

Energy partitioning of magnetic reconnection in electron-ion plasmas

2nd European Conference on Magnetic Reconnection in Plasmas
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Masahiro Hoshino

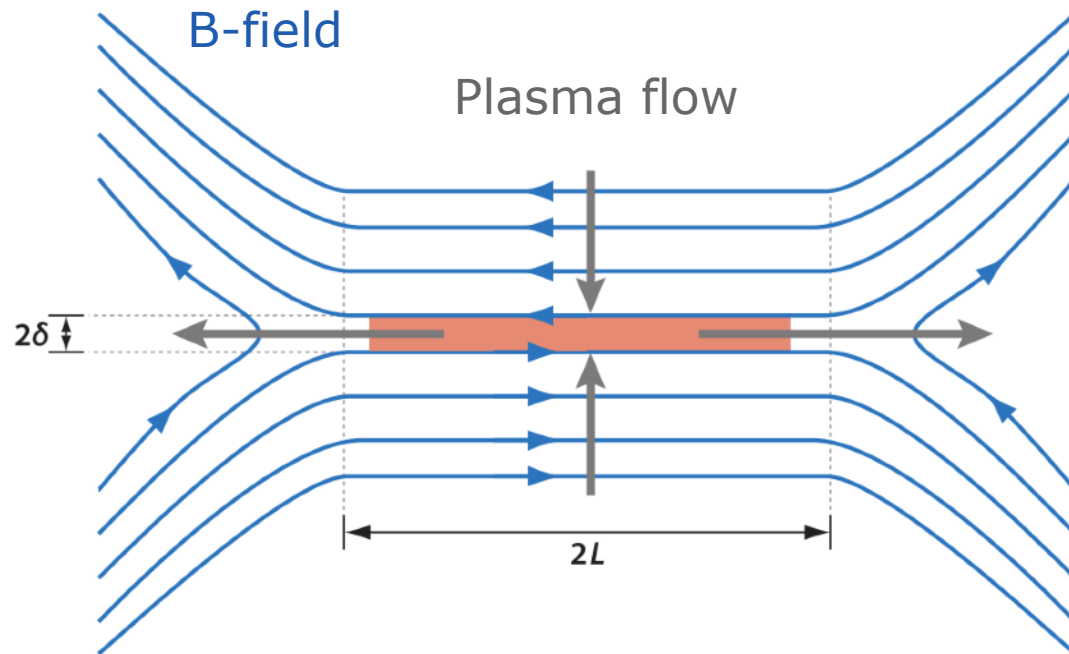


自然科学研究機構
National Institutes of Natural Sciences

Magnetic reconnection may explain nonthermal emissions in space physics and astrophysics



Reconnection Geometry



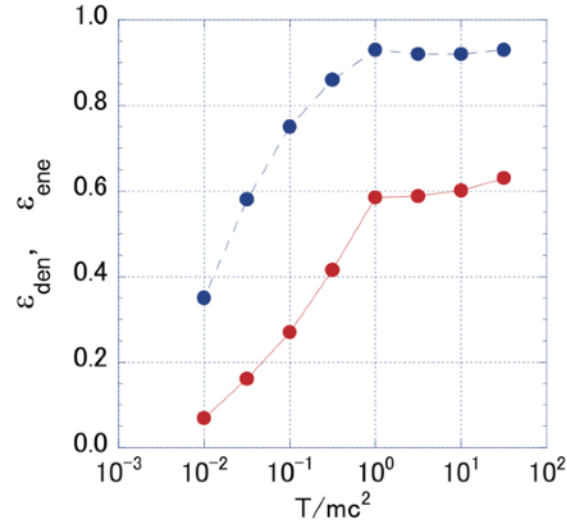
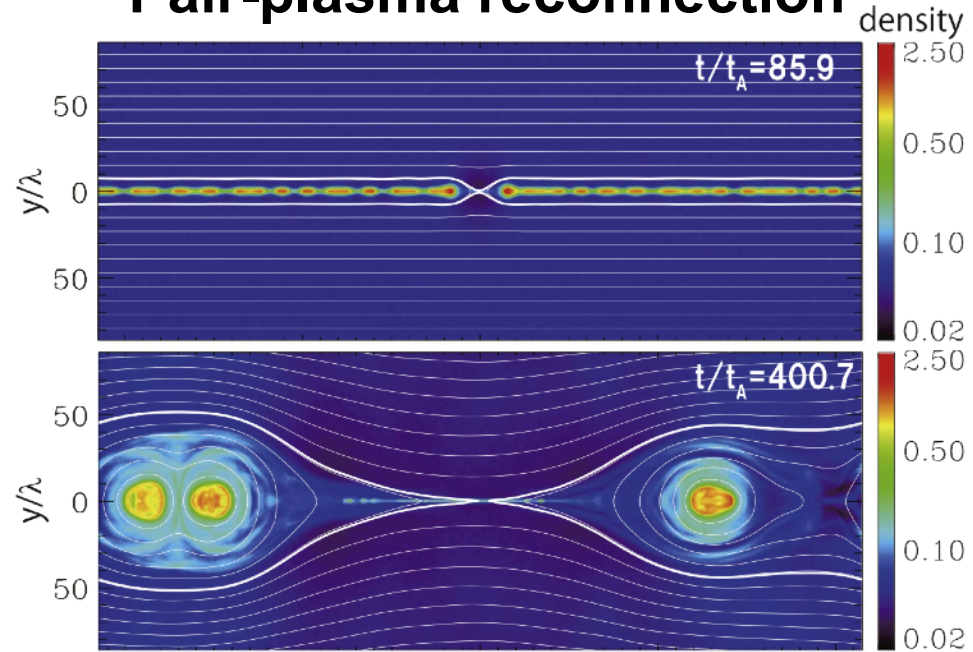
Zweibel, E. & Yamada, Annu. Rev. Astron. Astrophys. 47, 291–332 (2009).

- Magnetic reconnection converts magnetic energy into bulk plasma flows, thermal heating, and nonthermal energetic particles
- Particle acceleration mechanisms and resulting energy spectra are being intensely studied (Guo et al. PRL 2014, Sironi & Spitkovsky ApJL 2014, Cerutti et al. ApJ 2014, Nalewajko et al. ApJ 2015)
- The partitioning of the dissipated magnetic energy into various possible channels (thermal/nonthermal electrons/ions) is not yet understood

Hoshino (POP 2022, ApJ) 2023 studied thermal and nonthermal partitioning of pair plasma reconnection for varied temperature and guide field strength



Pair-plasma reconnection



**Nonthermal
energy fraction**

**Nonthermal
particle number
fraction**

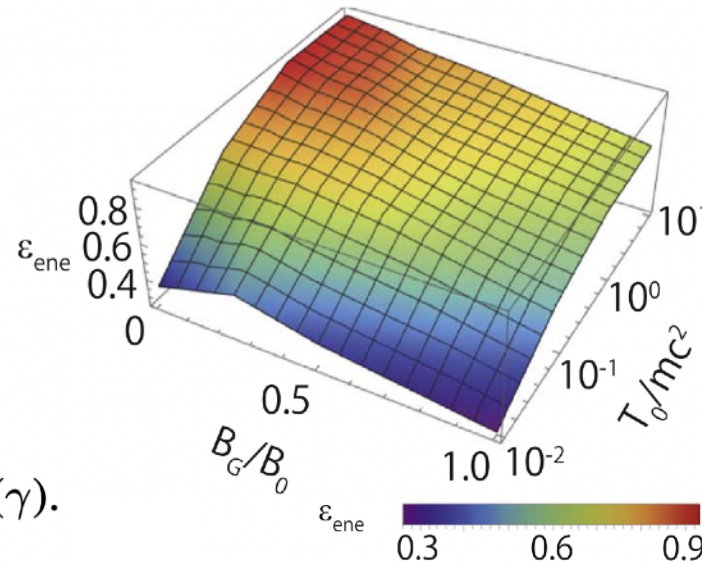
M. Hoshino PoP 29 042902 (2022)

Spectral fitting function:

$$N_{M+\kappa}(\gamma) = N_M(\gamma) + N_\kappa(\gamma),$$

$$N_M(\gamma) = n_M \gamma \sqrt{\gamma^2 - 1} \exp\left(-\frac{\gamma - 1}{T_M/mc^2}\right),$$

$$N_\kappa(\gamma) = n_\kappa \gamma \sqrt{\gamma^2 - 1} \left(1 + \frac{\gamma - 1}{\kappa T_\kappa/mc^2}\right)^{-(1+\kappa)} f_{cut}(\gamma).$$

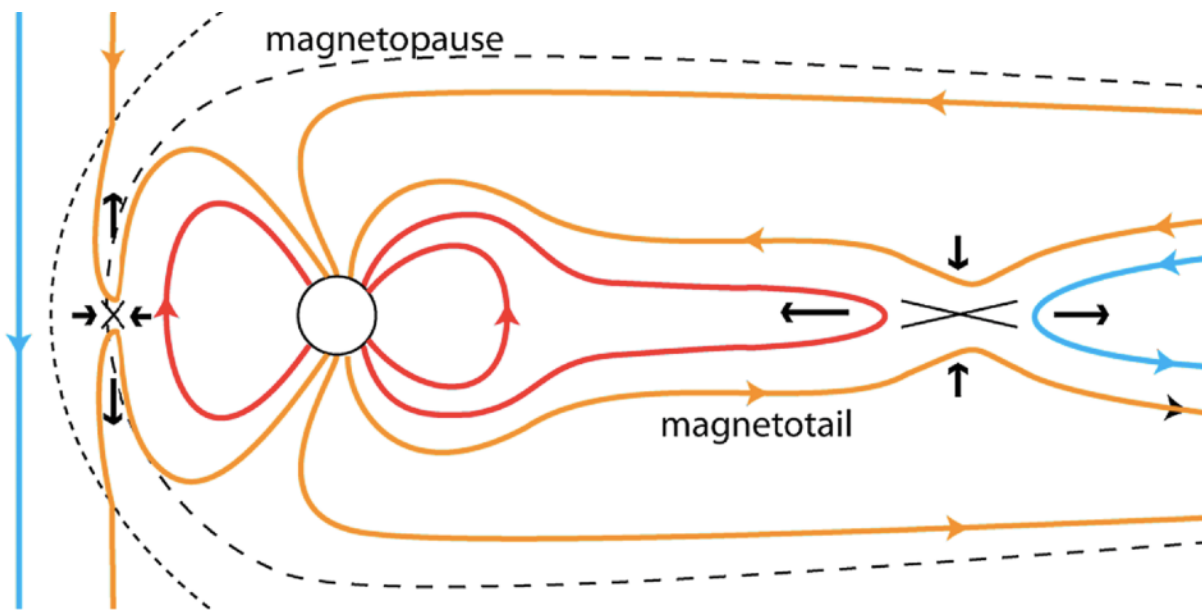


**Guide field dependence
of nonthermal energy
fraction**

M. Hoshino ApJ 946 77 (2023)

Example application: Magnetic reconnection in the Earth's magnetosphere

Magnetotail reconnection



Eastwood et al. 2017

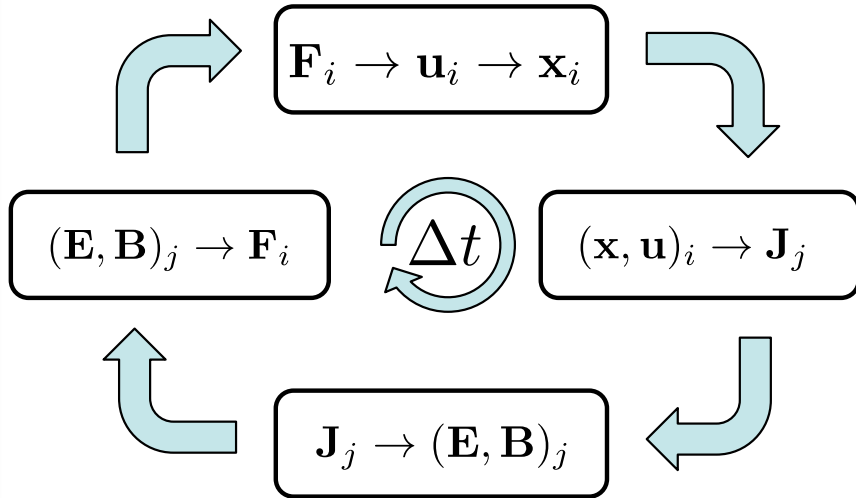
- Magnetic reconnection is thought to play a key role in substorm disruptions in the Earth's magnetotail
- Nonthermal energetic electrons and ions with power-law energy spectra are routinely observed in association with substorms (Turner et al. 2016, Imada et al. 2015)
- The production of these nonthermal particles and the development of an ion to electron temperature ratio $T_i/T_e \approx 5$ is not fully understood

Simulations are run using the OSIRIS particle-in-cell (PIC) code on Supercomputer Fugaku (RIKEN, Japan)



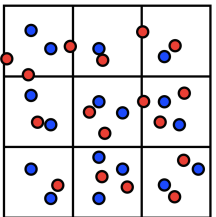
PIC Simulation Loop

$$\frac{d\mathbf{u}}{dt} = \frac{q}{m} \left(\mathbf{E} + \frac{1}{\gamma c} \mathbf{u} \times \mathbf{B} \right)$$



$$\frac{\partial \mathbf{E}}{\partial t} = c \nabla \times \mathbf{B} - 4\pi \mathbf{J}$$

$$\frac{\partial \mathbf{B}}{\partial t} = -c \nabla \times \mathbf{E}$$

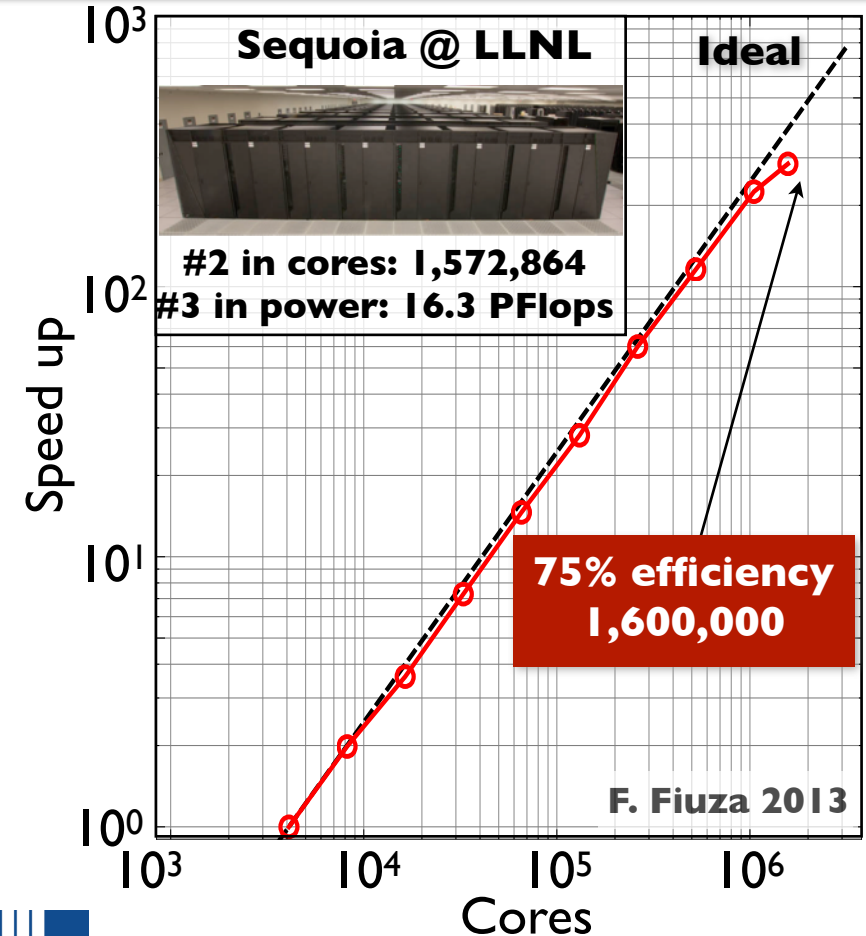


OSIRIS: a state-of-the-art PIC code



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 Frank Tsung:
tsung@physics.ucla.edu

