

(x) Bipolar divergence of MFT  $\sim 0.1 f_{ce}$

In a recent work that studies electron acceleration in sub-ion-scale filamentary currents inside flux ropes, MFT provided primary evidence for active reconnection.

# Direct application to kinetic and fluid simulations

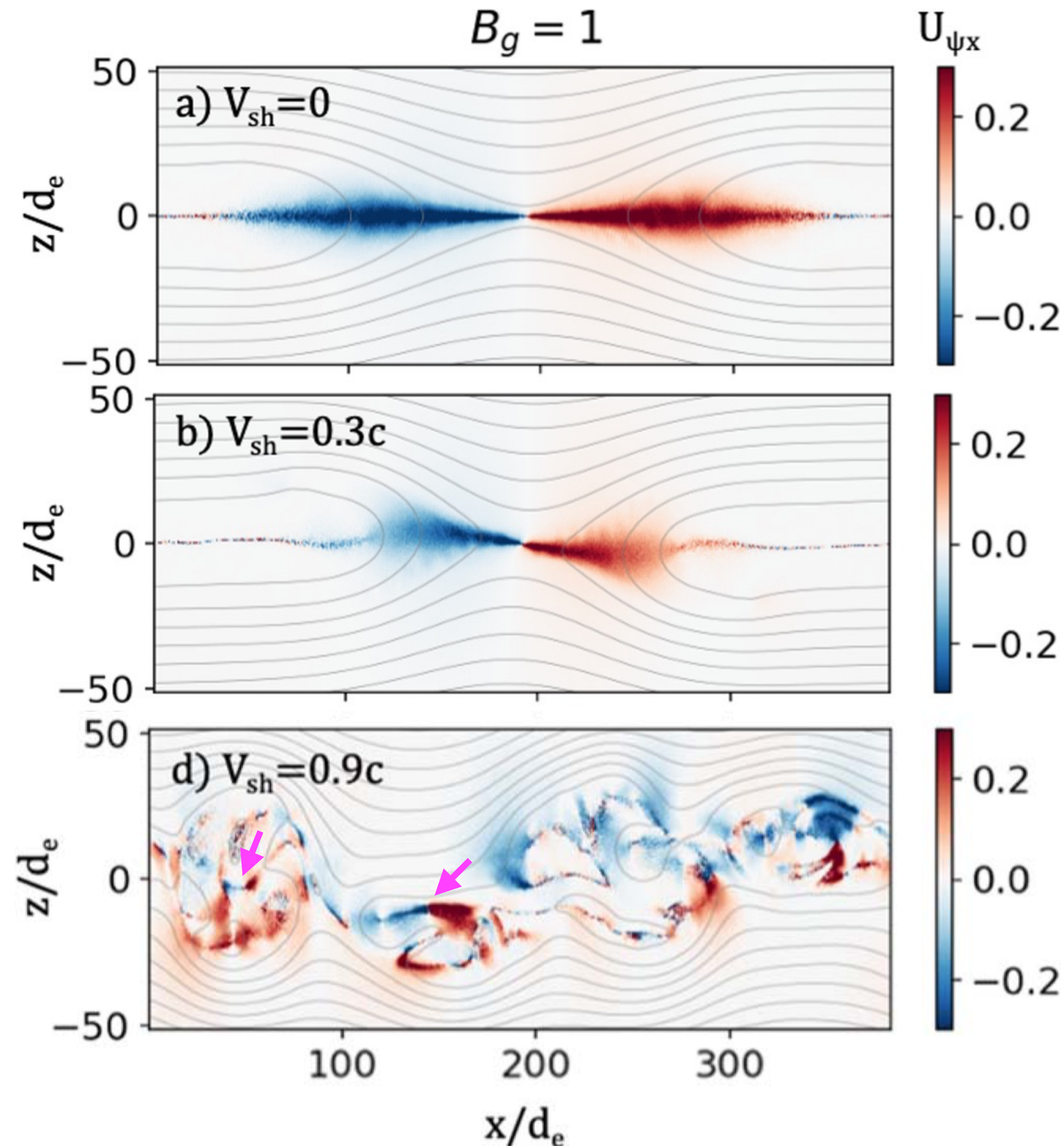
## Example of an application to PIC

2D simulation of shear-flow reconnection in pair-plasma.

(a, b) For weak shear flows, a single reconnection X-line forms.

(d) For sufficiently strong shear flows, the single X-line is suppressed. Instead, secondary reconnection X-lines form in vortices induced Kelvin-Helmholtz instability.

The MFT velocity is much clearer than the electron outflows that are obscured by shear flows.





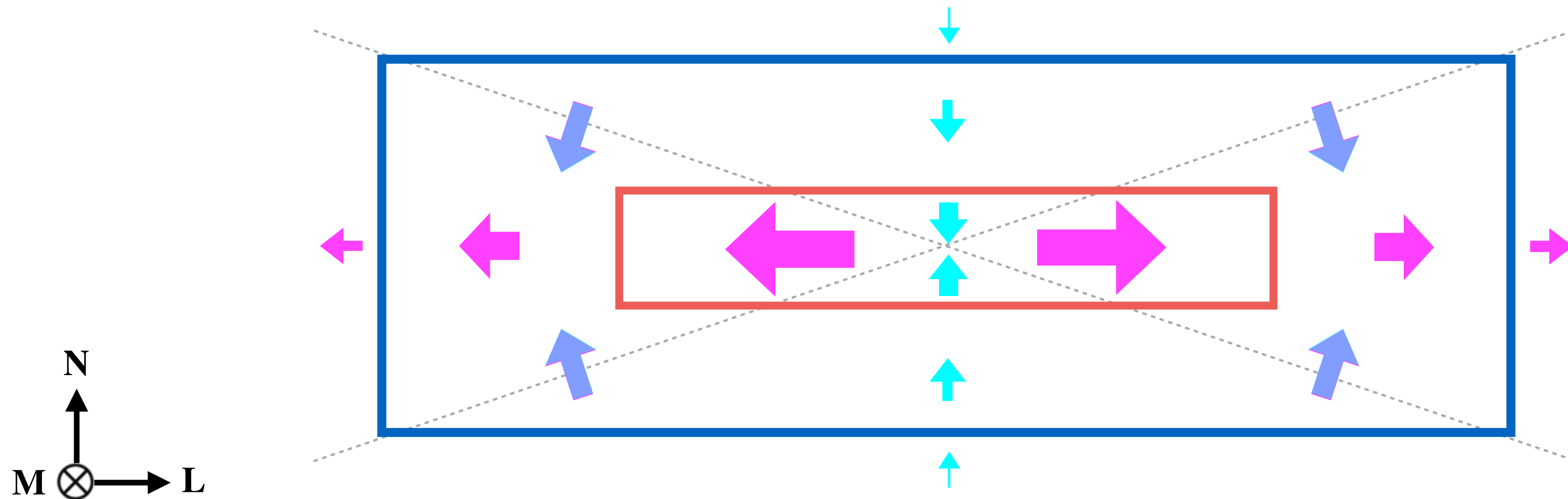
**New capability to identify electron-only reconnection**



# New capability to identify electron-only reconnection

Magnetic field-plasma flow coupling in the diffusion region

## Ion-coupled reconnection

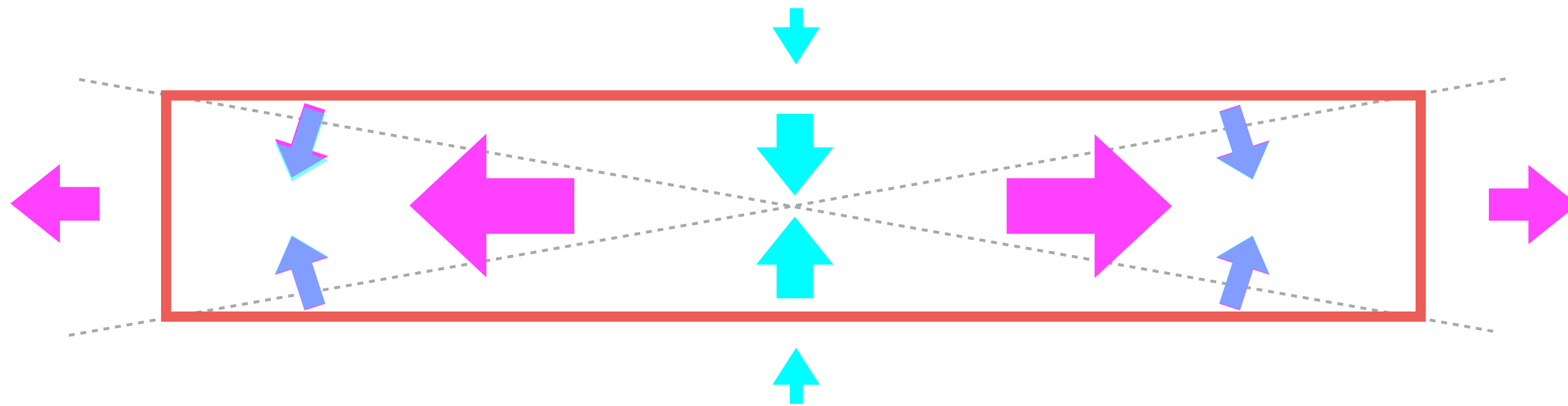


- Decoupling/recoupling of the magnetic field motion with the ion (electron) flow in the IDR (EDR) results in an increase/decrease in the MFT velocity over ion (electron) scale.
- The result is a two-scale structure in the MFT velocity along the normal (N) direction.