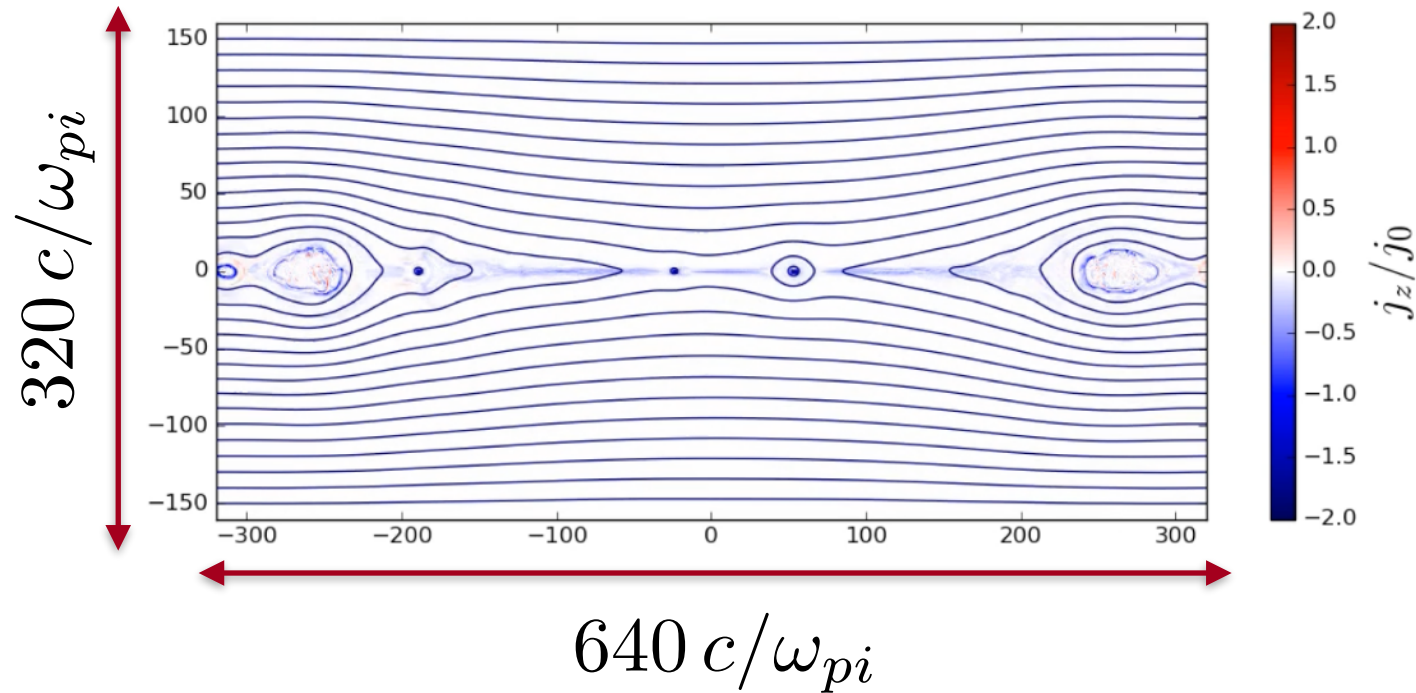
<http://epp.tecnico.ulisboa.pt/>
<http://plasmasim.physics.ucla.edu/>



4,096

1,572,864

Simulation initial conditions



- Two-dimensional Harris current sheets
- Reconnection triggered in the center of the domain by a perturbation in the initial magnetic field
- Uniform background plasma provides a steady inflow of magnetized plasma

$$\begin{aligned} n_{ppc} &= 64 & n_{bg}/n_0 &= 0.05 \\ m_i/m_e &= 100 & \Delta x/(c/\omega_{pe}) &= 0.5 \\ T/m_e c^2 &= 0.0625 - 384 \end{aligned}$$

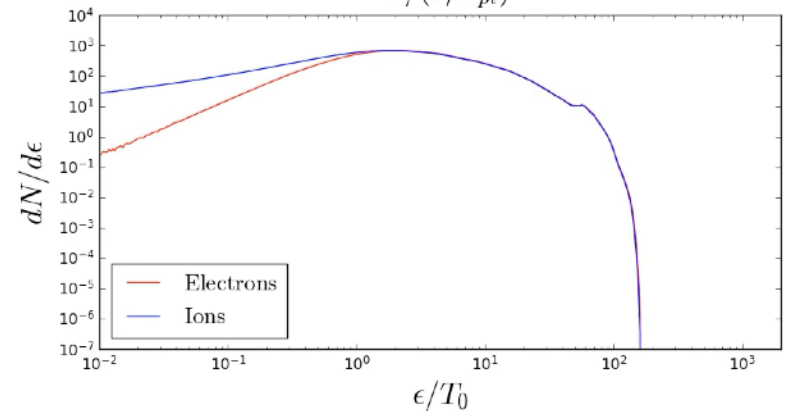
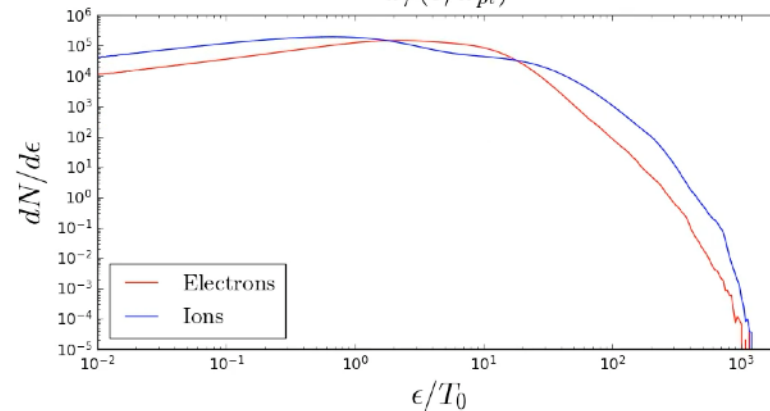
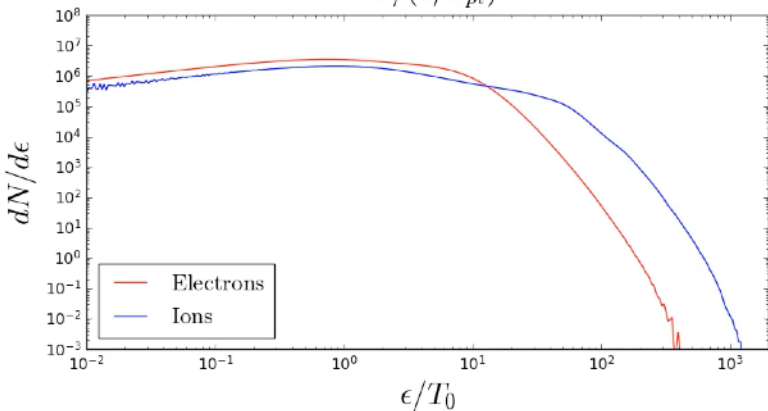
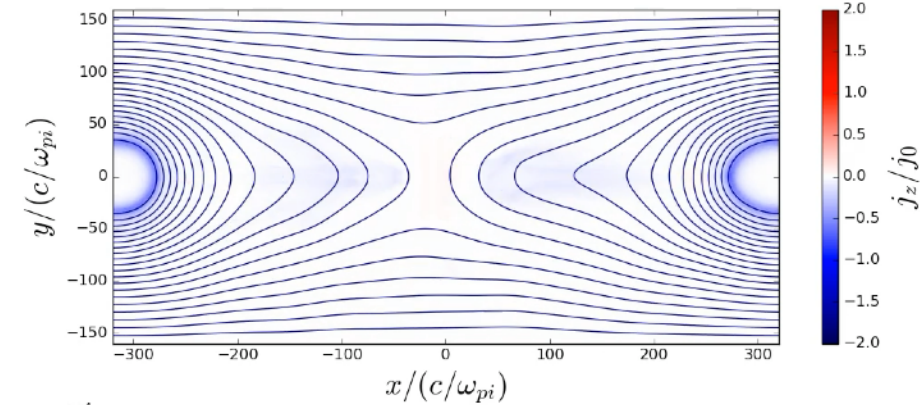
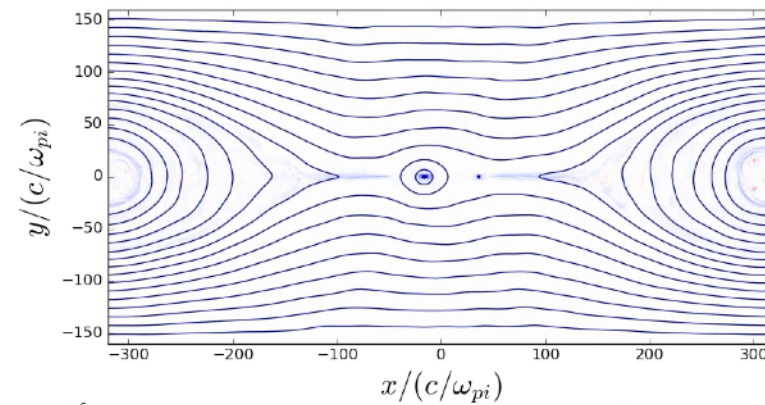
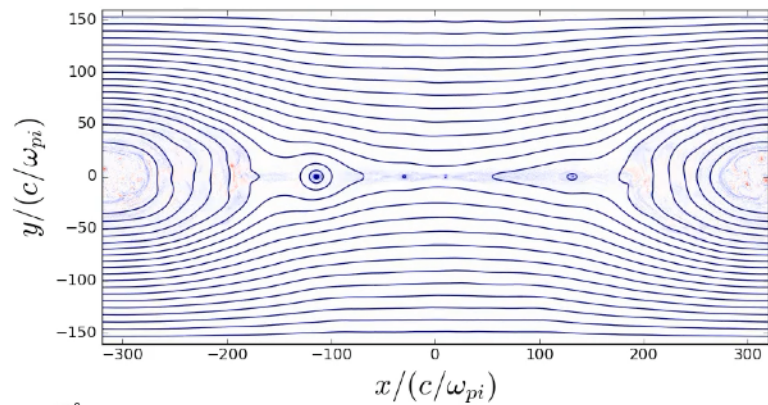


Current sheet evolution and energy spectra for varied initial temperatures

$$T/m_e c^2 = 0.0625$$

$$T/m_e c^2 = 1$$

$$T/m_e c^2 = 384$$

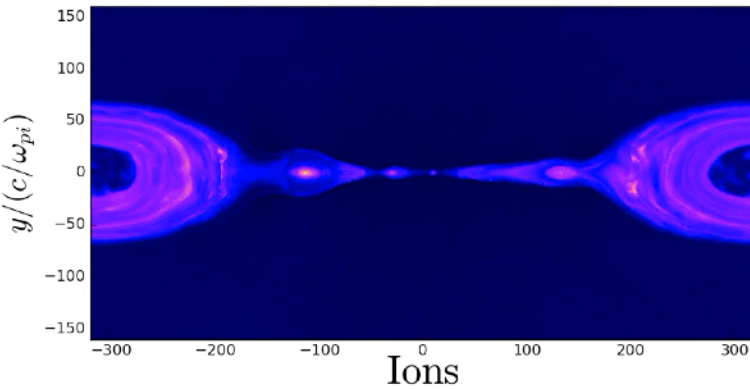


Thermal heating comparison for varied initial temperatures

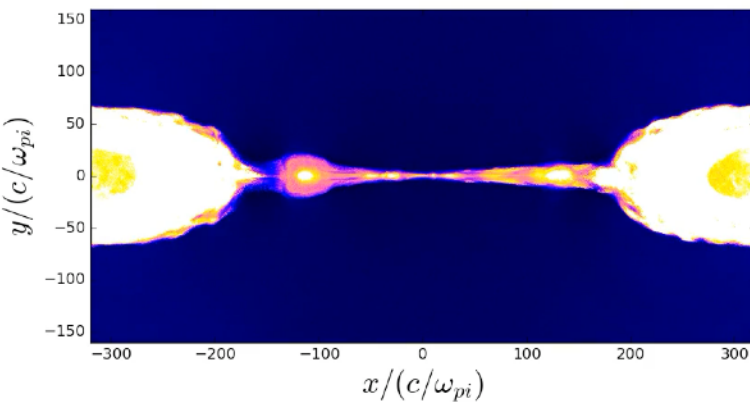


$$T/m_e c^2 = 0.0625$$

Electrons

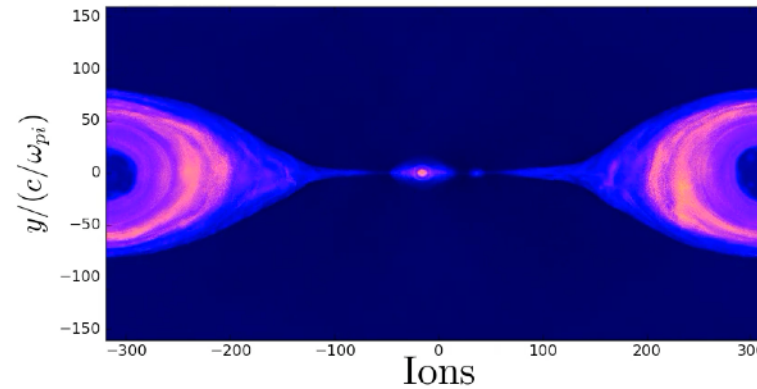


Ions

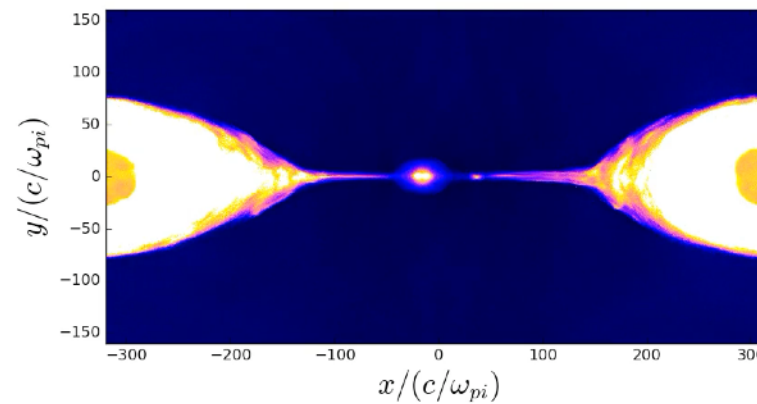


$$T/m_e c^2 = 1$$

Electrons

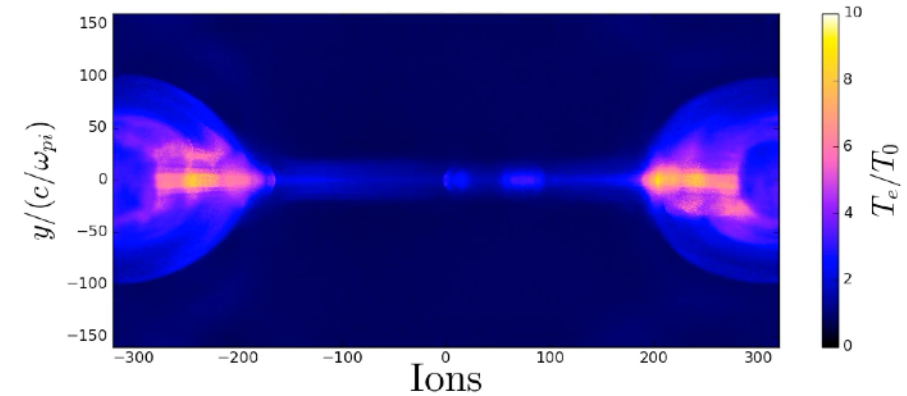


Ions

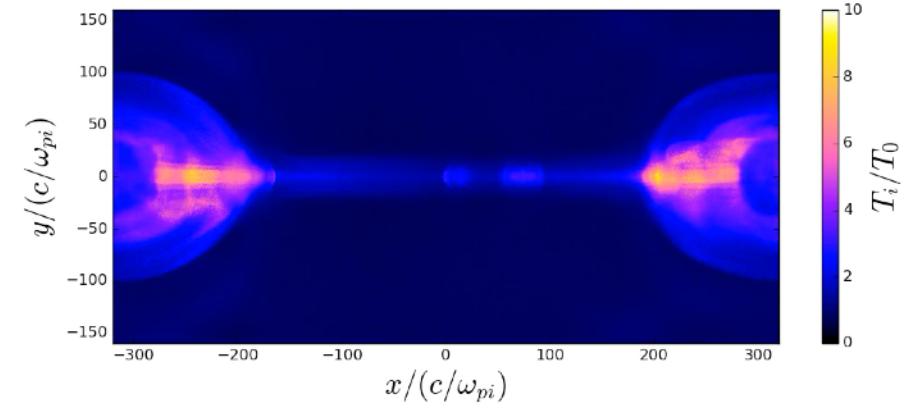


$$T/m_e c^2 = 384$$

Electrons



Ions

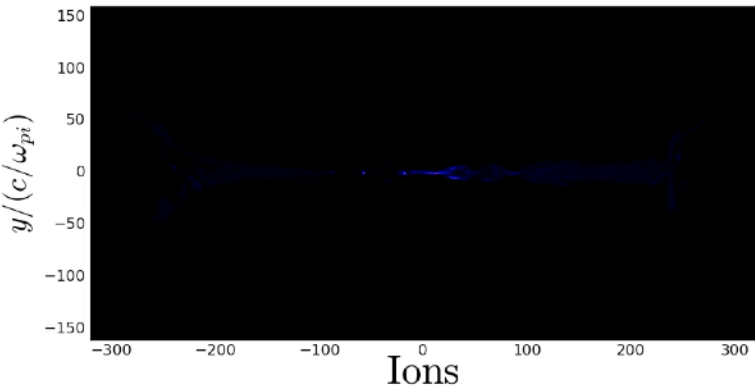




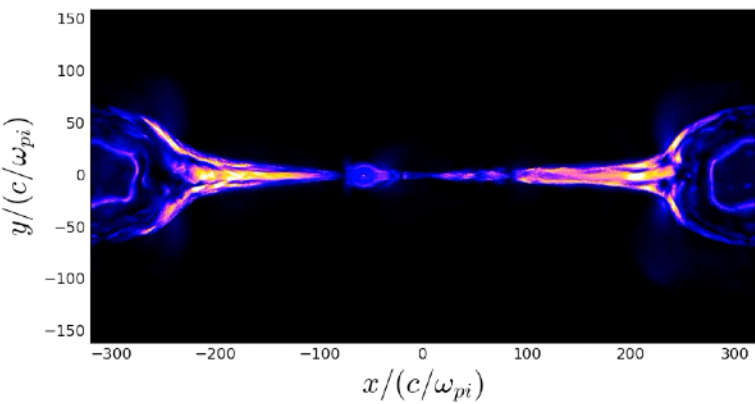
Bulk flow energy comparison for varied initial temperatures