# New capability to identify electron-only reconnection

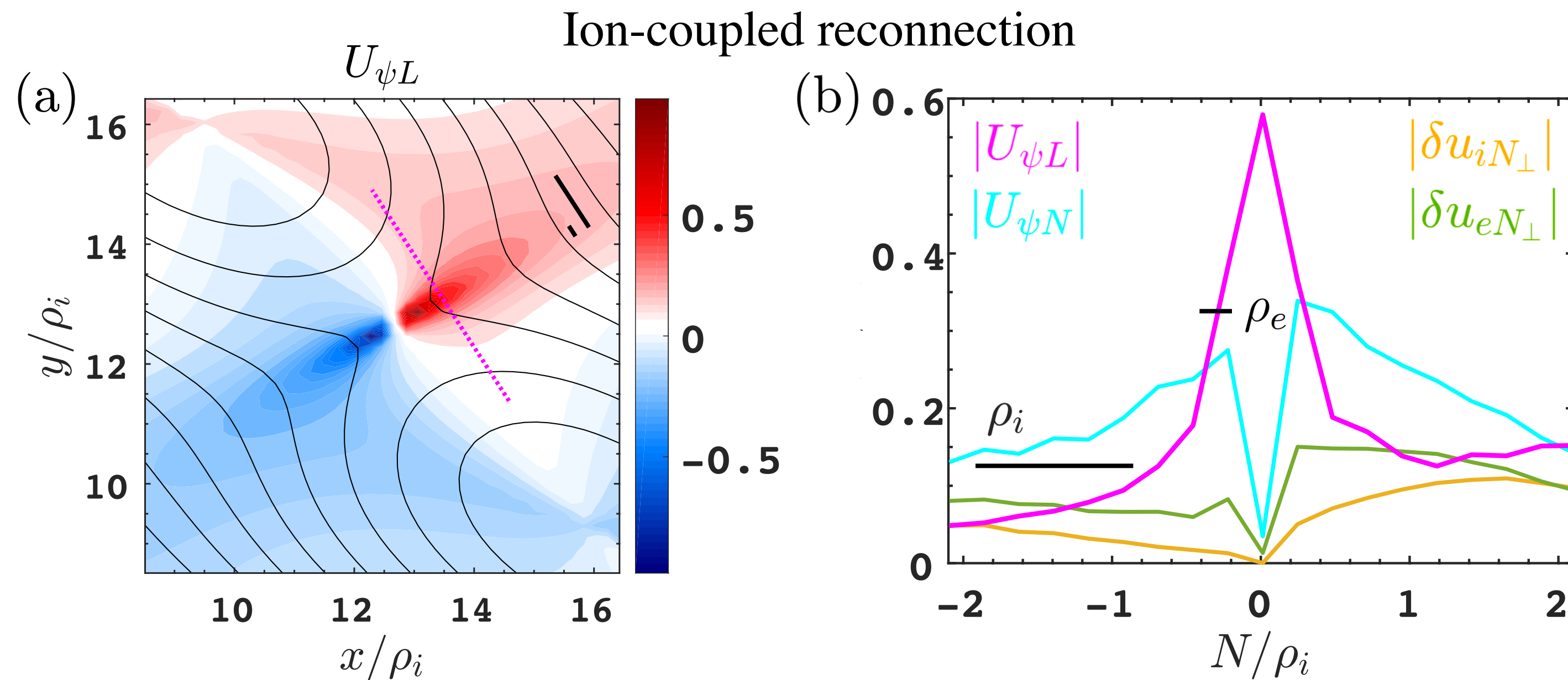
Magnetic field-plasma flow coupling in the diffusion region

## Electron-only reconnection

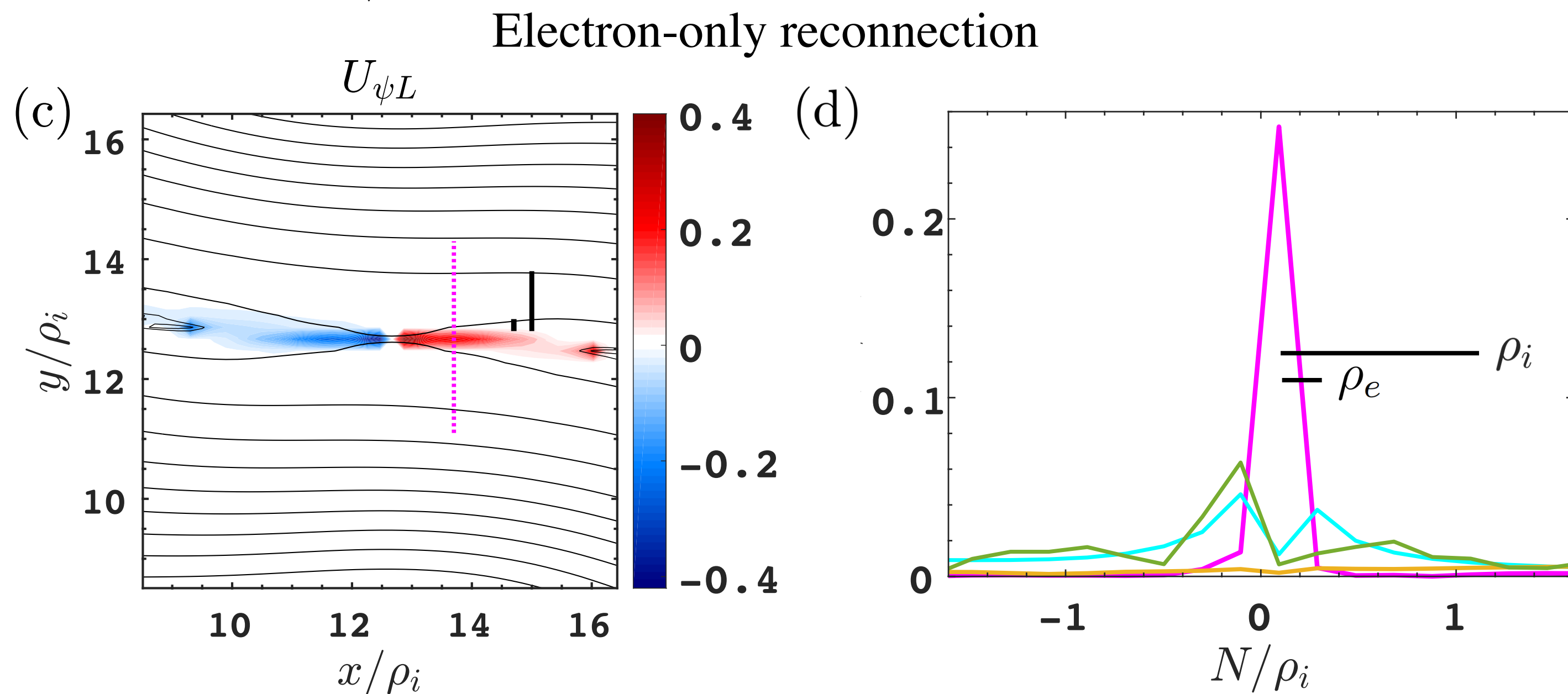


- Similarly, coupling of the magnetic field motion with the electron flow in the EDR will result in an electron-scale structure in the MFT velocity.

# Scale of MFT outflow in the diffusion region



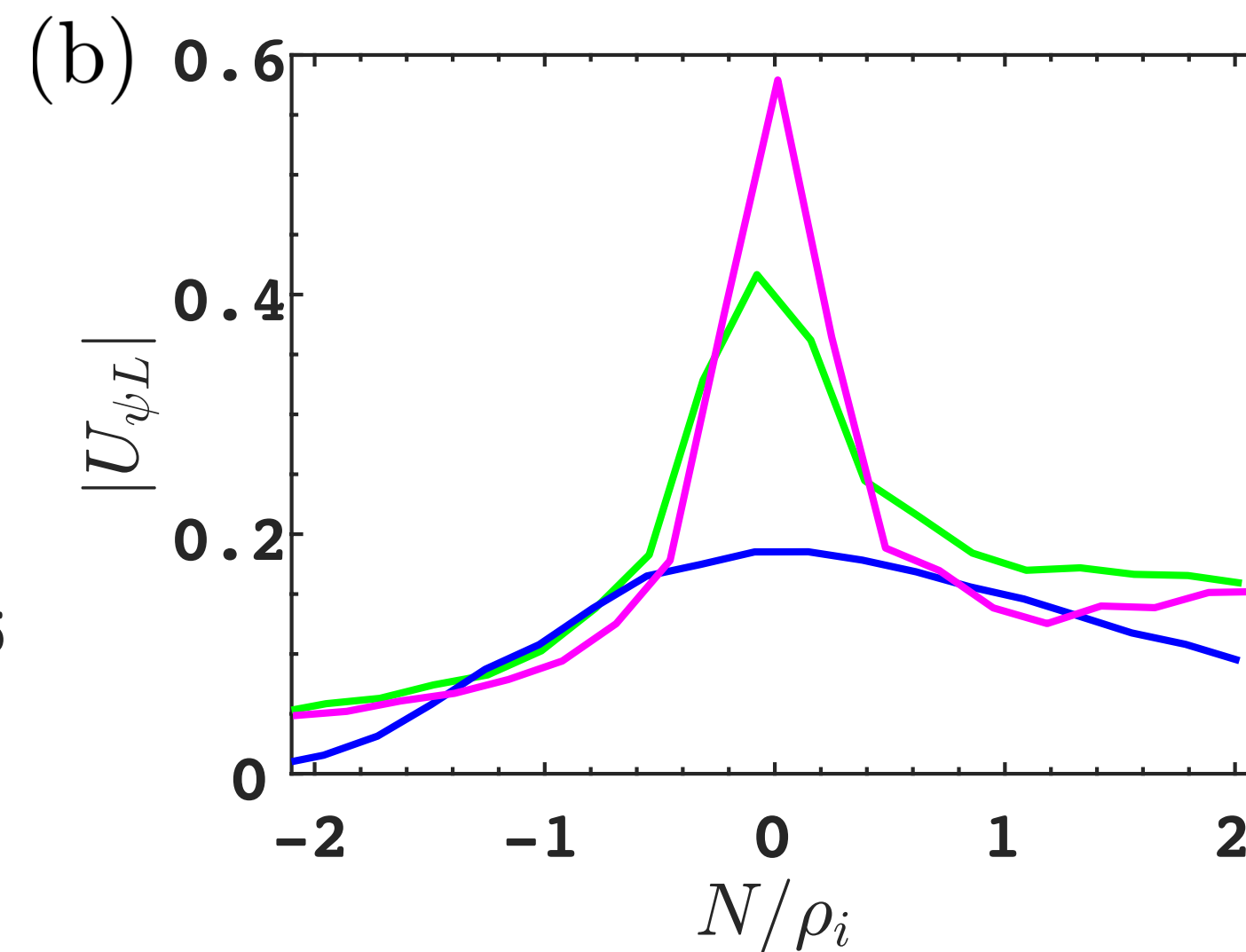
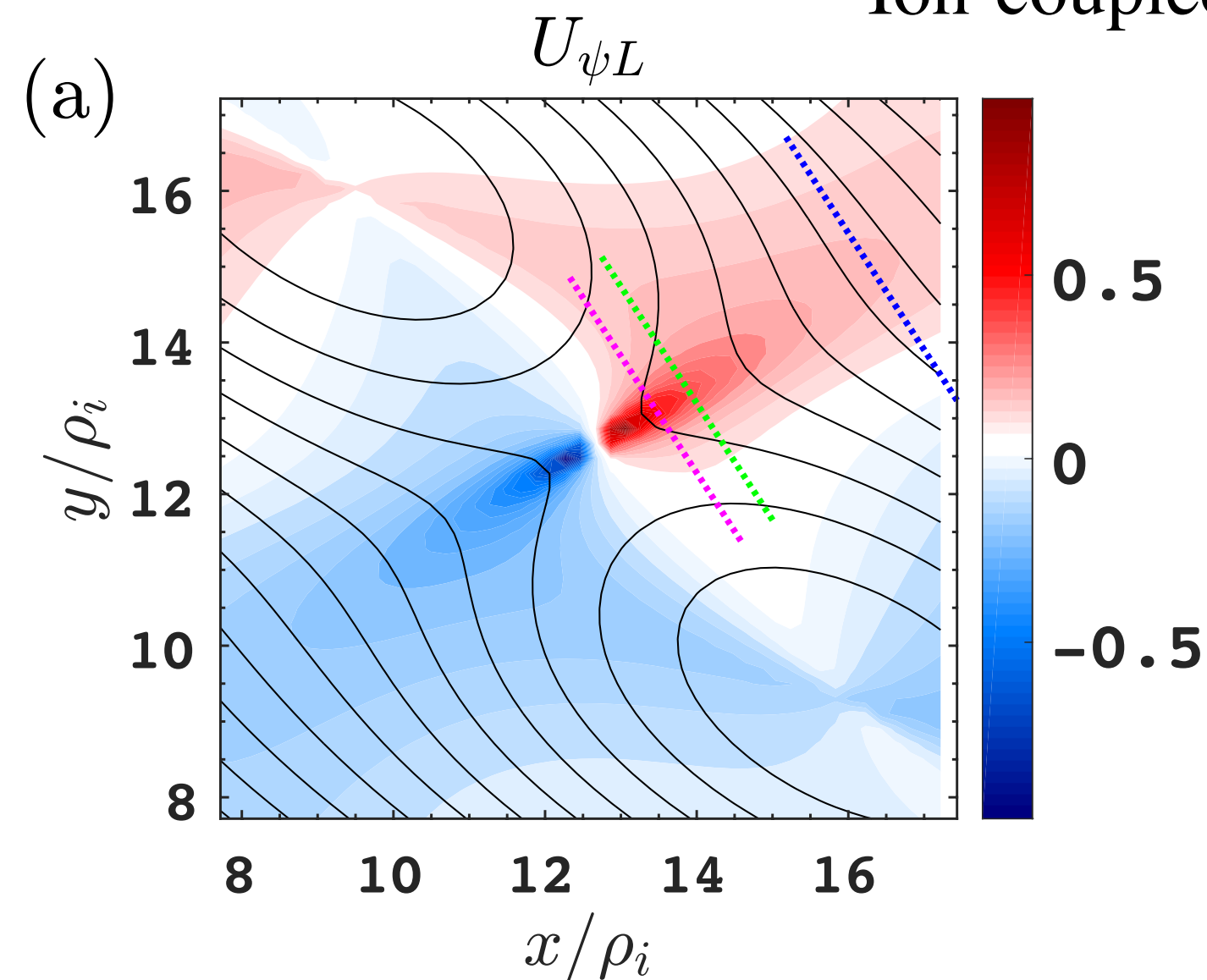
- **MFT outflow** shows a *two-scale* structure
- Inner-electron-outer-ion scale
- IDR: **ion inflow** decouples from **MFT inflow**
- EDR: **electron inflow** decouples from **MFT inflow**



- No **ion** response
- EDR: **electron inflow** deviates from **MFT inflow**
- Only *electron-scale* **MFT outflow** in EDR

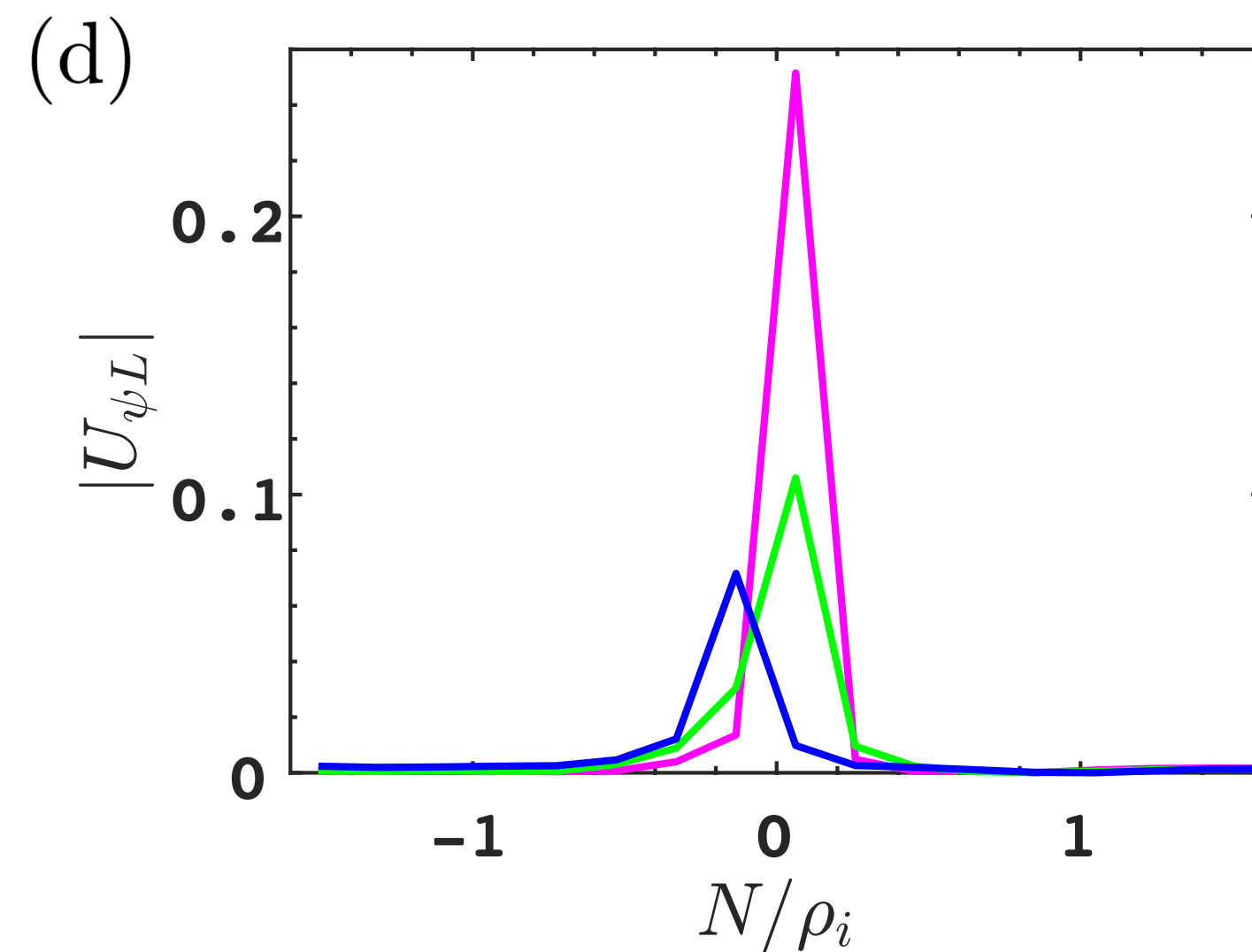
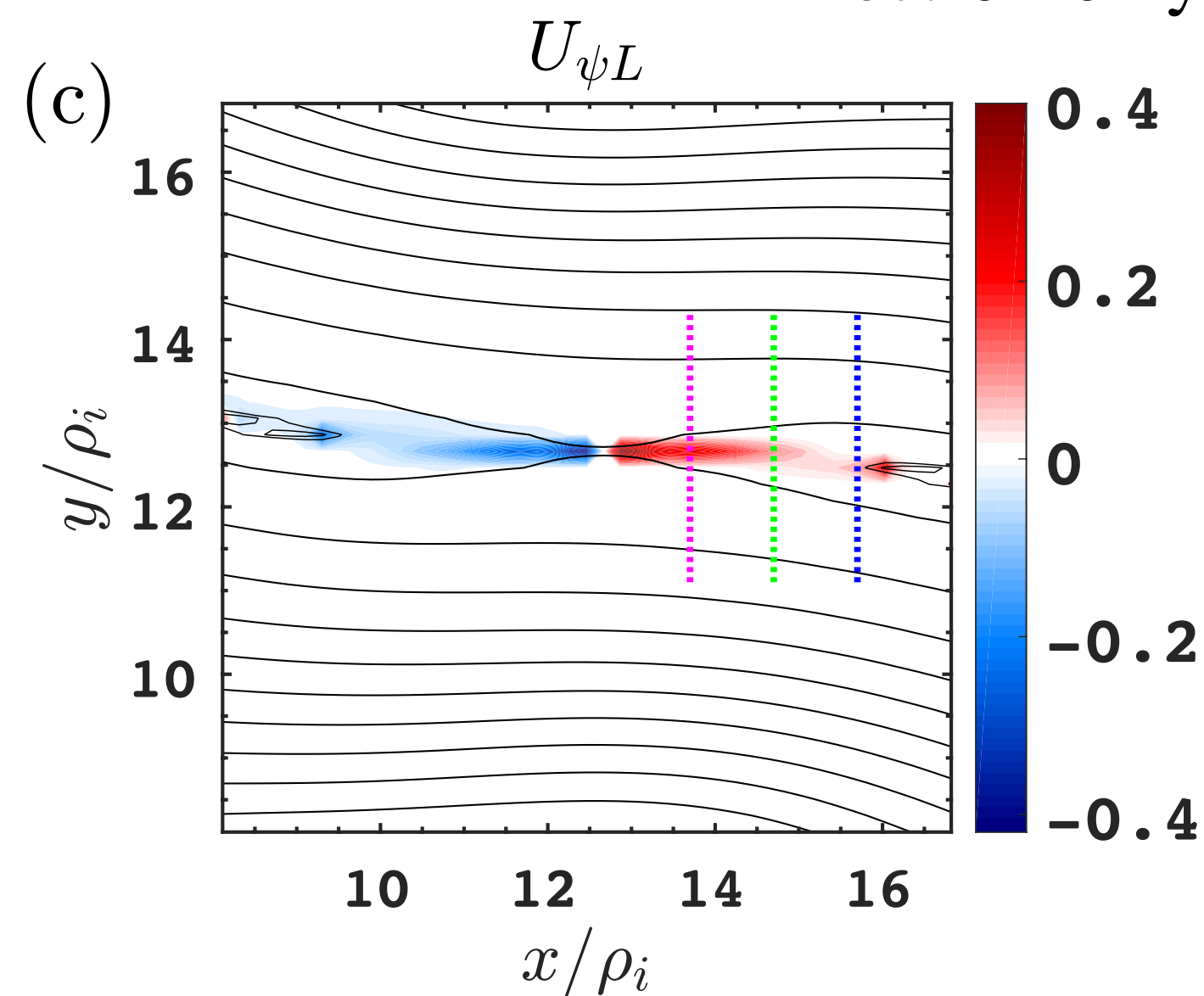
# Downstream distance dependence of MFT outflow