$$T/m_e c^2 = 0.0625$$

Electrons

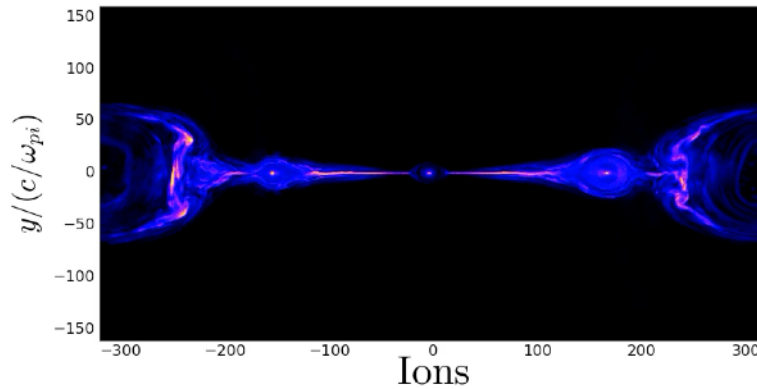


Ions

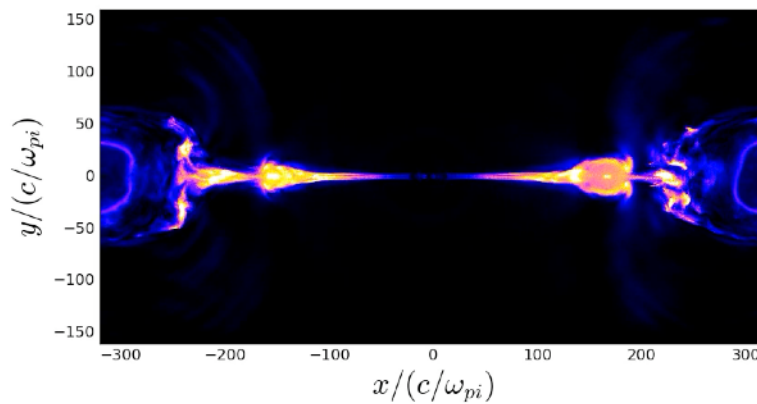


$$T/m_e c^2 = 1$$

Electrons

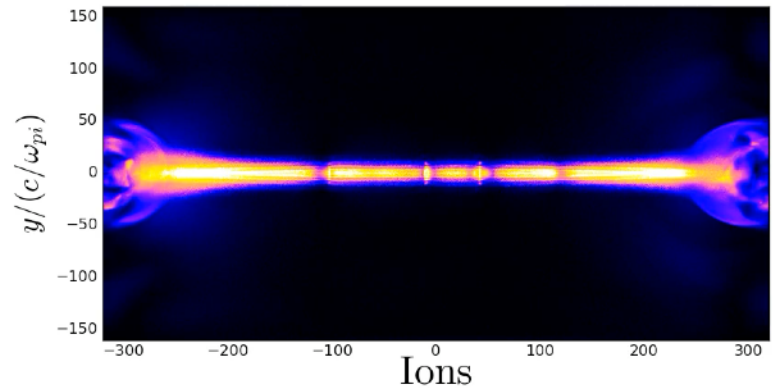


Ions

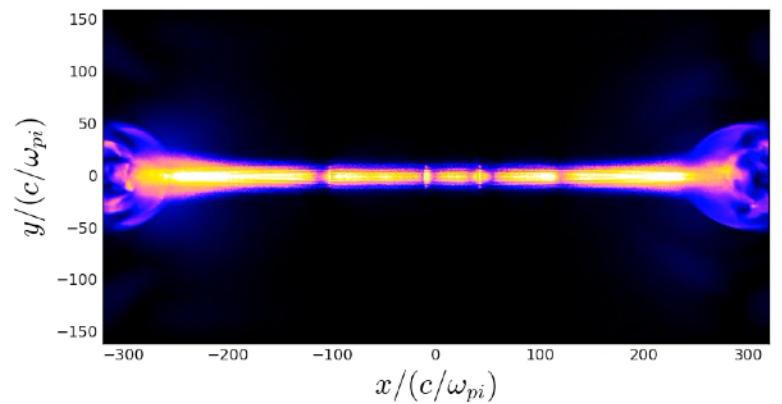


$$T/m_e c^2 = 384$$

Electrons

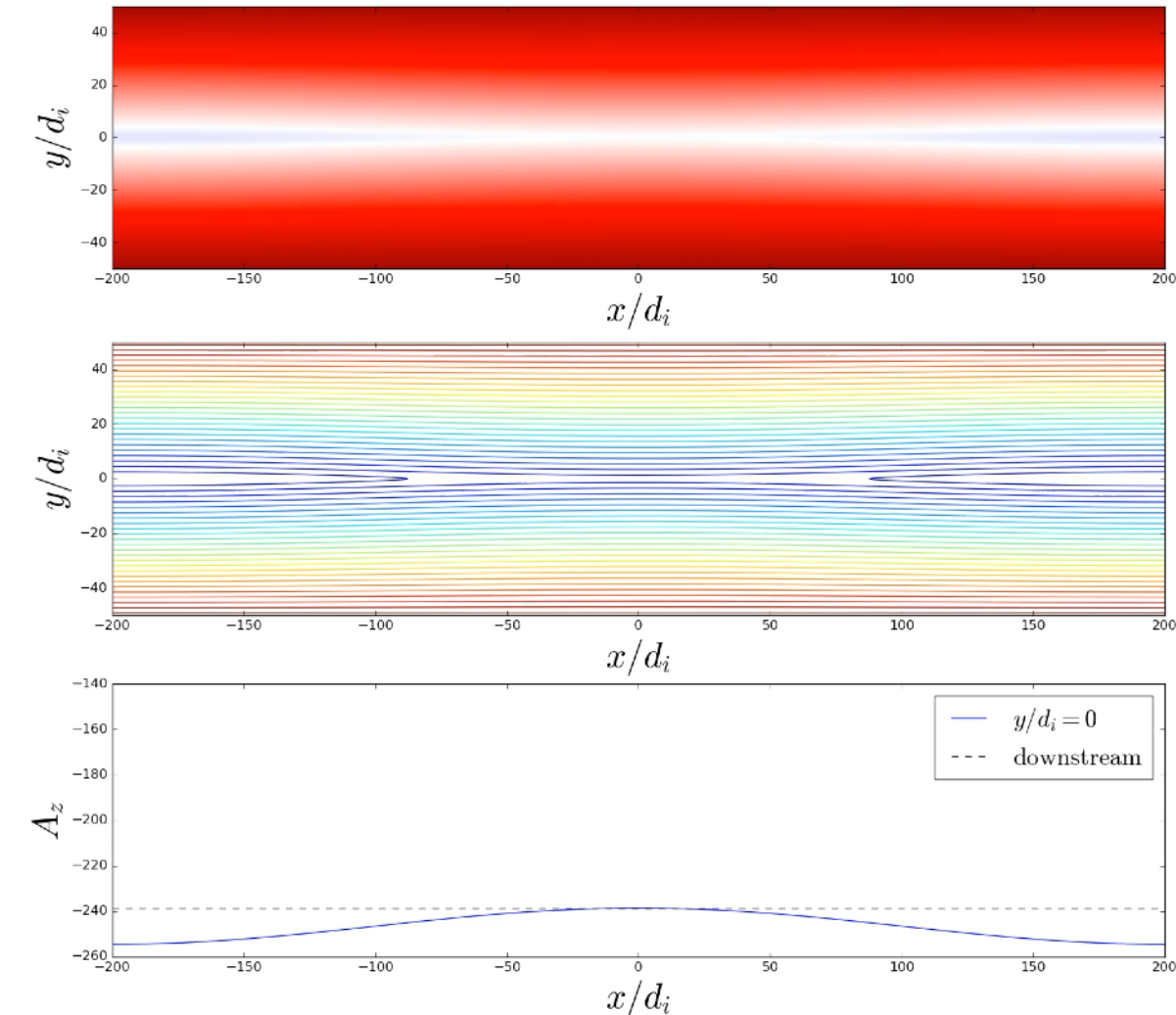


Ions



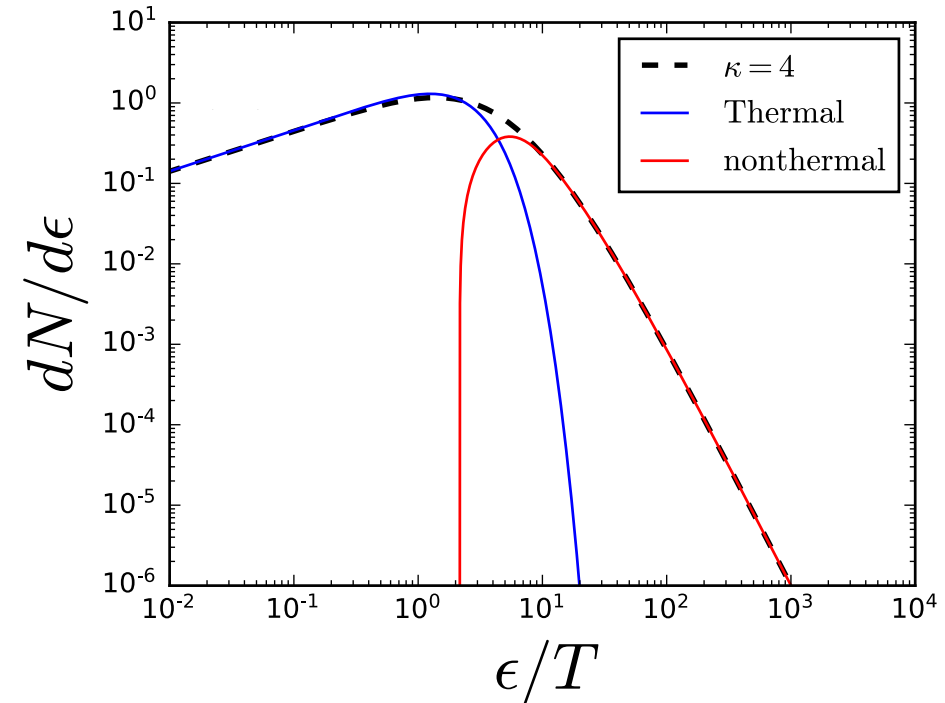
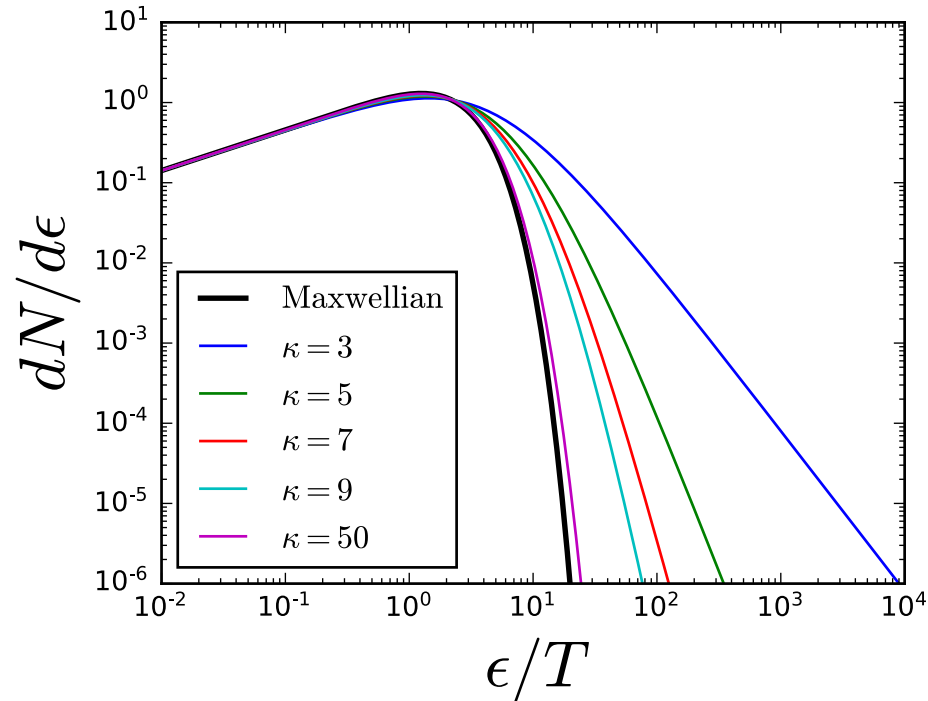


Energy spectra are calculated by integrating downstream particles



- Out-of-plane vector potential calculated by inverting $\mathbf{B} = \nabla \times \mathbf{A}$
Red: Upstream
Blue: Downstream
- Isocontours of the out-of-plane vector potential give the magnetic field lines
- The downstream region can now be defined by the maximum value of the vector potential over a line-out through the current sheet

Energy spectra are fit to the sum of a Maxwellian and a kappa distribution



Kappa distribution:

$$f_{\kappa}(\gamma) = \gamma \sqrt{\gamma^2 - 1} \left(1 + \frac{\gamma - 1}{\kappa T_{\kappa}/mc^2} \right)^{-(1+\kappa)}$$

Large energy limit is a power-law:

$$\lim_{\gamma \rightarrow \infty} f_{\kappa}(\gamma) = (\kappa T_{\kappa}/mc^2)^{(1+\kappa)} \gamma^{1-\kappa}$$

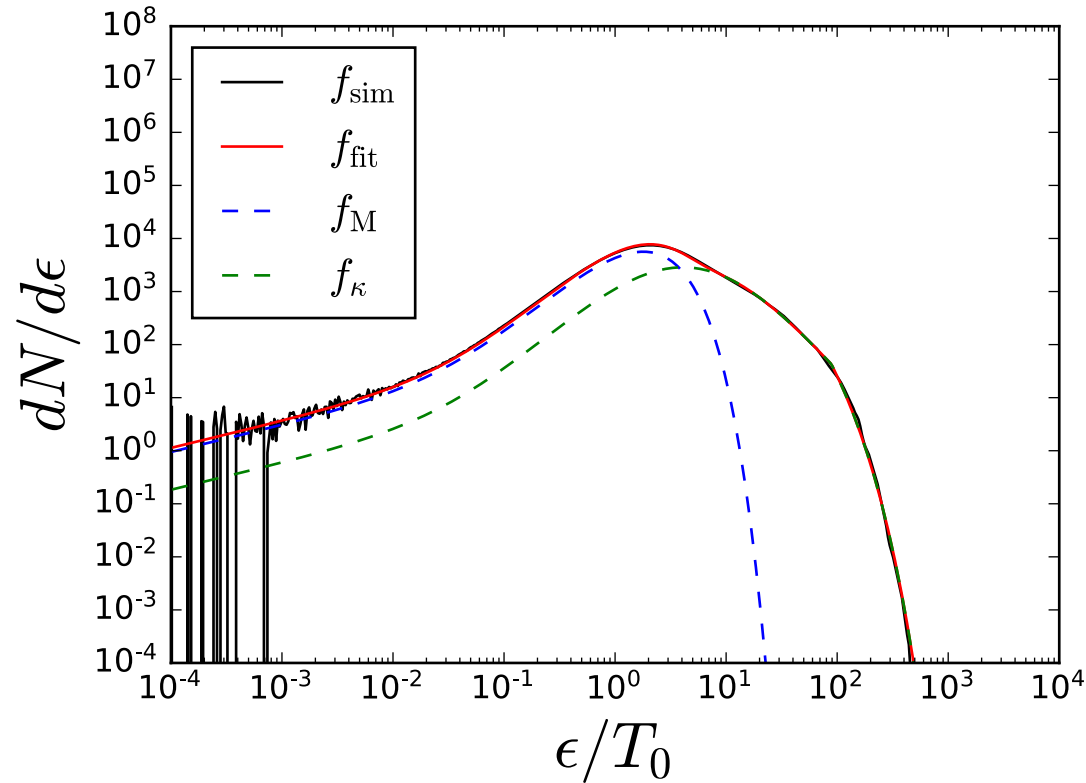
Large κ limit is a Maxwellian:

$$\lim_{\kappa \rightarrow \infty} f_{\kappa}(\gamma) = \gamma \sqrt{\gamma^2 - 1} \exp \left(-\frac{\gamma - 1}{T_{\kappa}/mc^2} \right)$$