Ion-coupled reconnection



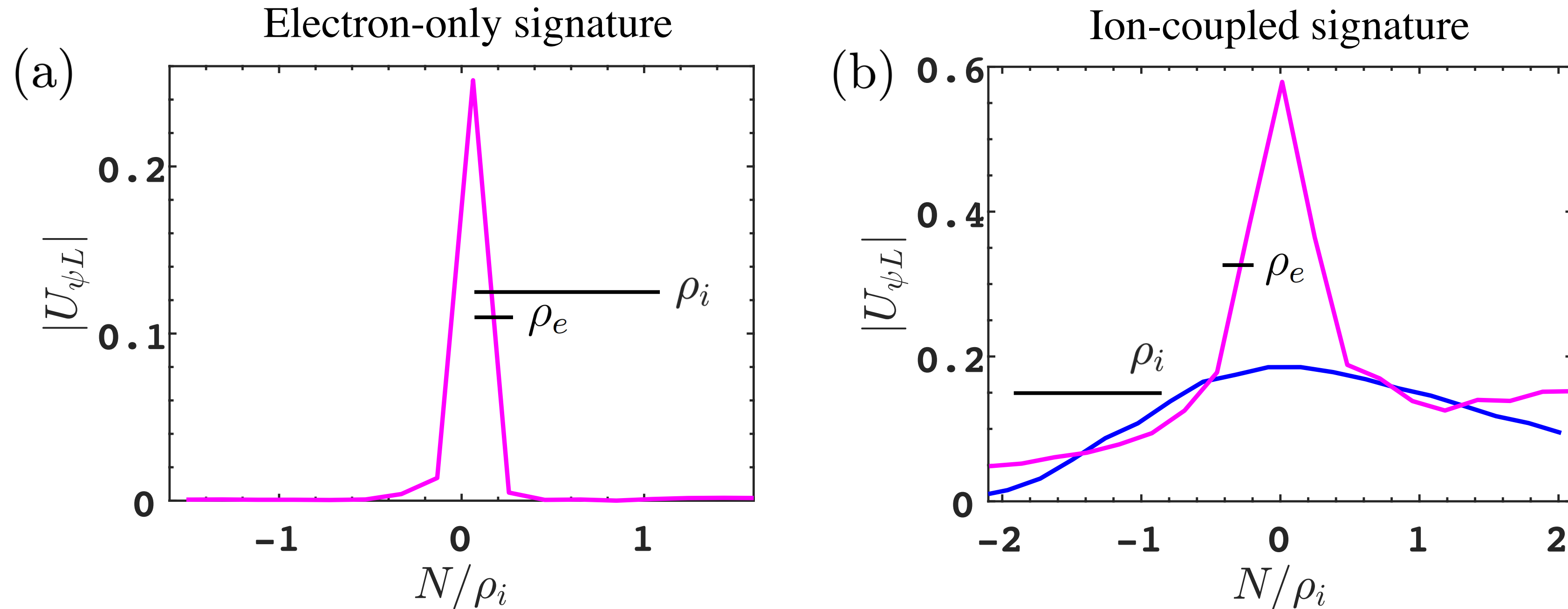
Moving downstream from the X-line, the **two-scale** MFT outflow evolves into a single **ion-scale** structure, consistent with moving from EDR into IDR.

Electron-only reconnection



MFT outflow remains electron-scale for a few ion gyro radii downstream from the X-line.

# Specific MFT signatures for electron-only and ion-coupled reconnection



The electron-only signature is only an electron-scale MFT outflow along the normal direction.

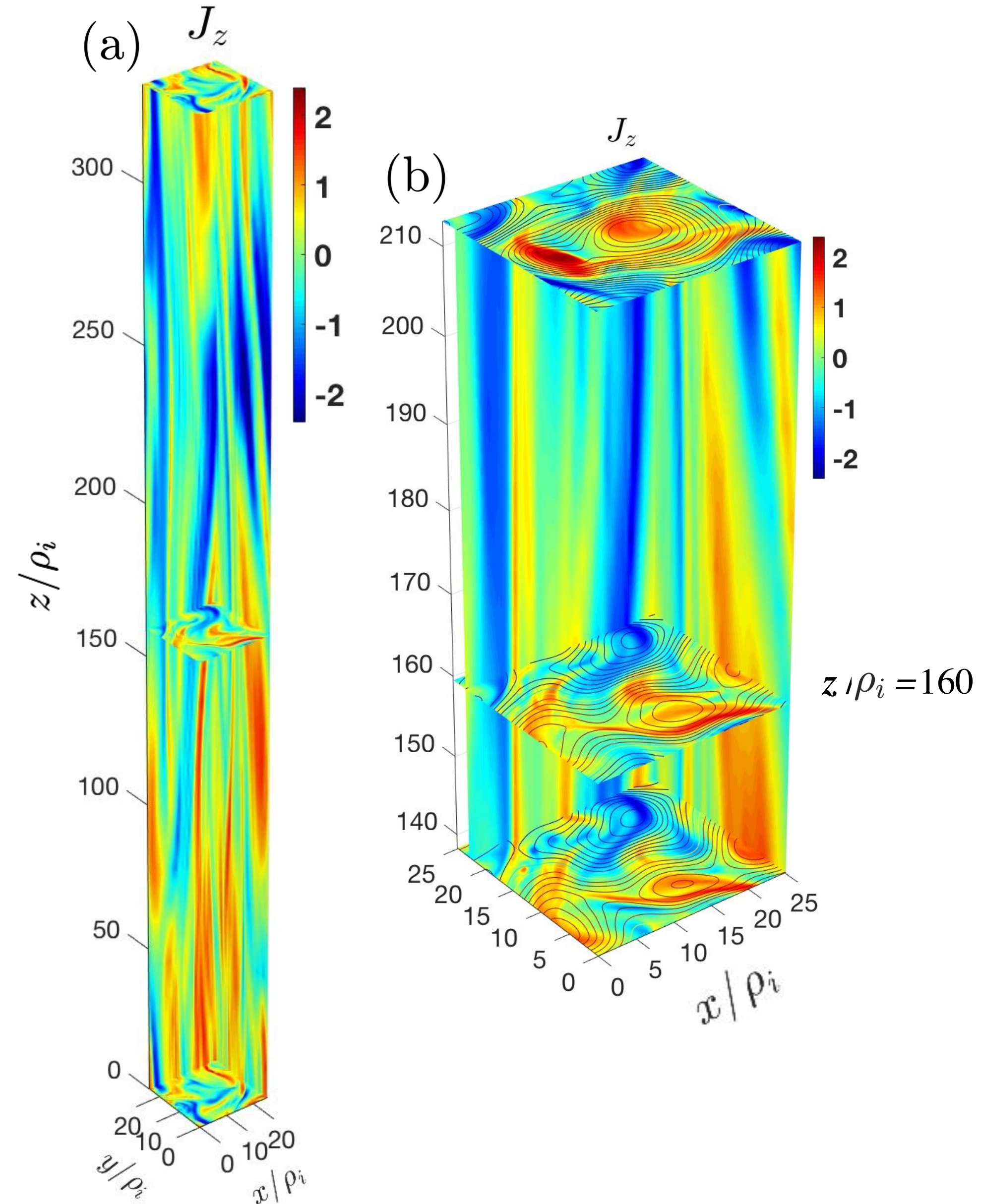
The ion-coupled signature is a two-scale, inner-electron-outer-ion-scale MFT outflow in the EDR, which evolves into an ion-scale MFT outflow in the IDR.

This new capability to identify electron-only reconnection is independent of electron outflows. It has direct application to simulations, and potential application to observations.

**New insights on the evolution of reconnection in turbulence**



# New insights on the evolution of reconnection in turbulence

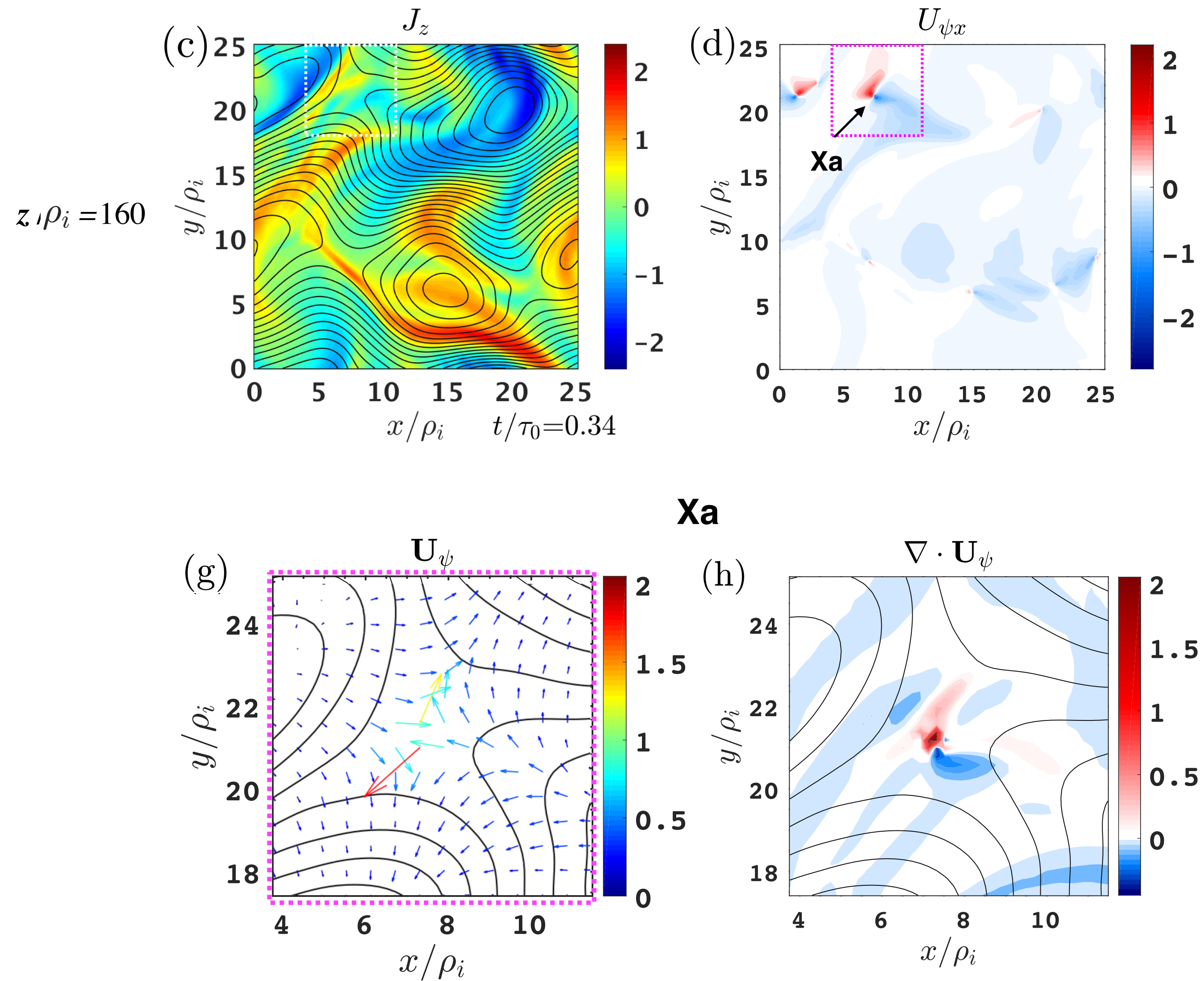


## 3D simulation of kinetic Alfvén wave turbulence

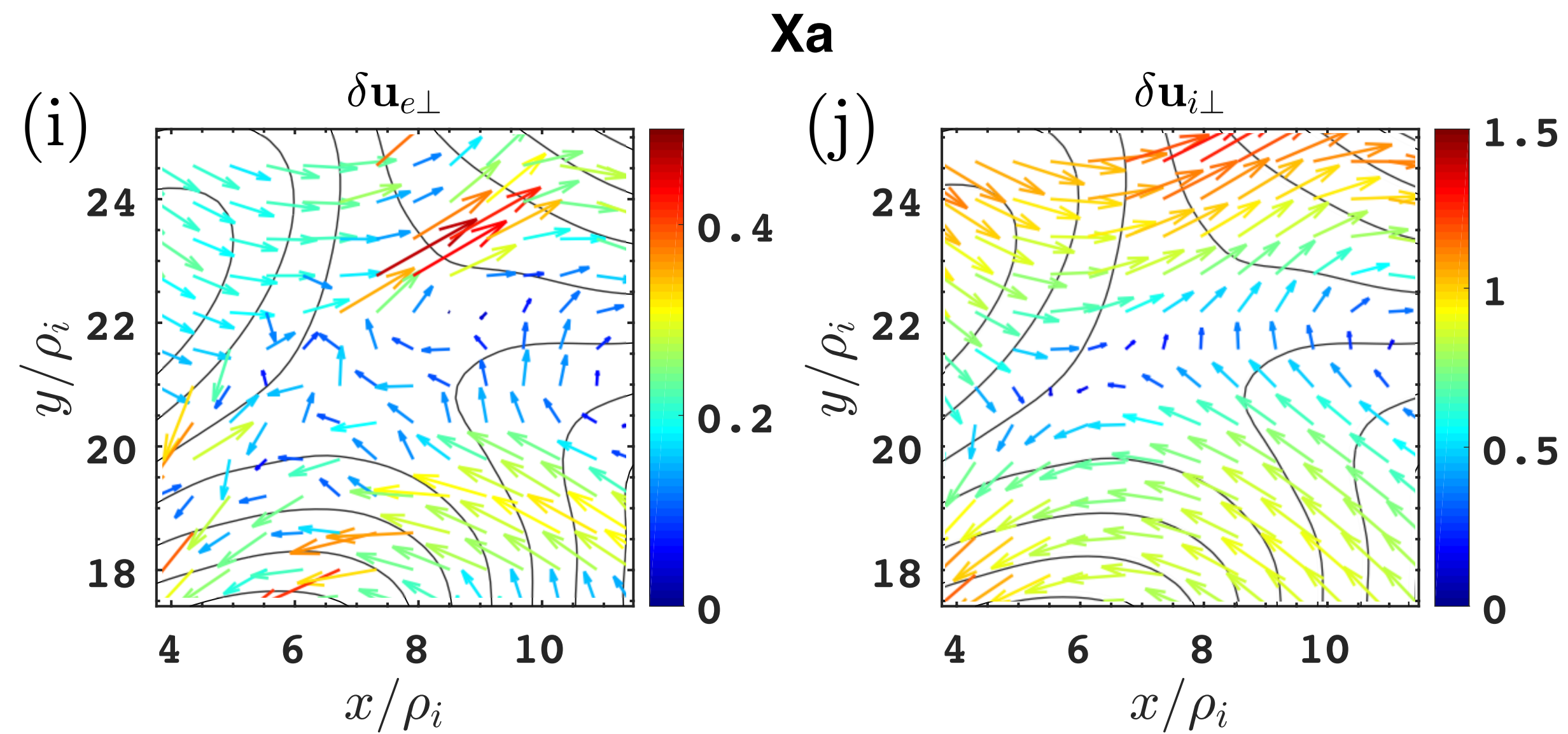
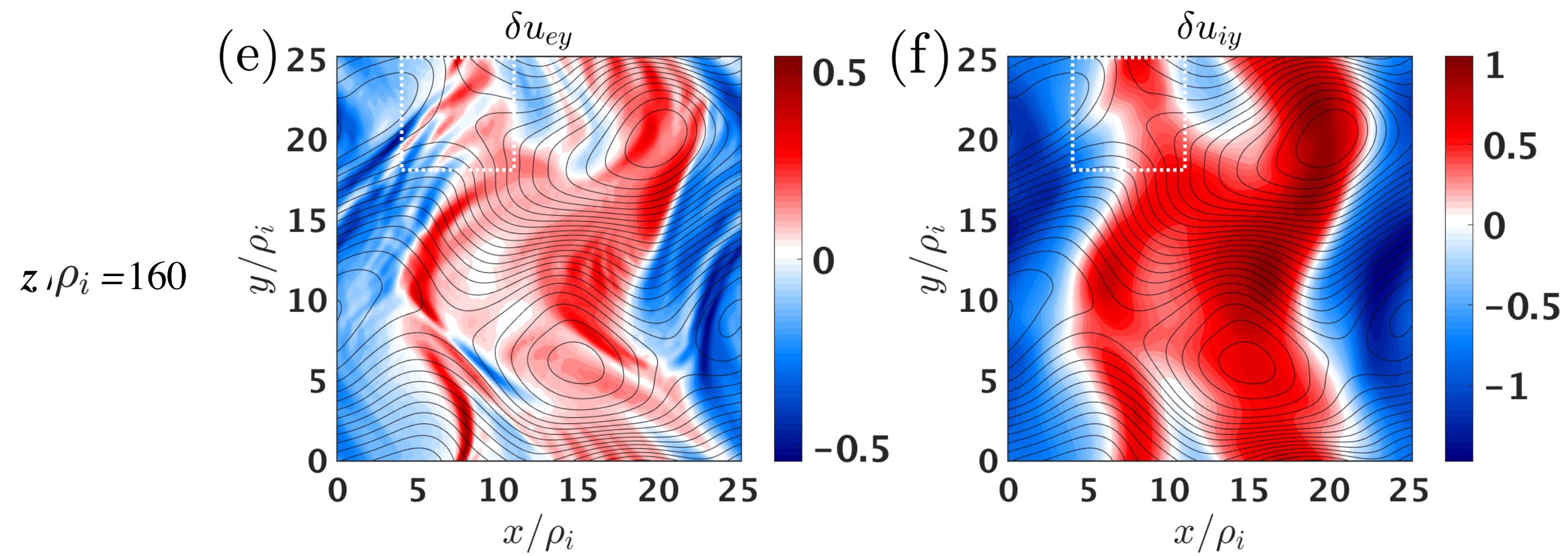
- Plasma beta = 0.01
- Dynamic range:  $0.25 \leq k_{\perp} \rho_i \leq 10.5$
- Gyrokinetic simulation:  $\delta B \ll B_0$
- 3D generalization of the Orszag-Tang Vortex (Li+ 2016 ApJL)
- Normalization: ion gyroradius, electron thermal speed



# Identifying reconnection in 3D turbulence

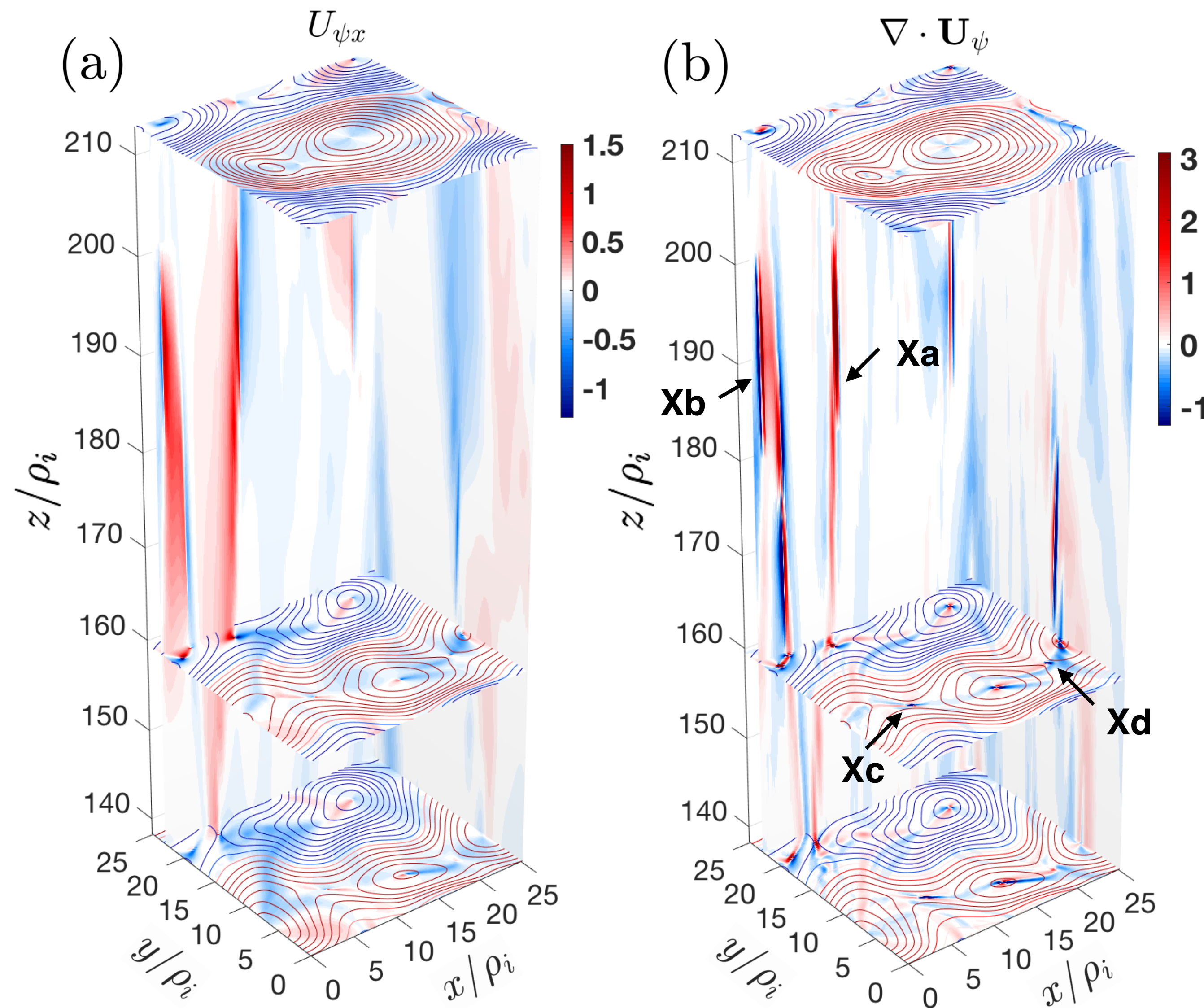


# Comparison with ion and electron flows





# Discovery of extended reconnection X-lines in kinetic turbulence



Highly extended reconnection  
X-lines in the 3D domain.

$\sim 100$  ion gyroradii.

First evidence for extended  
reconnection in kinetic turbulence.