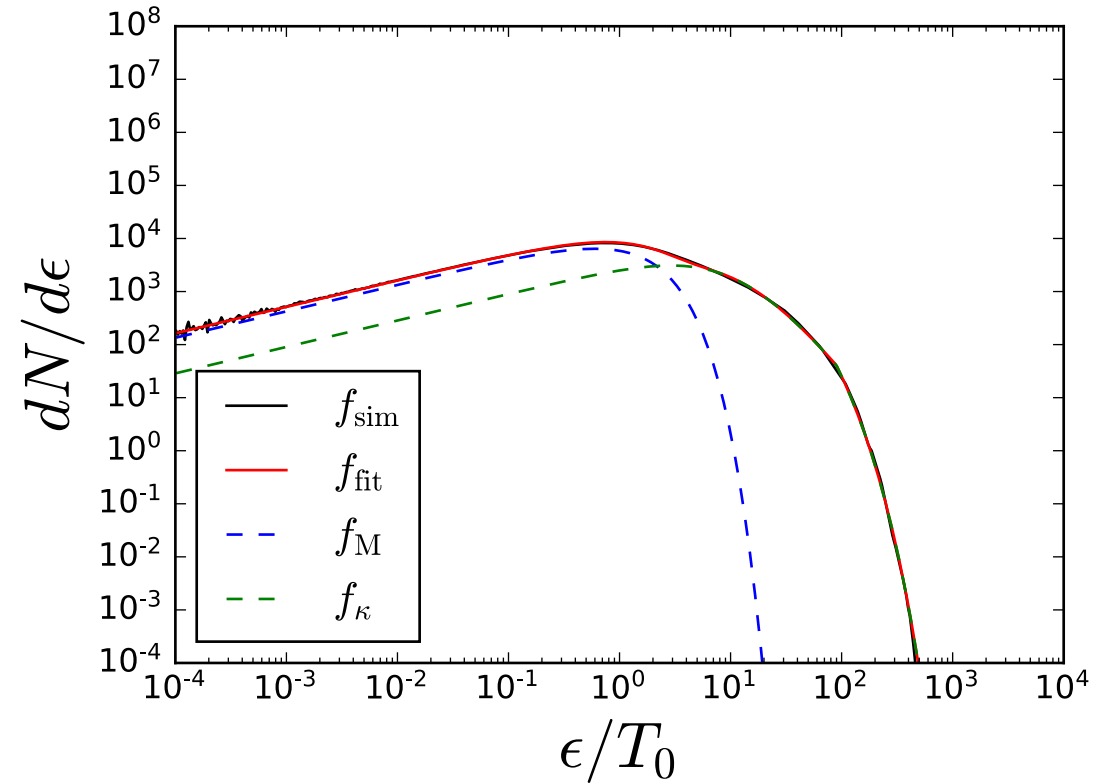


Example energy spectrum fits

Electrons



Ions



Cutoff function included at high energies:

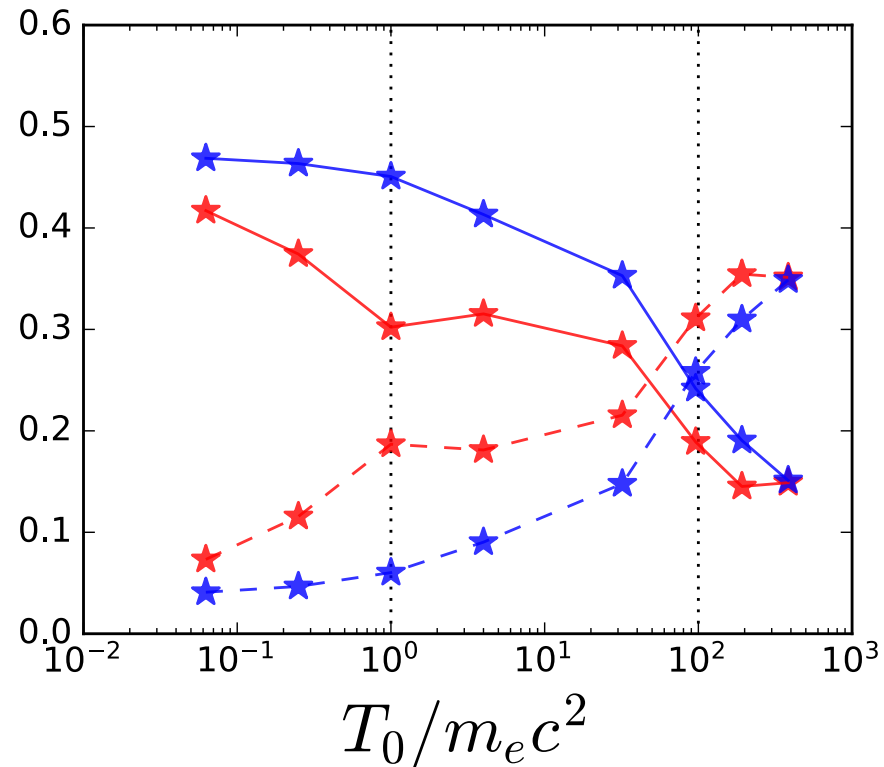
$$f_{cut}(\gamma) \propto \exp \left(-(\gamma - \gamma_{cut})^2 / \gamma_{cut} \right)$$

$$T/m_e c^2 = 32$$

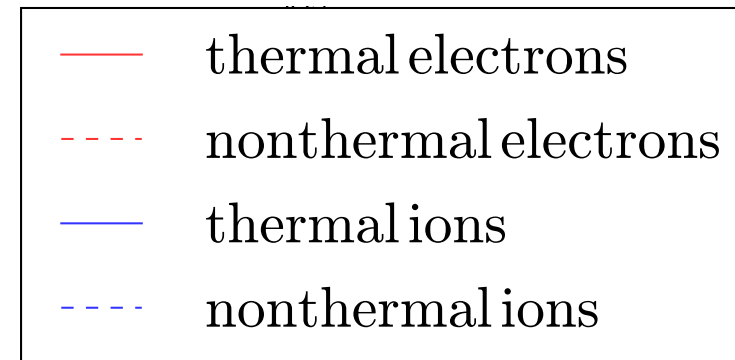
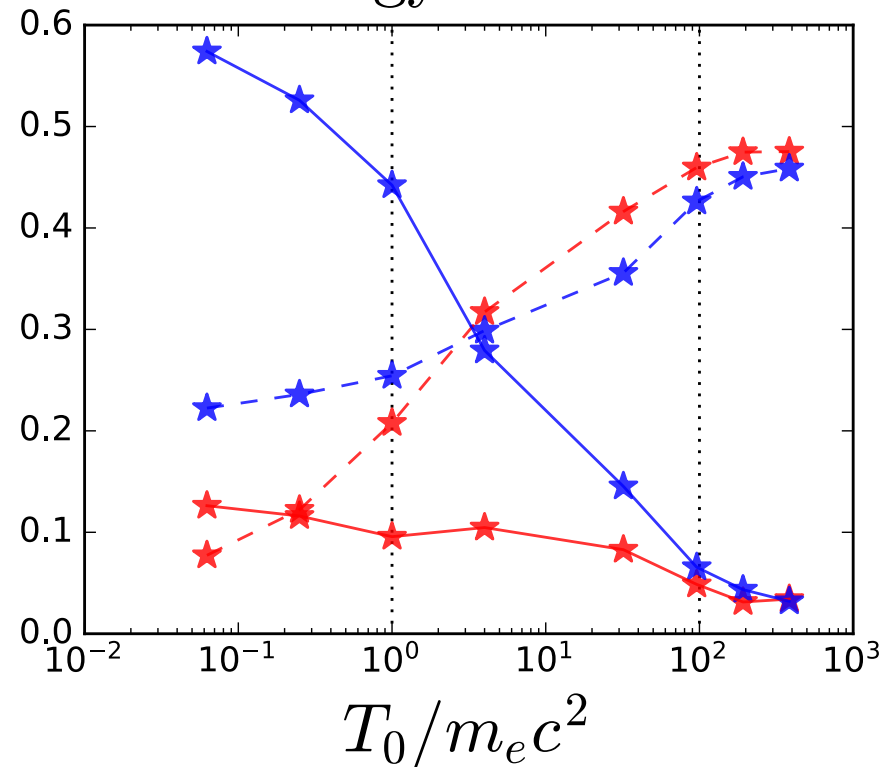


Partitioning of thermal and nonthermal electrons and ions

Particle Fraction



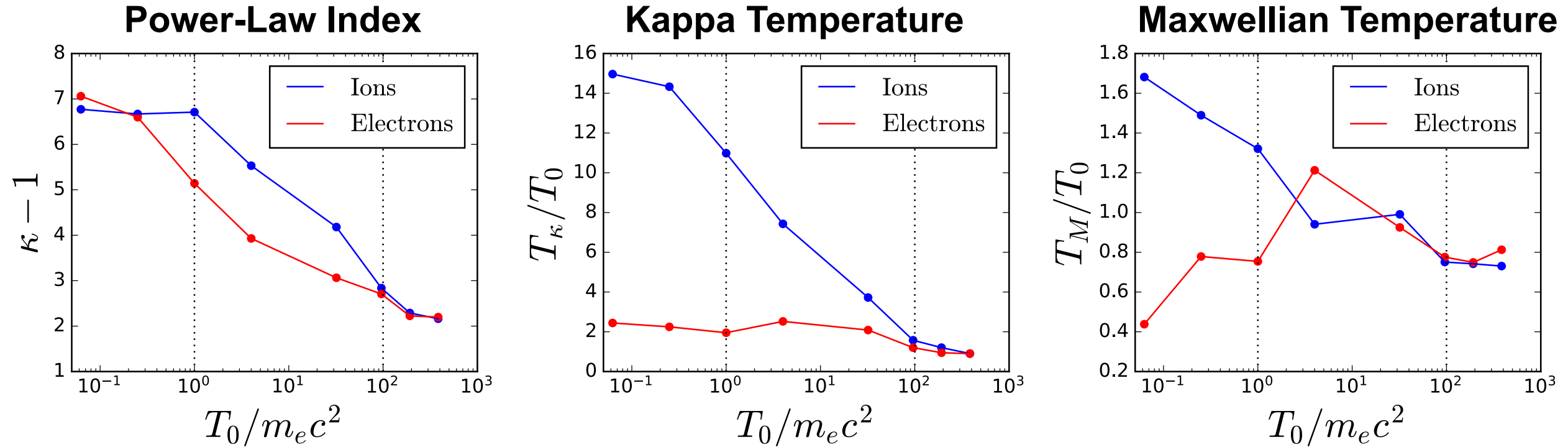
Energy Fraction



- Ions show preferential heating and nonthermal acceleration at nonrelativistic temperatures
- Acceleration efficiency is enhanced as the temperature approaches the rest mass energy for each species



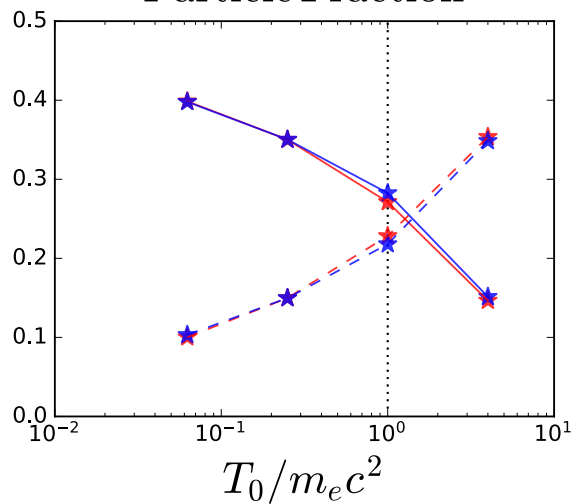
Fitted parameters of the Kappa and Maxwellian distributions



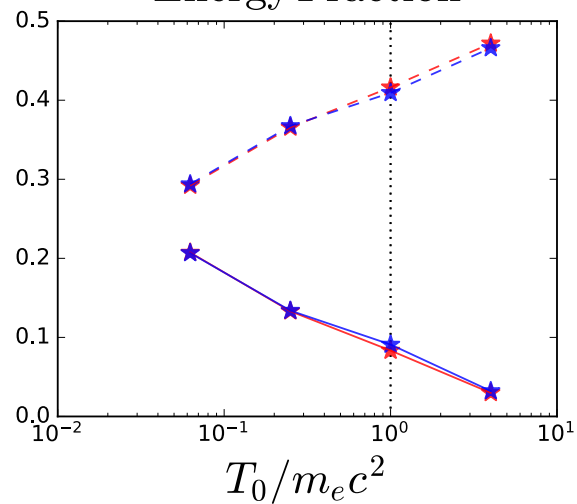
- Slight decrease in nonthermal acceleration at the highest energies likely due to system size limitations
- Convergence with system size currently under investigation