# How do extended reconnection X-lines form?

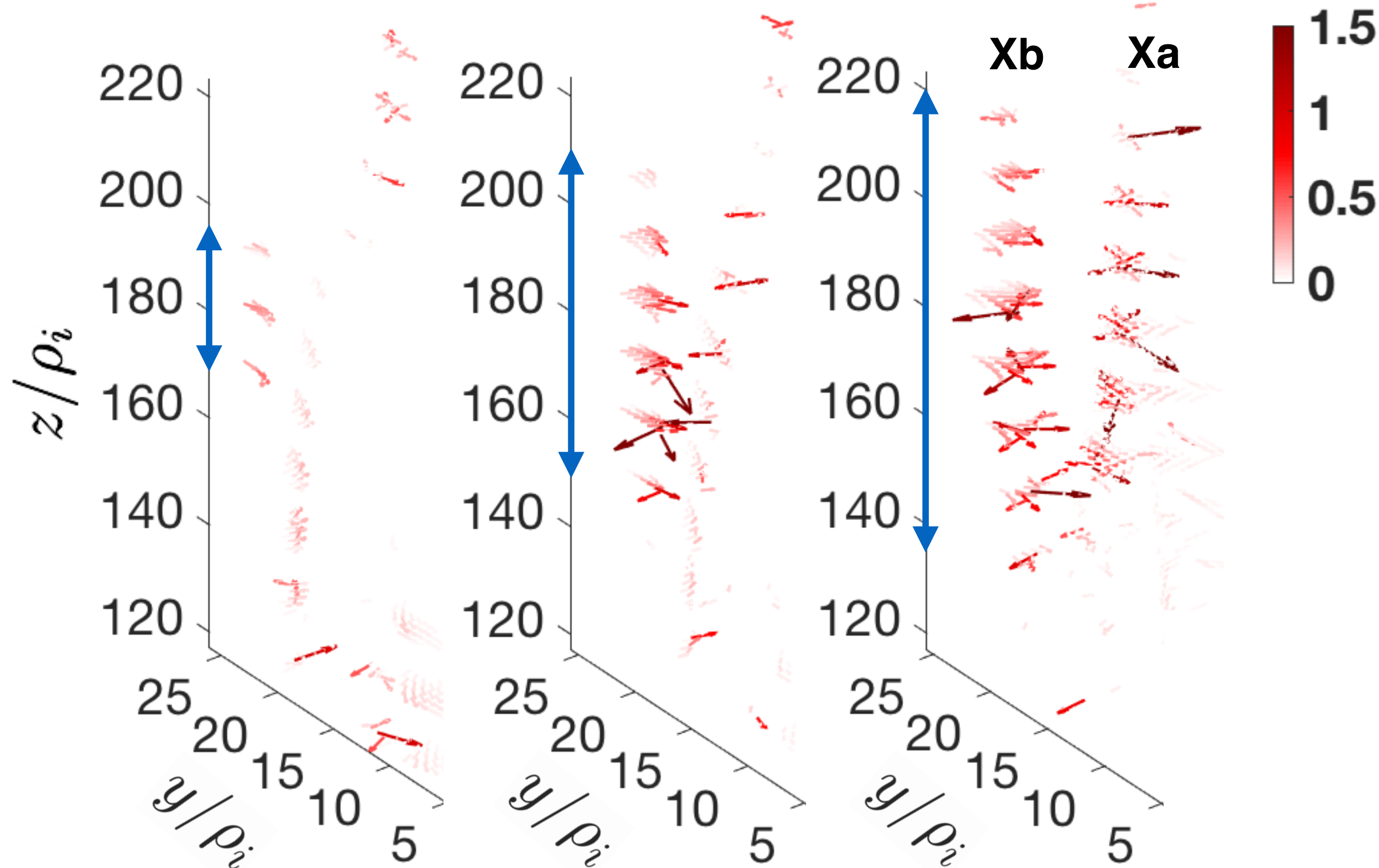
$$\mathbf{U}_\psi$$

$t/\tau_0 =$  (a) 0.24

(b) 0.28

(c) 0.34

Bi-directional spreading



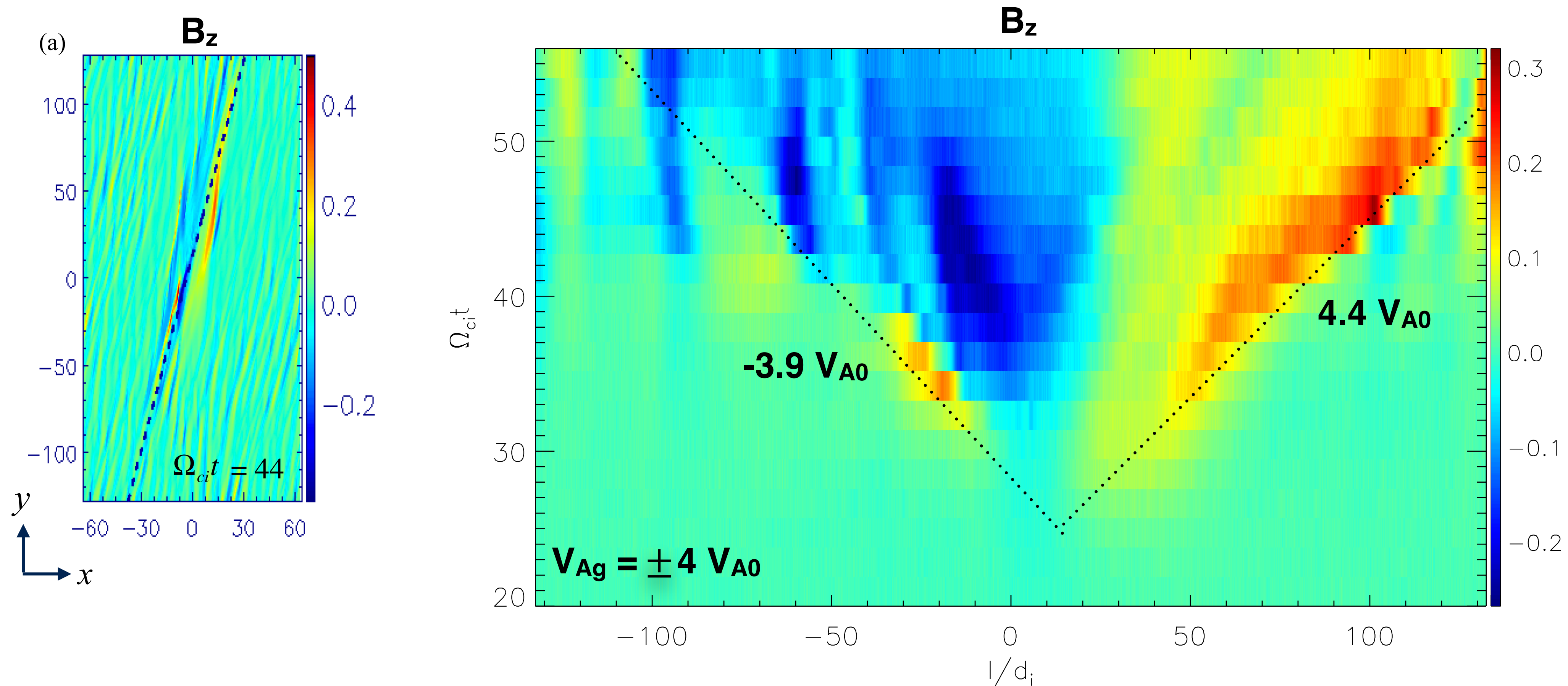
Reconnection starts in localized regions, and spreads bidirectionally at the Alfvén speed to form extended X-lines.

Consistent with counterpropagating kinetic Alfvén waves mediating the spreading of reconnection X-lines.

Strikingly similar to spreading of laminar reconnection under a guide field (Li+ 2020, Shepherd & Cassak 2012)



# Evolution of guide-field reconnection in laminar plasmas



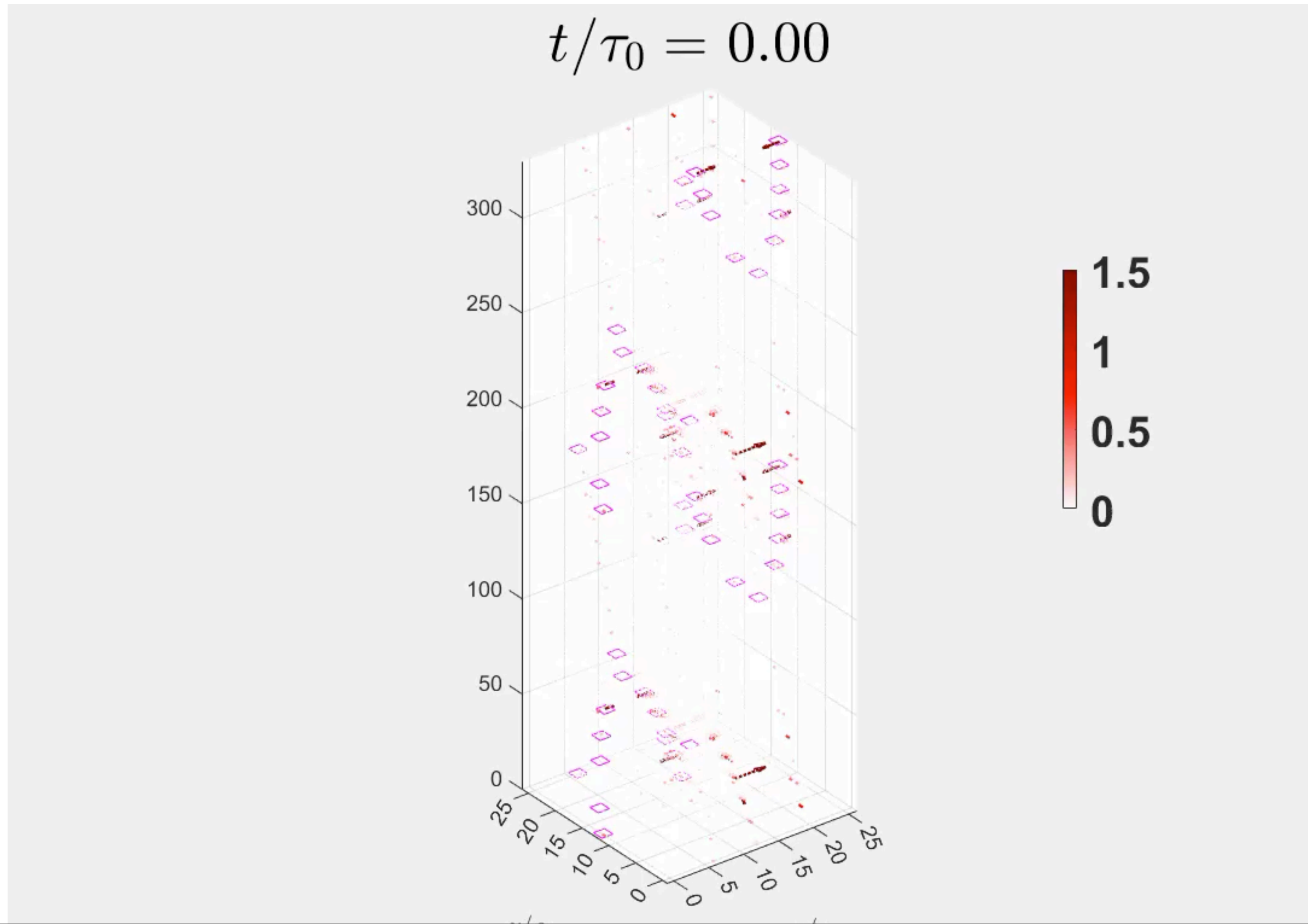
Li+ 2020 JGR

3D evolution of reconnection in turbulence is strikingly similar to those in laminar plasmas.



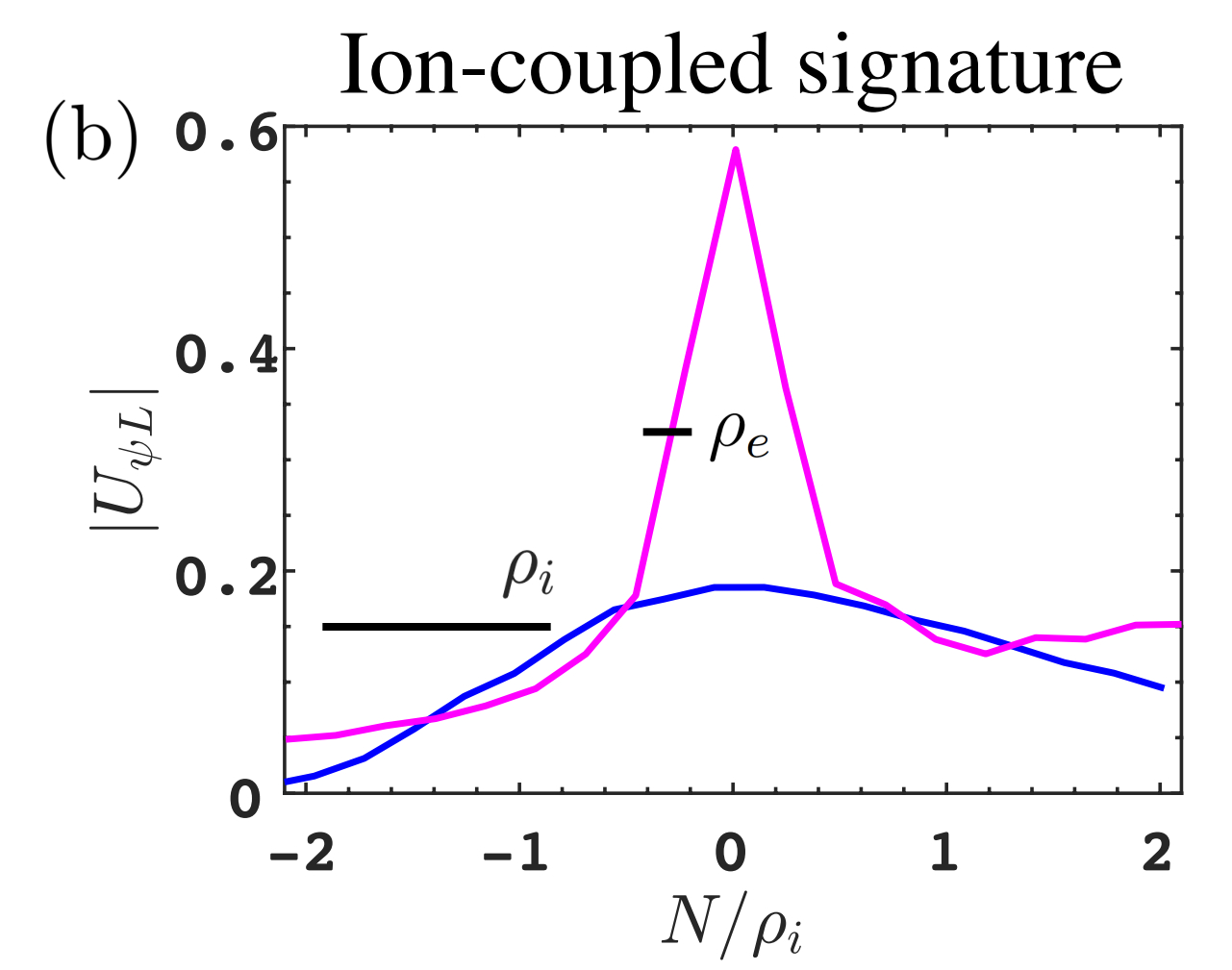
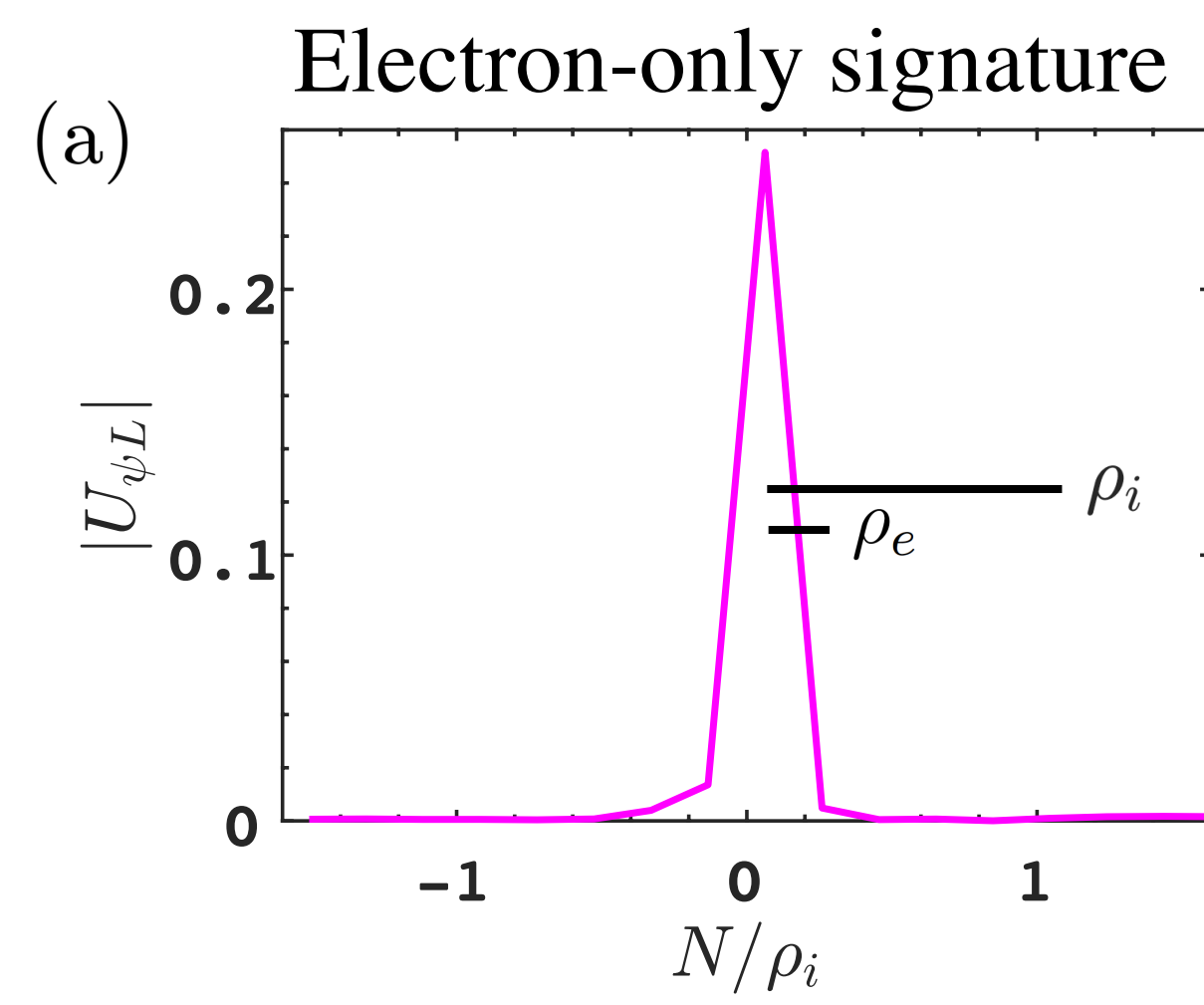
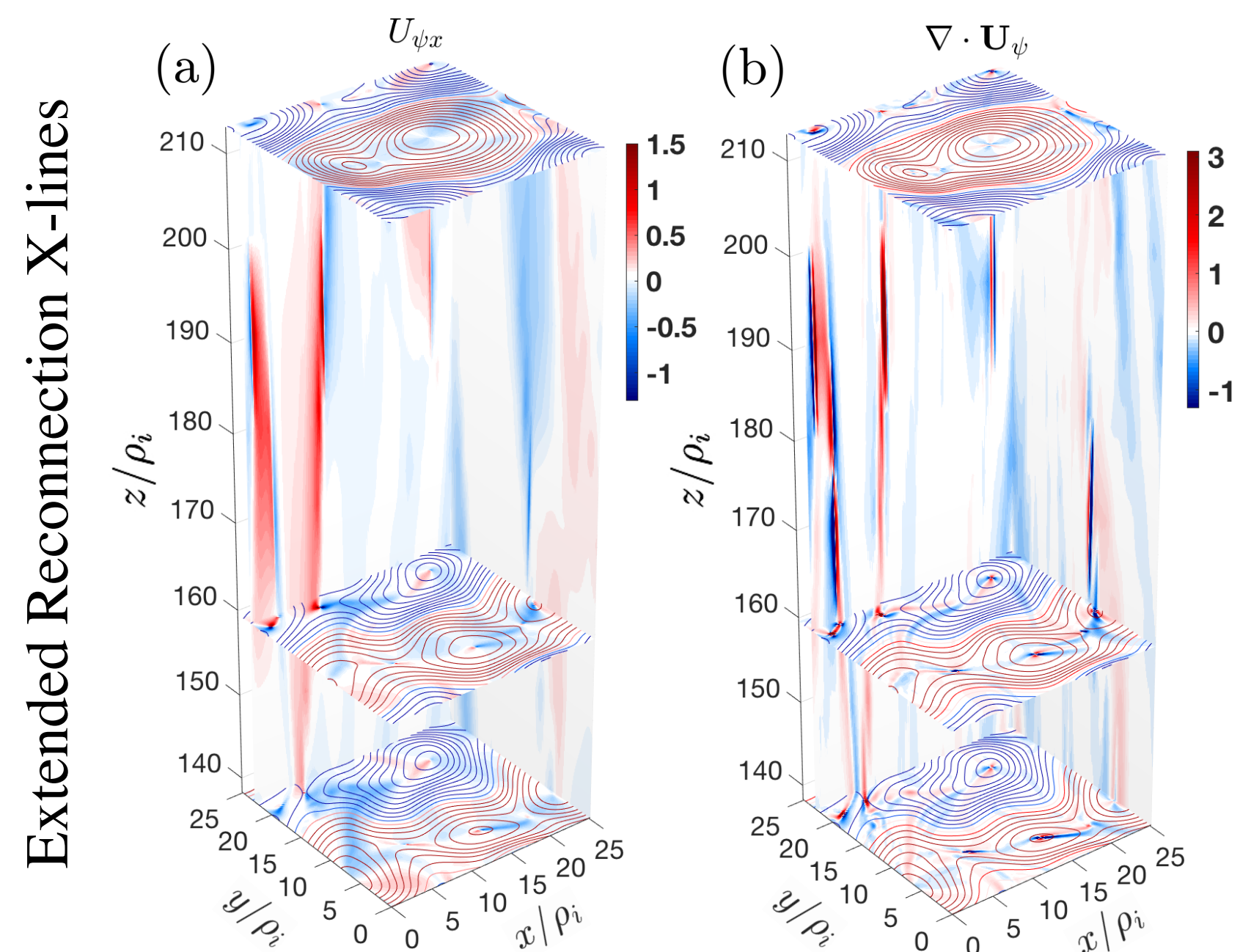
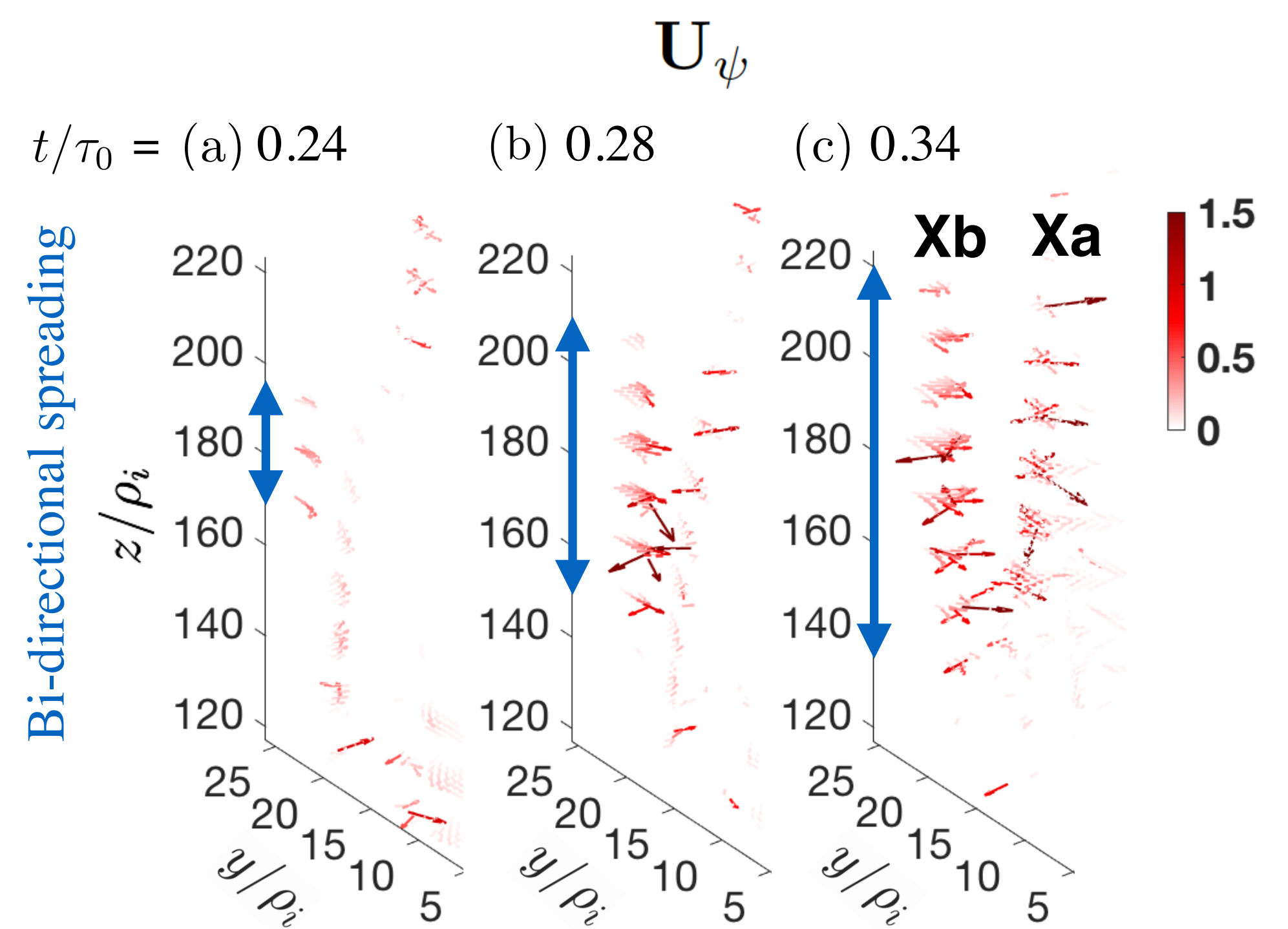
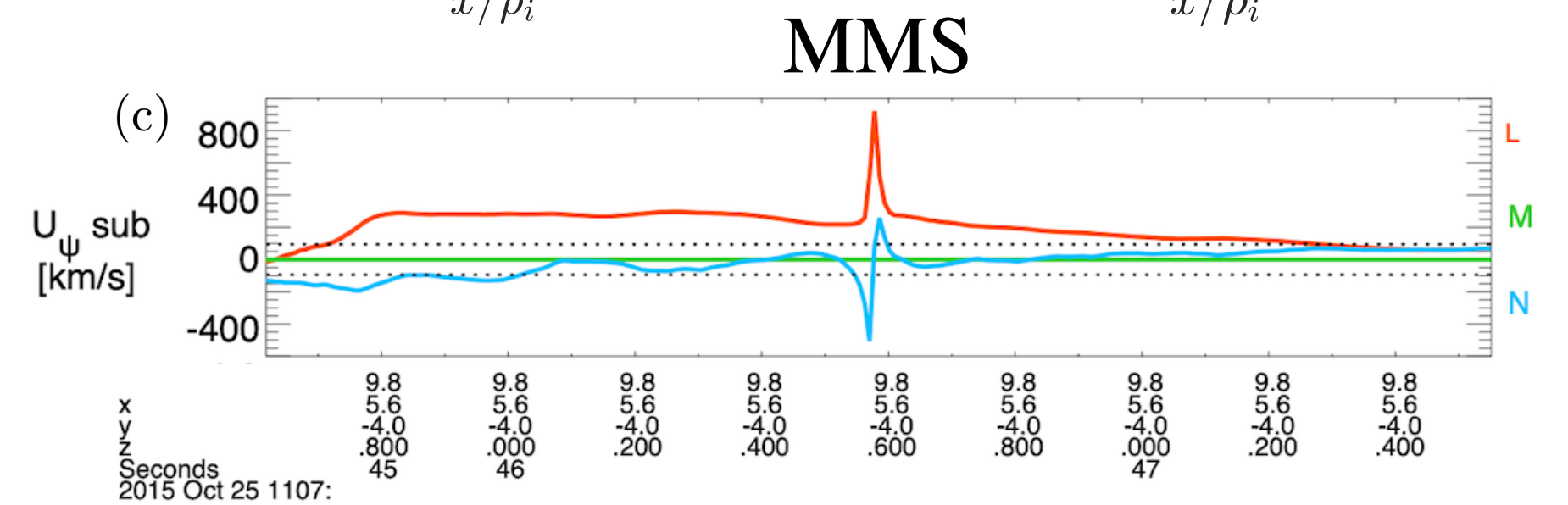
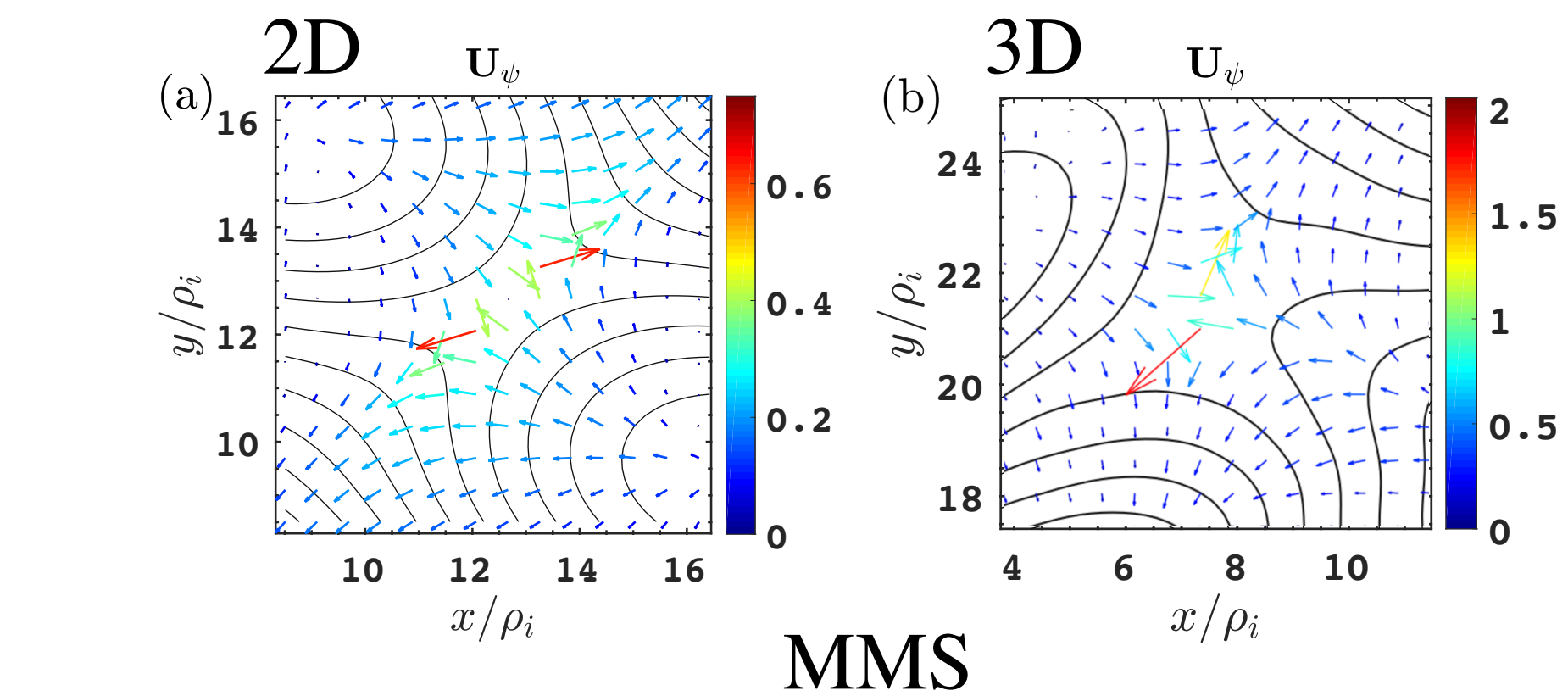
# Automatic reconnection identification procedure with MFT