$$m_i/m_e = 1$$

Particle Fraction

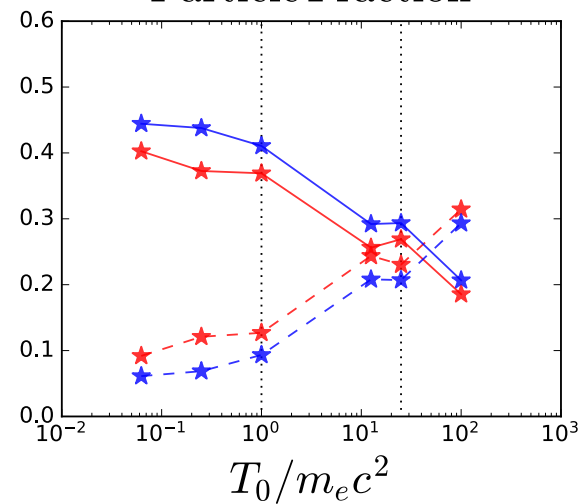


Energy Fraction

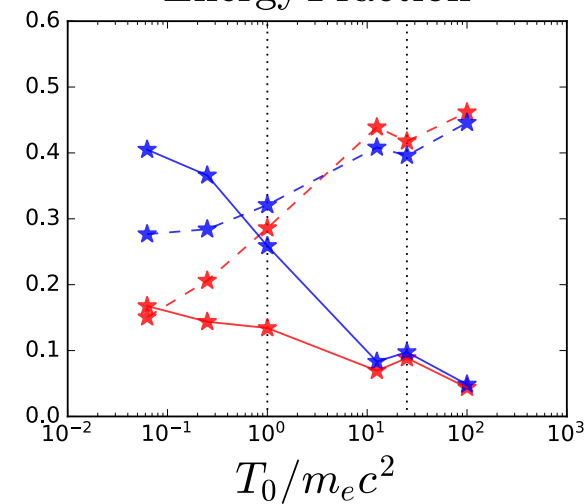


$$m_i/m_e = 25$$

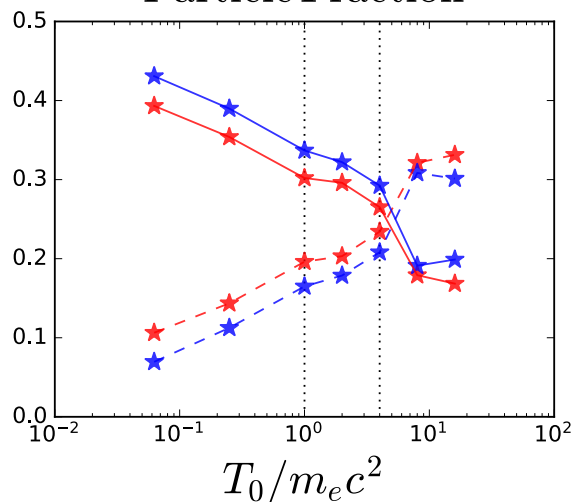
Particle Fraction



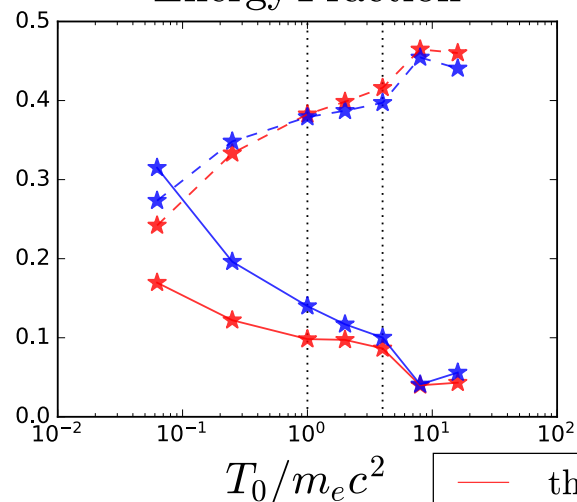
Energy Fraction



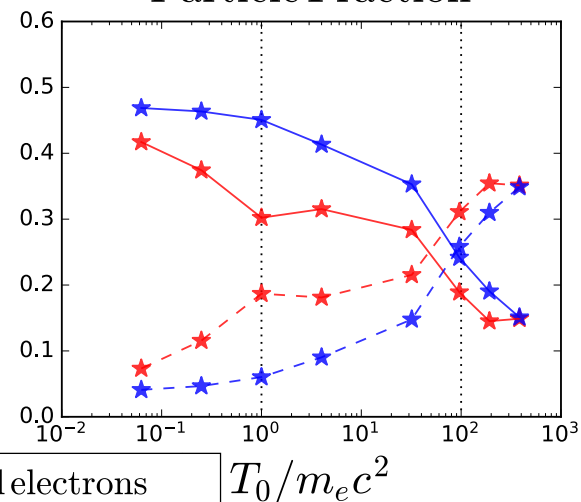
Particle Fraction



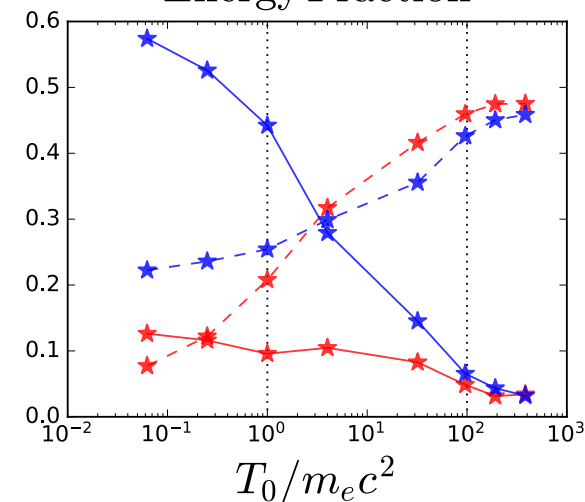
Energy Fraction



Particle Fraction

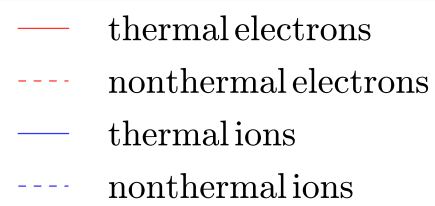


Energy Fraction

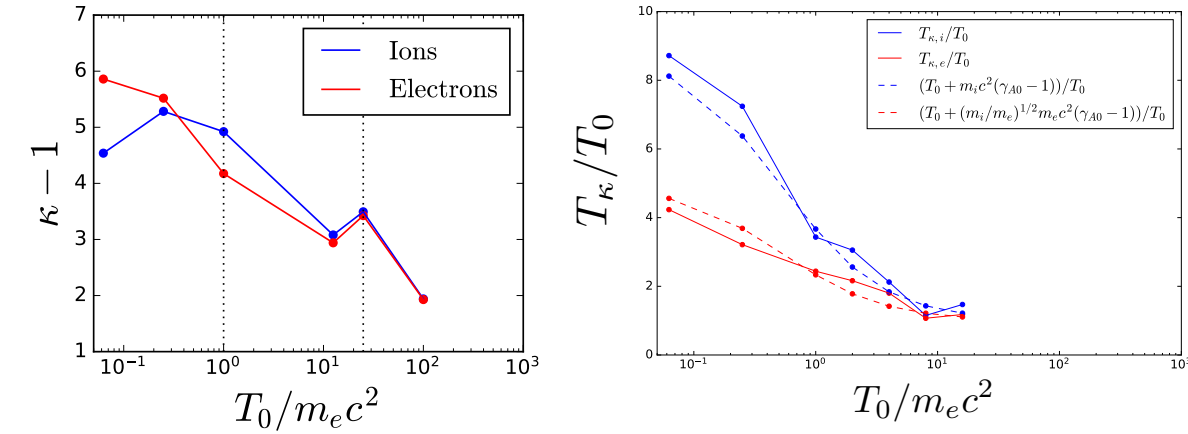
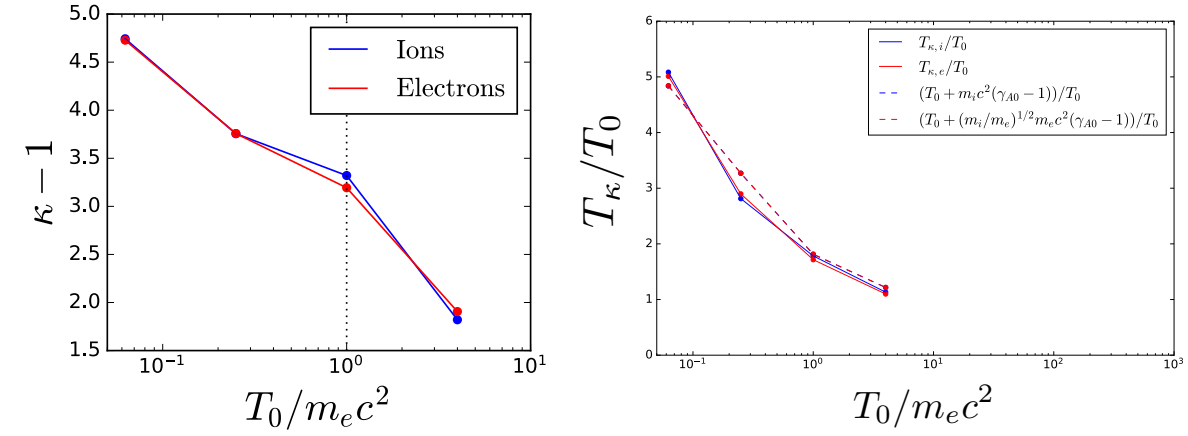


$$m_i/m_e = 4$$

$$m_i/m_e = 100$$

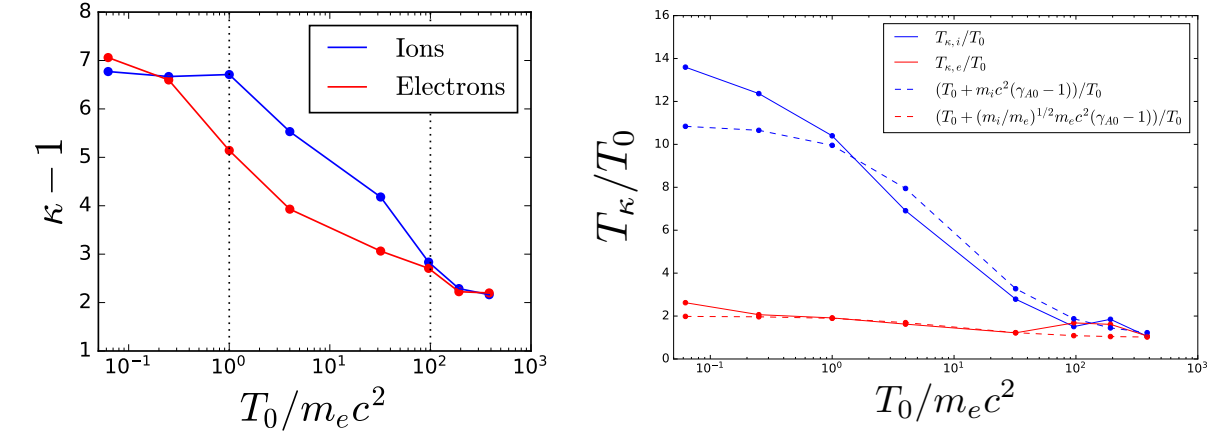
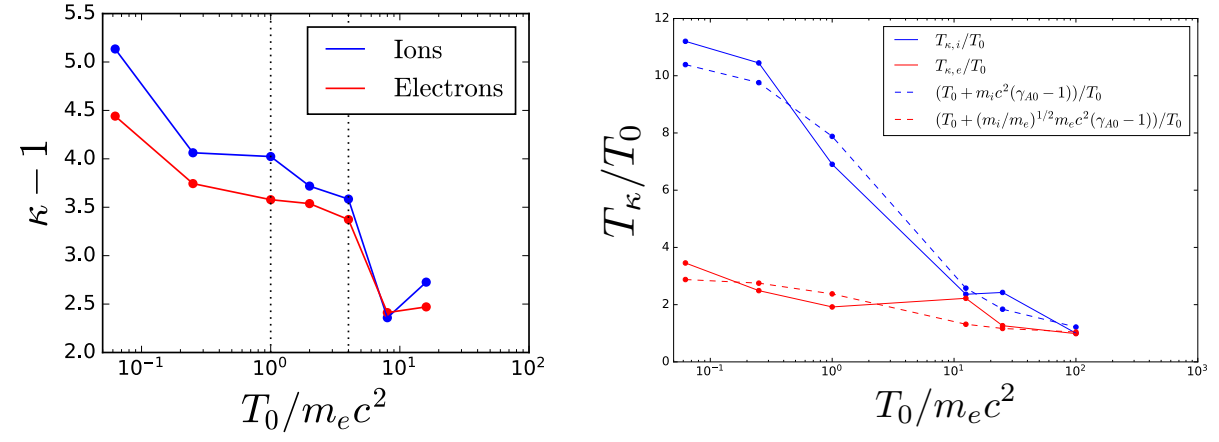


$$m_i/m_e = 1$$



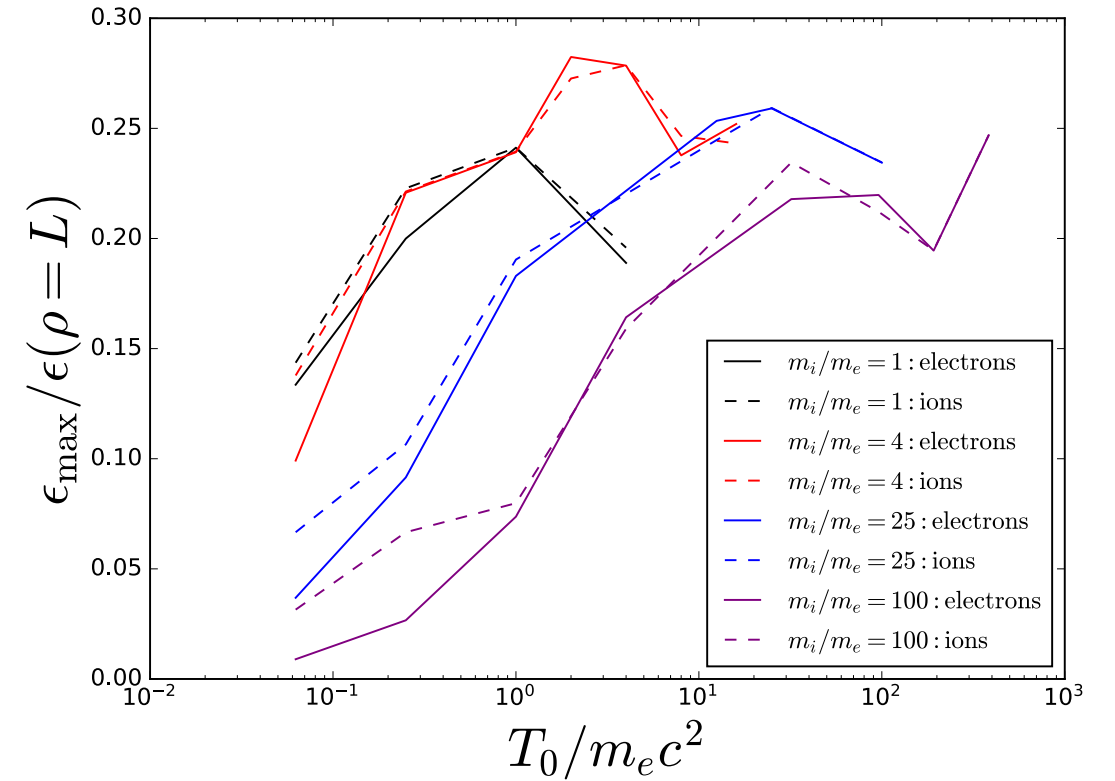
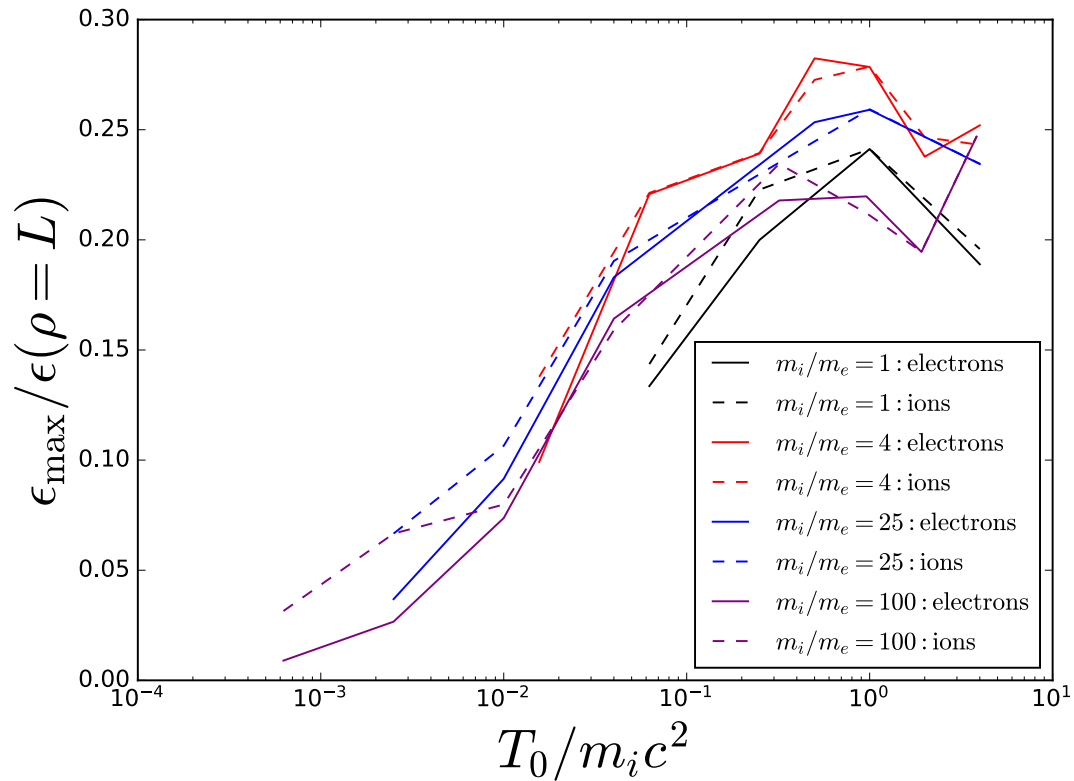
$$m_i/m_e = 4$$

$$m_i/m_e = 25$$



$$m_i/m_e = 100$$

Maximum energy limited by system size

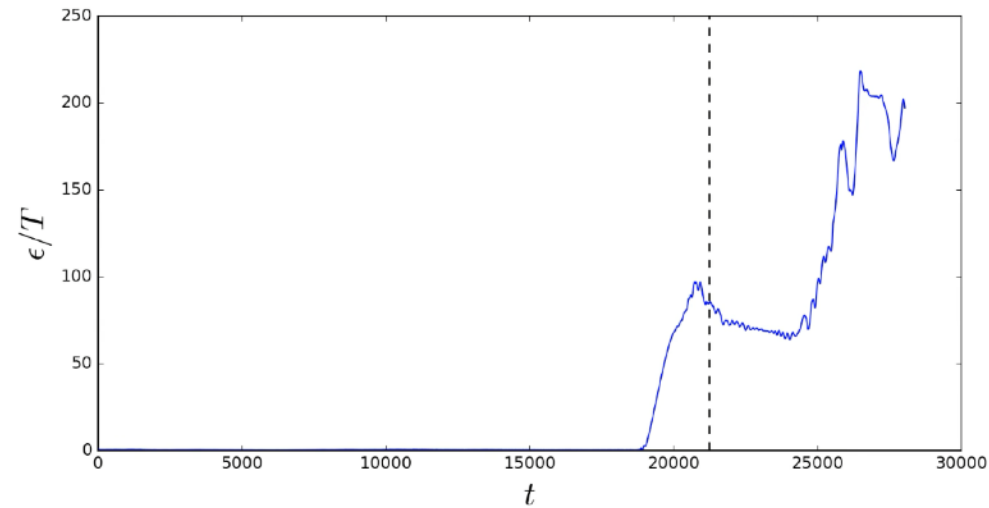
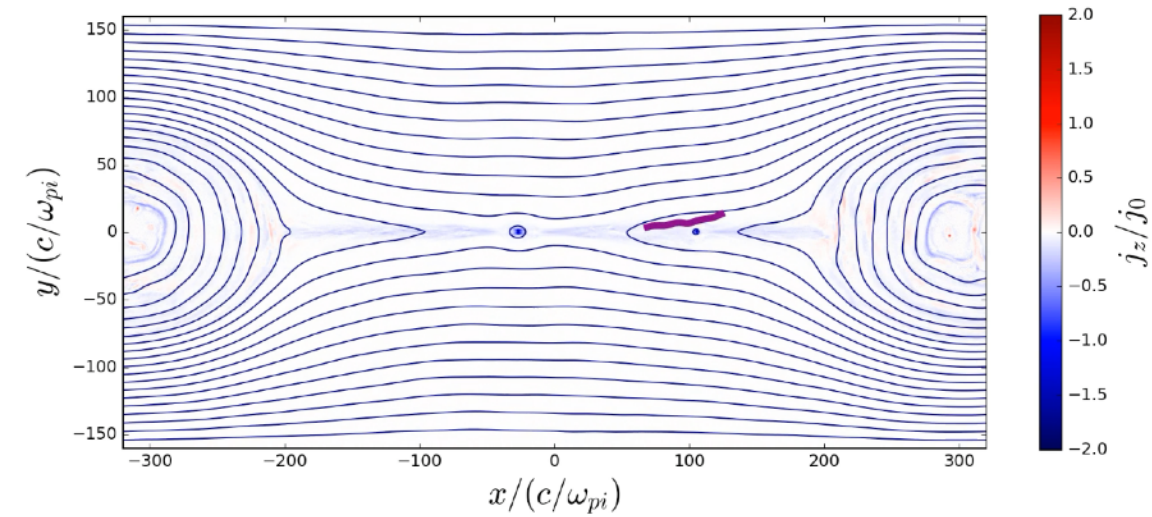


$$\rho = \gamma m v / q B \quad \rho_{\max} \approx L/4$$

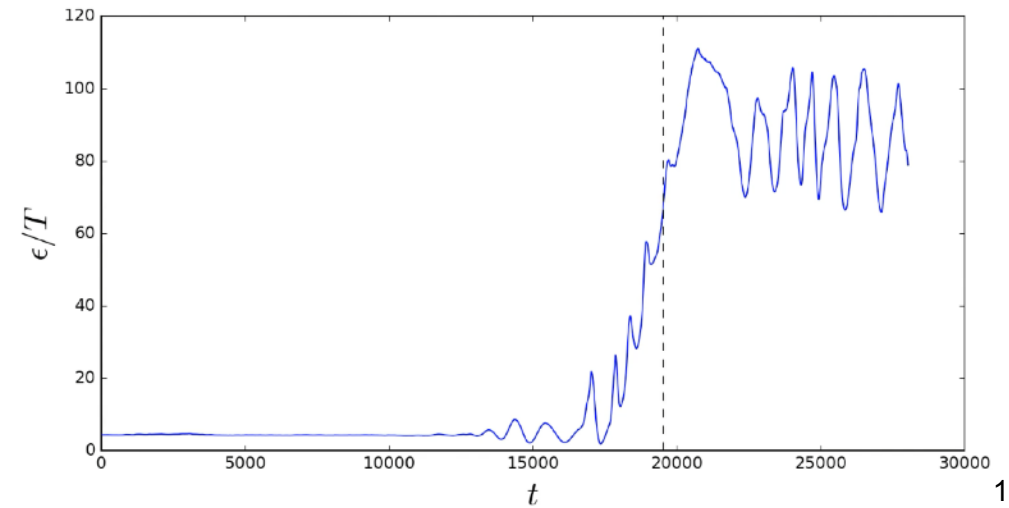
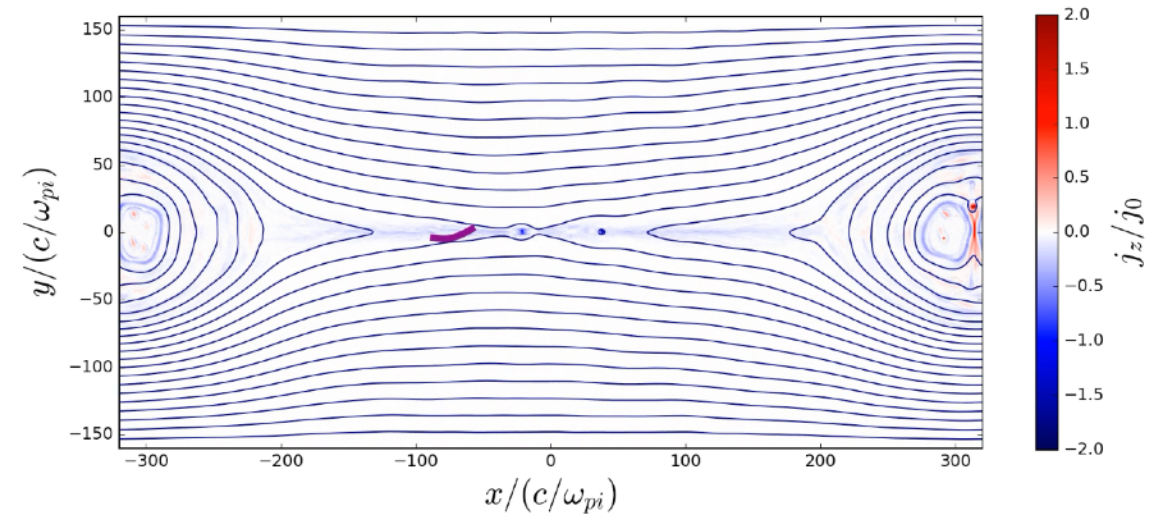
Nonthermal particle trajectories: $T_e/m_e c^2 = 0.0625$



Nonthermal Electron Trajectories



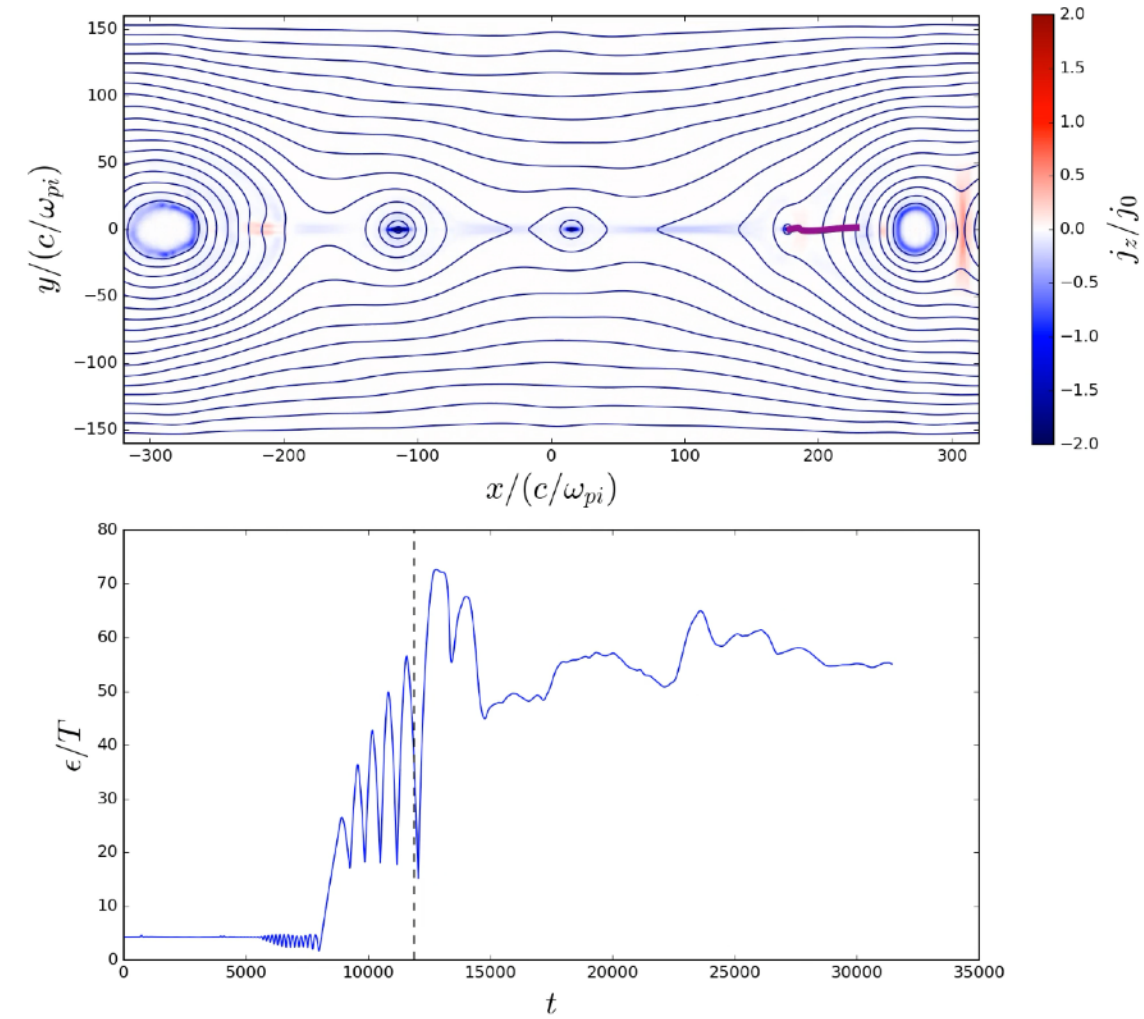
Nonthermal Ion Trajectories



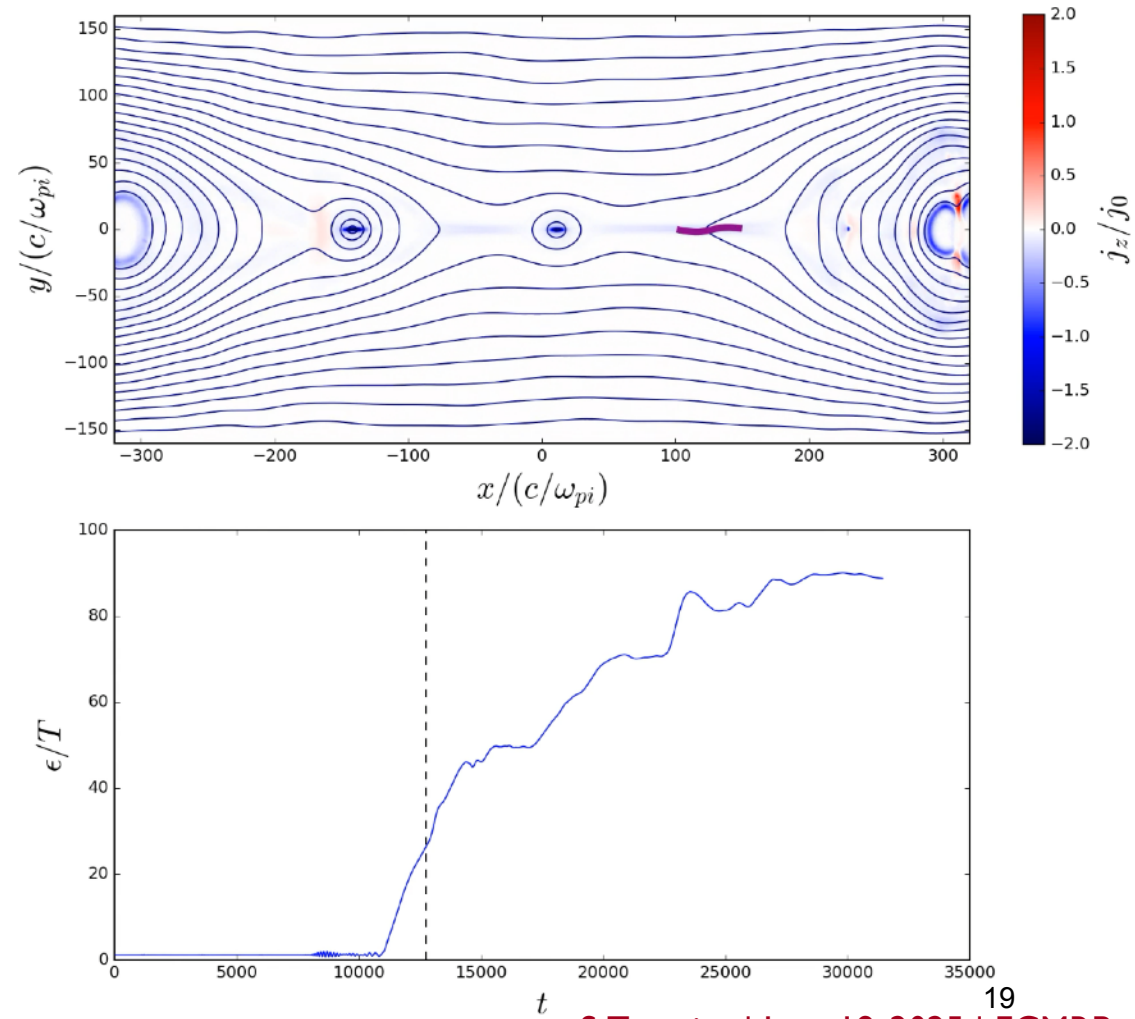
Nonthermal particle trajectories: $T_e/m_e c^2 = 12.5$



Nonthermal Electron Trajectories



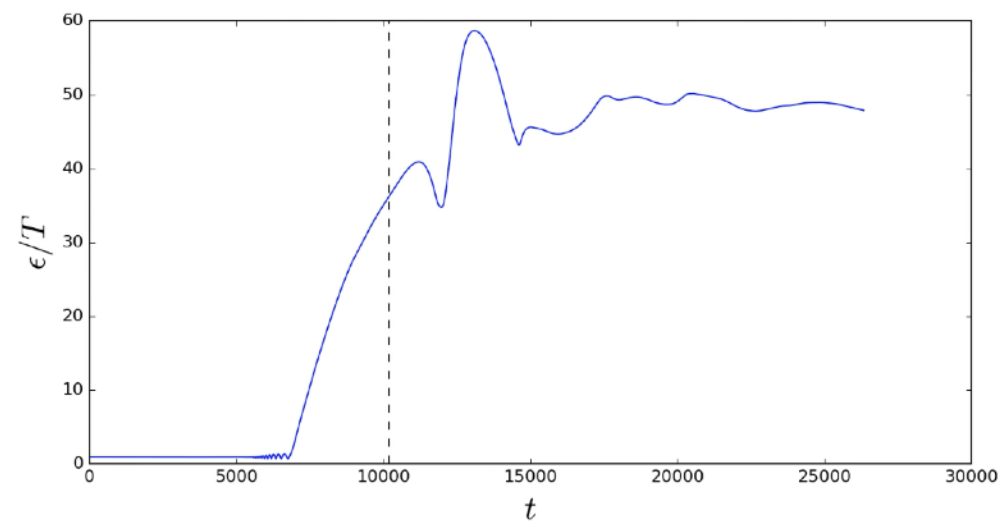
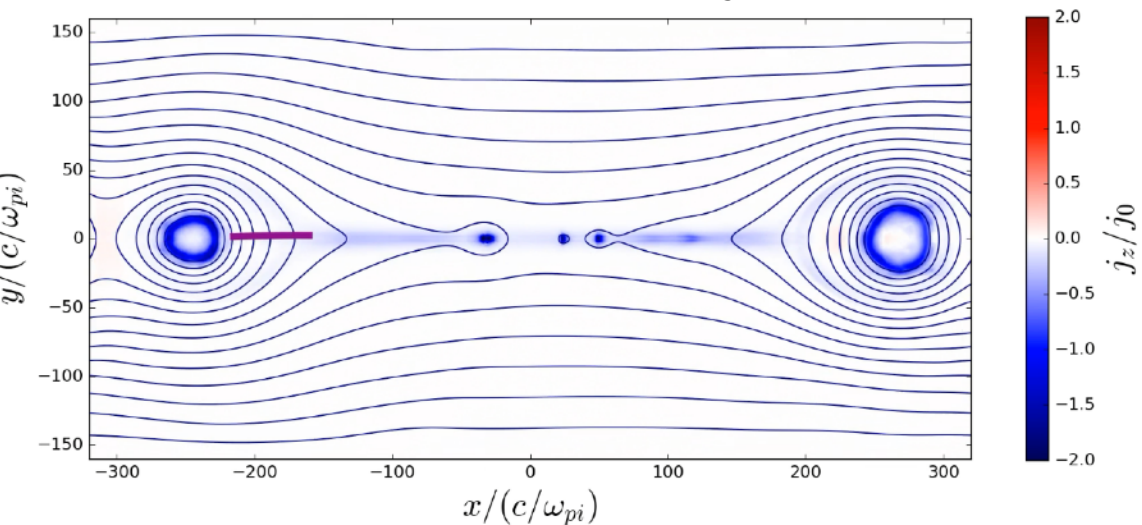
Nonthermal Ion Trajectories