- Select saddle points with Hessian matrix (Servidio+ 2009 PRL)
- Impose thresholds on the divergence of MFT to identify active reconnection X-lines



## Summary

- The MFT method is an innovative method to identify reconnection in turbulent plasmas independent of complex plasmas flows.
- It has direct application to in situ observations, kinetic and fluid simulations.
- A new capability identifies electron-only reconnection independent of electron outflows.
- New insights on reconnection in 3D turbulence reveals extended reconnection X-lines in kinetic turbulence, which evolve in strikingly similarly to laminar reconnection under a guide field.
- An automatic procedure is underway for investigating reconnection activity statistically.





# References

1. Li et al, "Identification of Active Magnetic Reconnection Using Magnetic Flux Transport in Plasma Turbulence," ApJL, 2021
2. Qi et al, "Magnetic Flux Transport Identification of Active Reconnection: MMS Observations in the Earth's Magnetosphere," ApJL, 2022
3. Li et al, "Extended Magnetic Reconnection in Kinetic Plasma Turbulence," PRL, 2023
4. Hasegawa et al, "Advanced Methods for Analyzing In-Situ Observations of Magnetic Reconnection," Space Sci. Rev. 2024 (Section 3.1.5 MFT method)
5. Li et al, "Magnetic flux transport signatures of electron-only and ion-coupled magnetic reconnection in plasma turbulence", ApJ, 2025