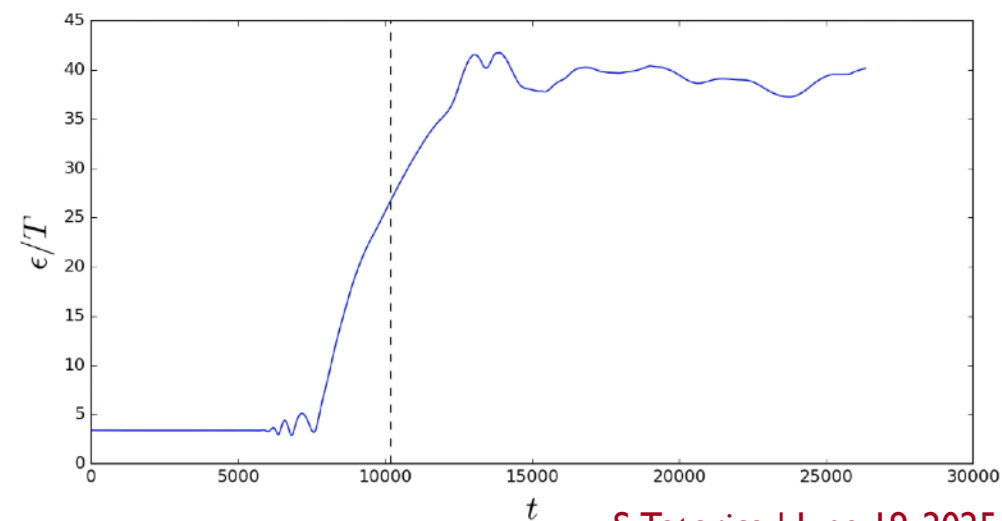
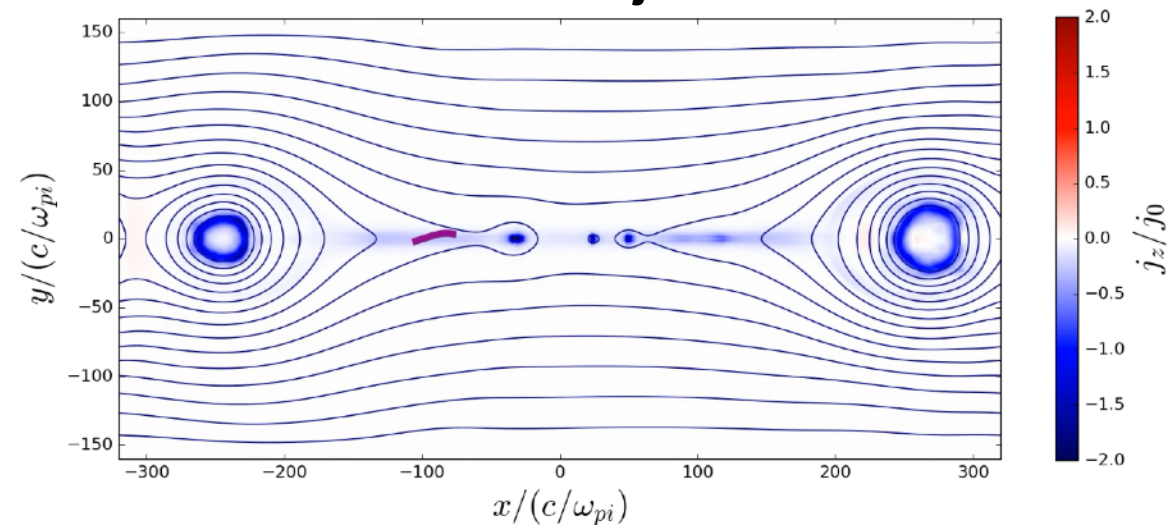
Nonthermal particle trajectories: $T_e/m_e c^2 = 100$



Nonthermal Electron Trajectories

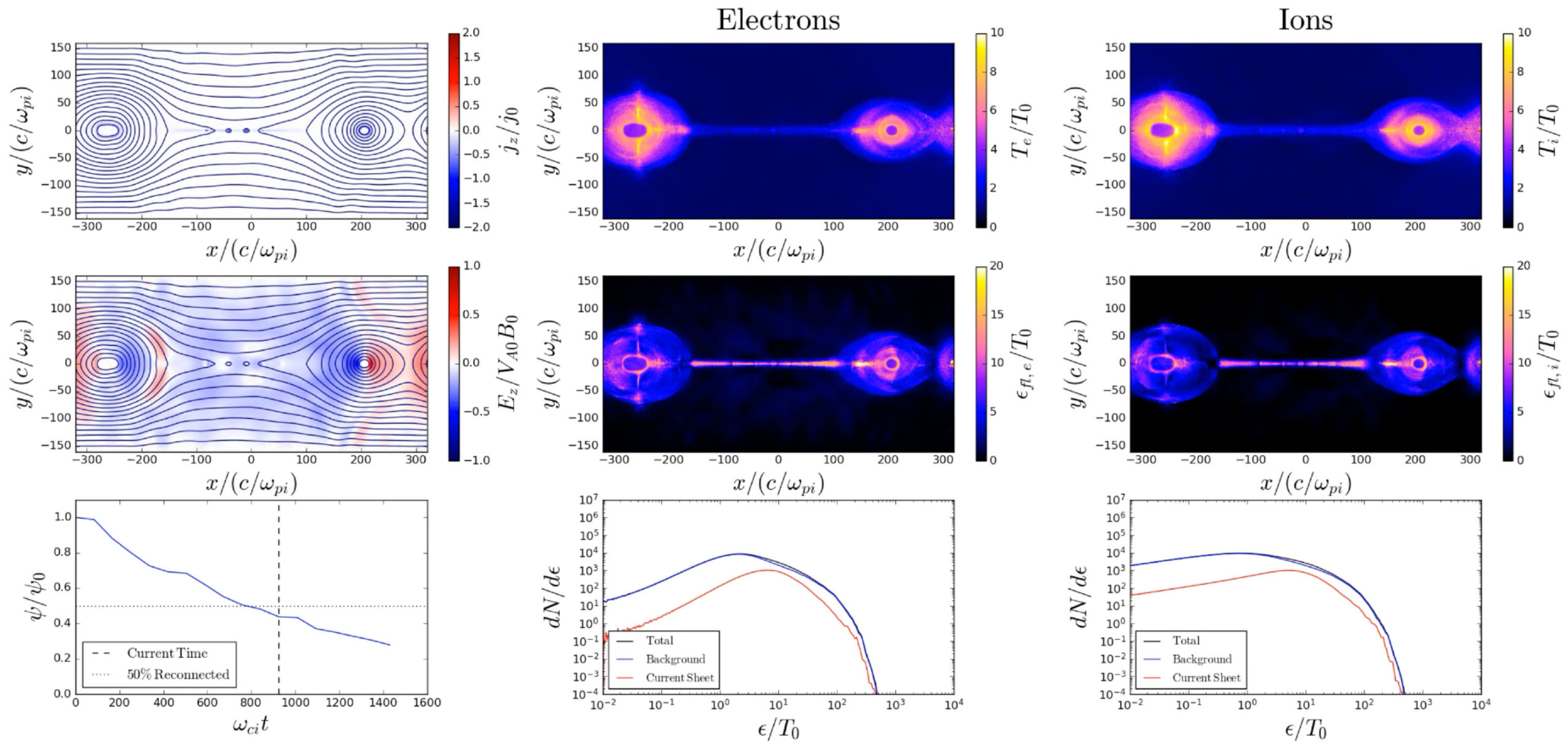


Nonthermal Ion Trajectories



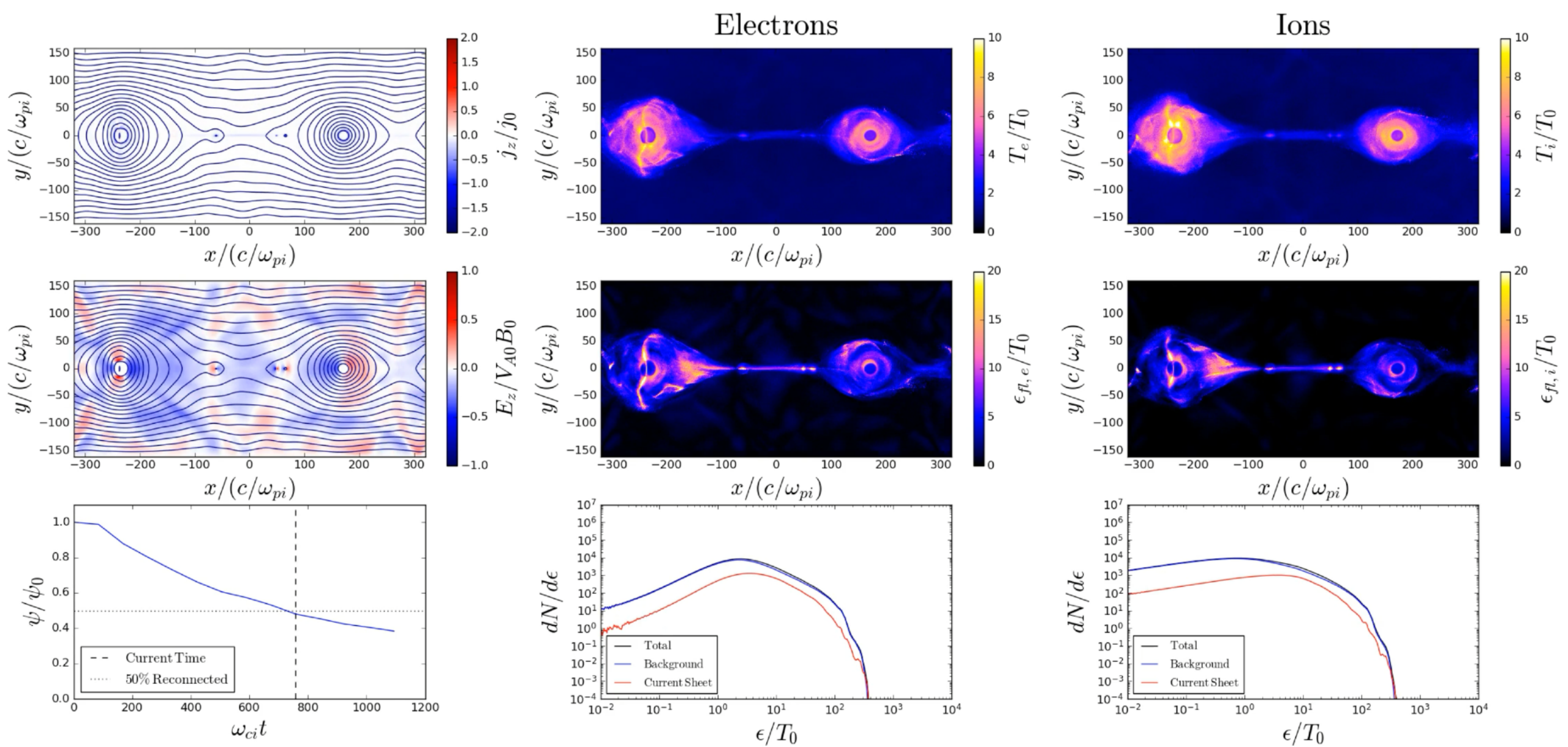


- Study influence of out-of-plane guide field on nonthermal particle acceleration efficiency and partitioning
- Three-dimensional simulations to investigate the influence of the drift-kink instability on partitioning and dependence on guide field
- Connect results to observations in space physics and astrophysics



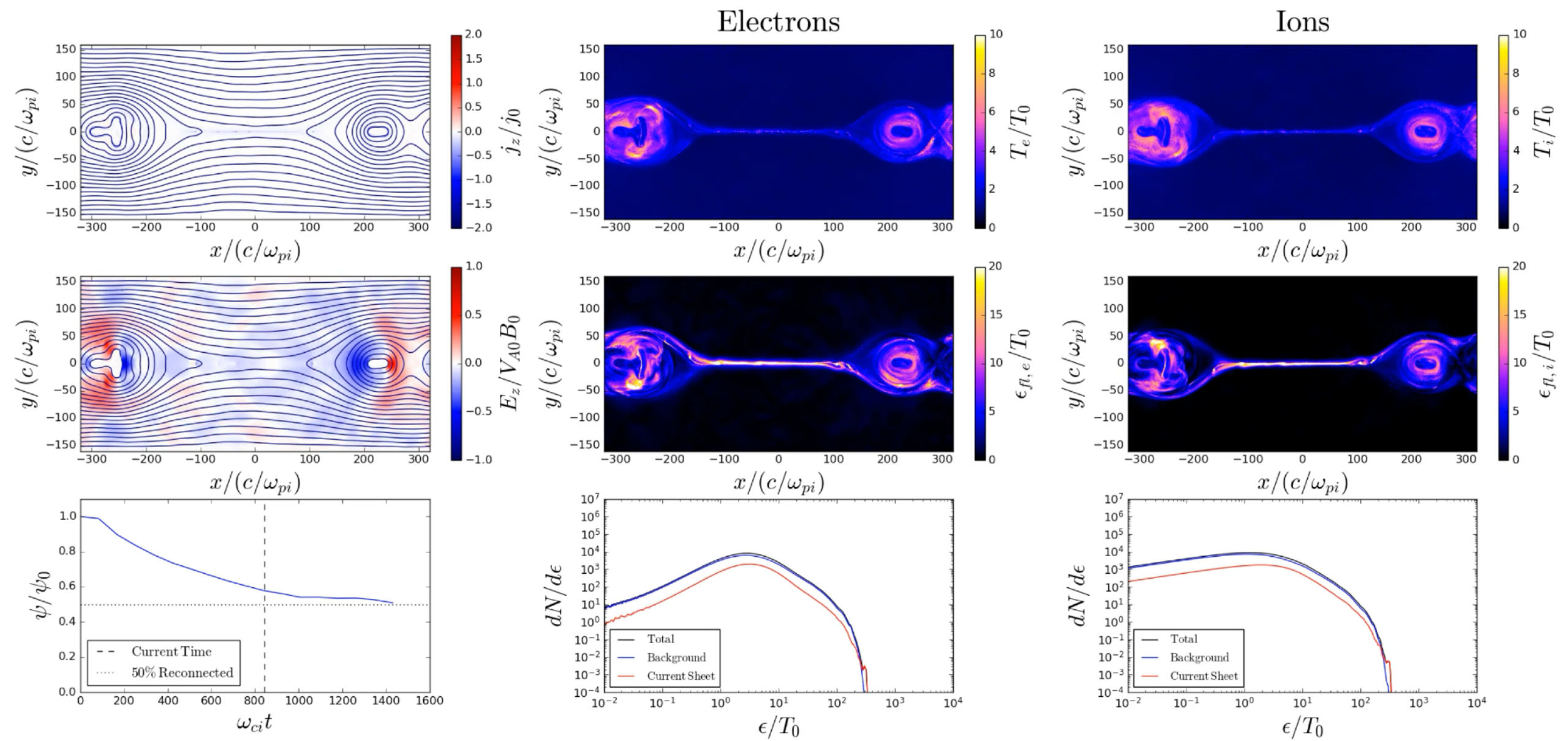
$$B_G/B_0 = 0$$

$$m_i/m_e = 100 \quad T_0/m_e c^2 = 32$$



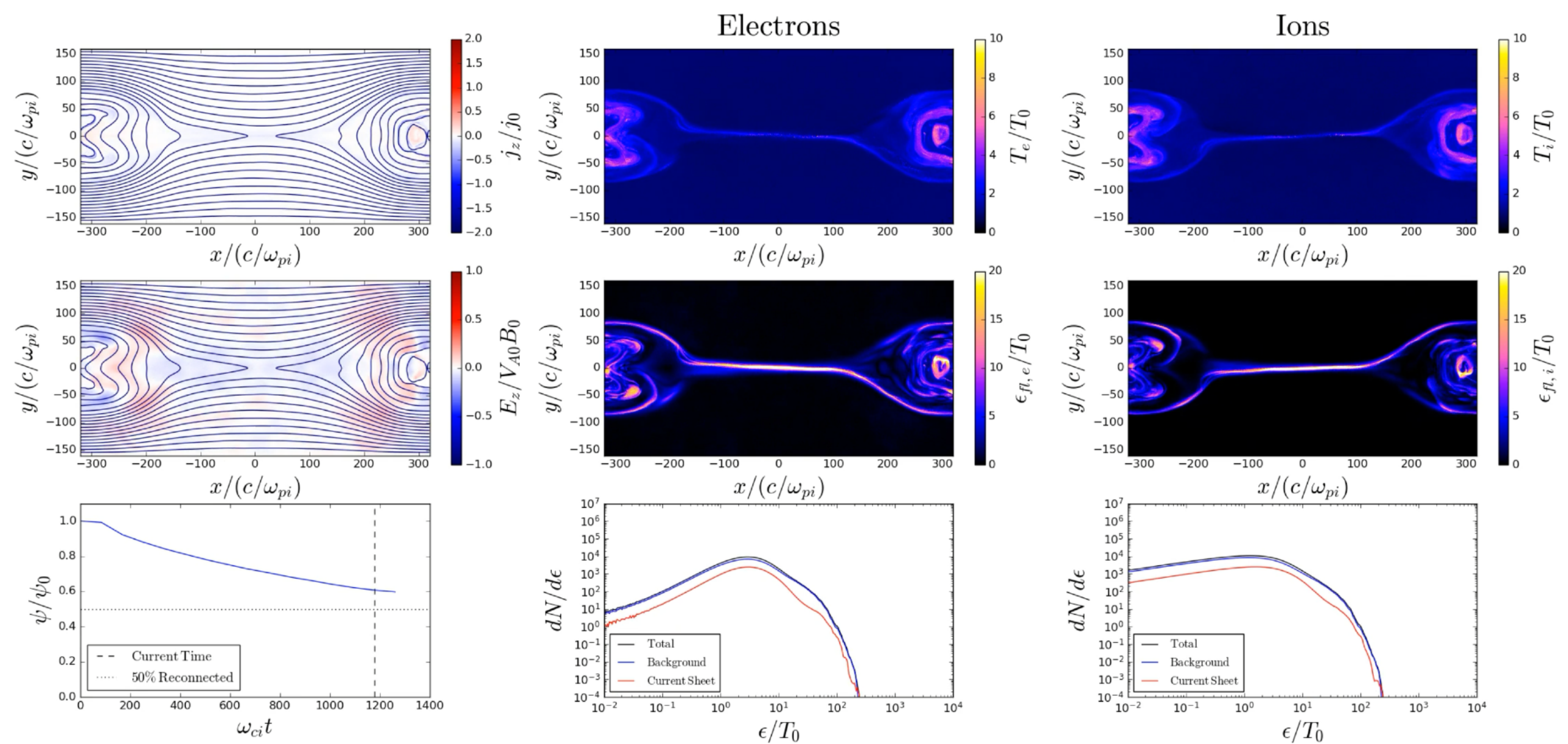
$$B_G/B_0 = 0.1$$

$$m_i/m_e = 100 \quad T_0/m_e c^2 = 32$$



$$B_G/B_0 = 0.5$$

$$m_i/m_e = 100 \quad T_0/m_e c^2 = 32$$

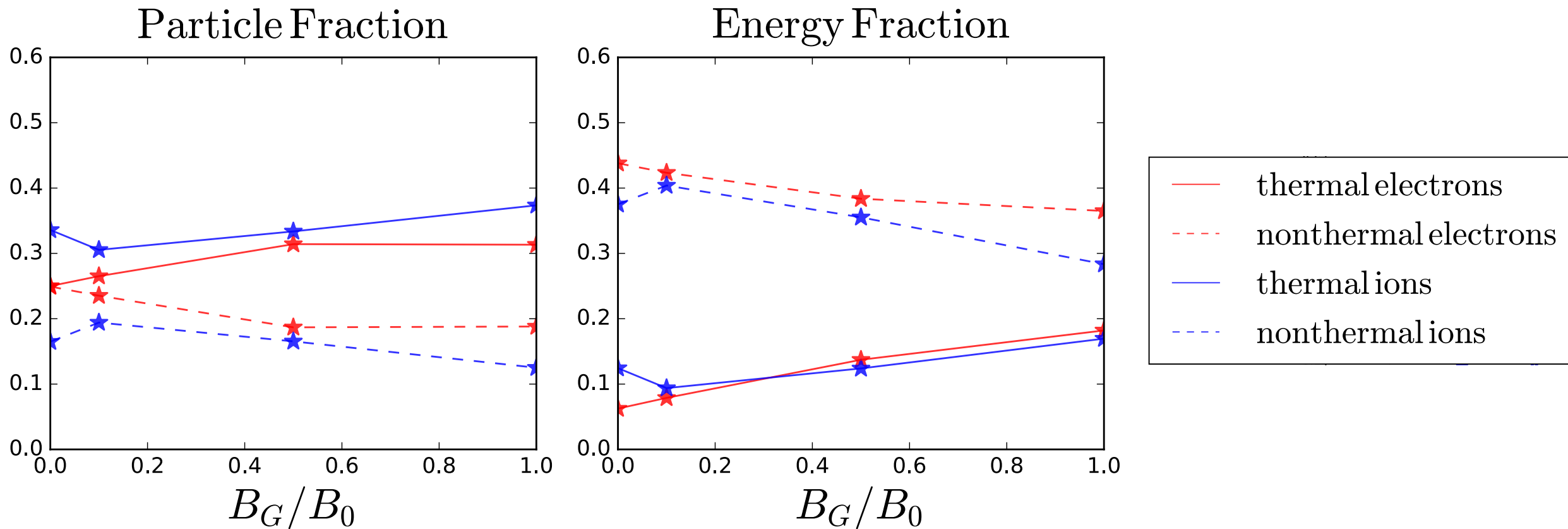


$$B_G/B_0 = 1$$

$$m_i/m_e = 100 \quad T_0/m_e c^2 = 32$$

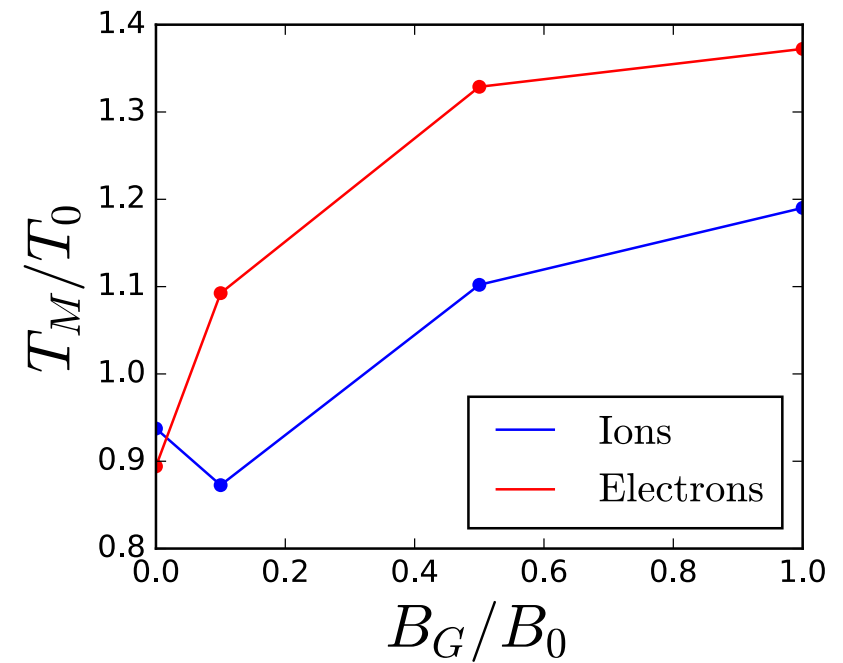
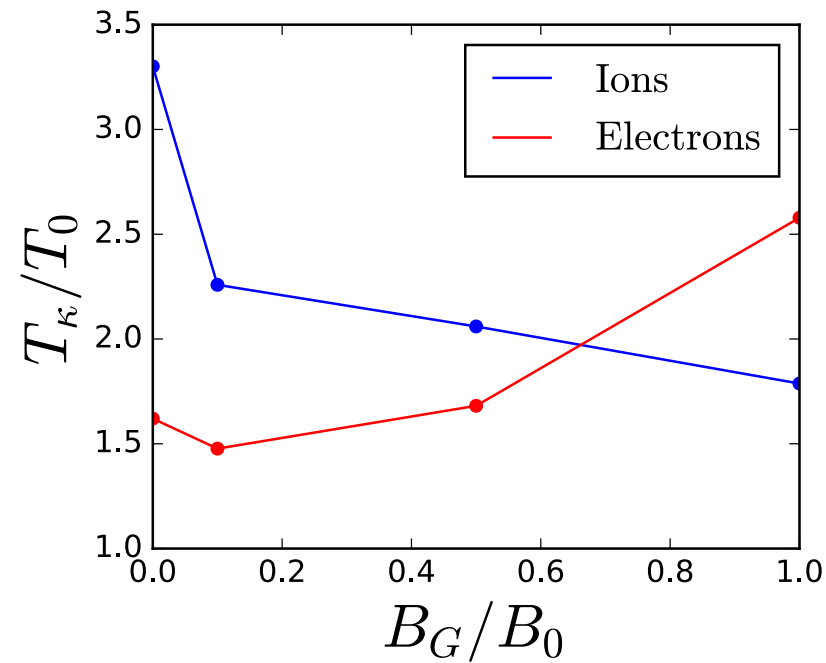
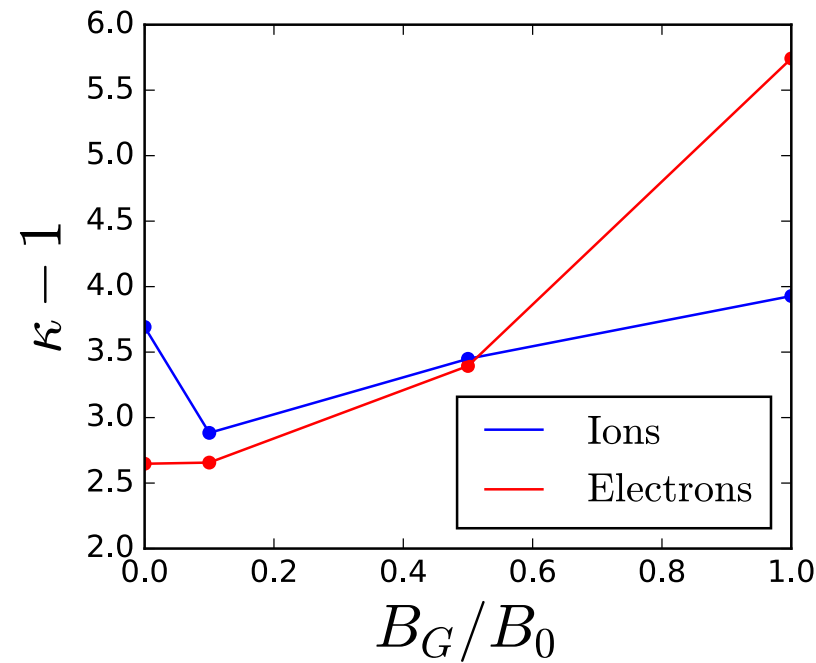


Partitioning for varied guide field



$$m_i/m_e = 100 \quad T_0/m_e c^2 = 32$$

Fitting parameters for varied guide field

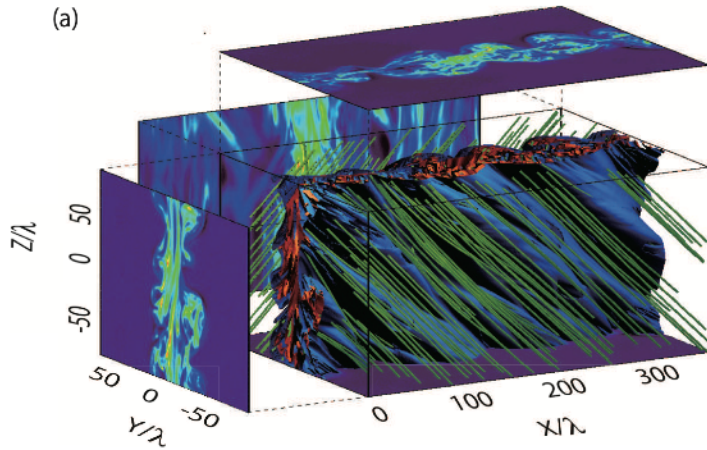


$$m_i/m_e = 100 \quad T_0/m_e c^2 = 32$$

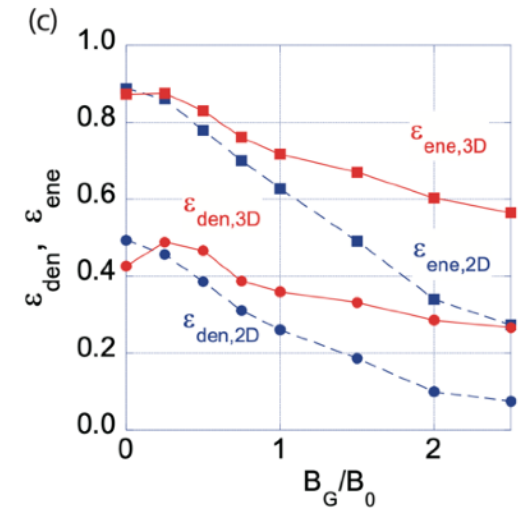
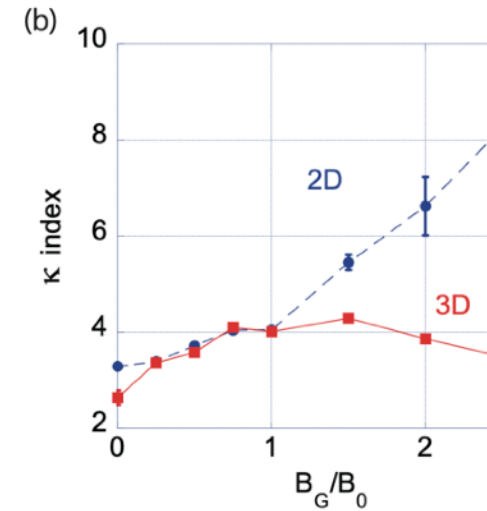
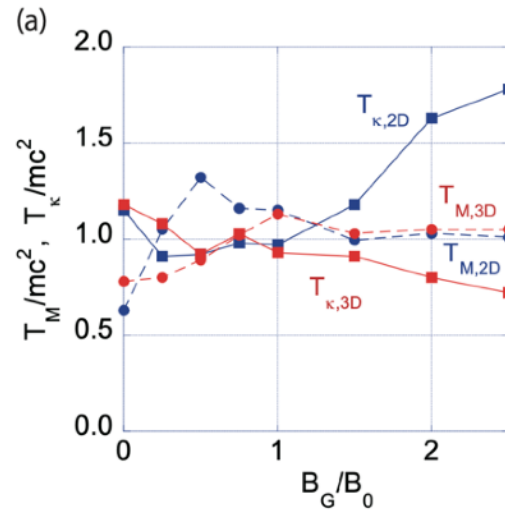
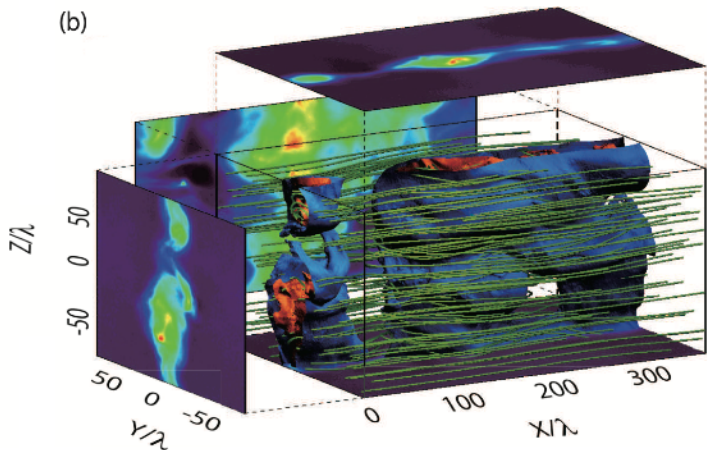
Three-dimensional effects on partitioning in electron-positron pair plasmas (Hoshino 2024)



$$B_G/B_0 = 1$$



$$B_G/B_0 = 0$$



- 3D reconnection is capable of maintaining a hard nonthermal energy spectrum even in the presence of a strong guide magnetic field



- Particle energy spectra in electron-ion reconnection can be fit to the sum of a Maxwellian and a Kappa distribution
- Model fitting procedure allows a quantification of the partitioning of dissipated magnetic energy into thermal and nonthermal electrons and ions
- At nonrelativistic temperatures, ions are preferentially heated
- As the temperature approaches the rest mass energy of a species of particles, a sharp increase in nonthermal particle acceleration efficiency occurs for that species
- Future work will investigate partitioning for varied guide fields and in three dimensions